



<b>Publication Year</b>	2018
<b>Acceptance in OA @INAF</b>	2020-10-29T10:12:45Z
<b>Title</b>	Radio polarization properties of quasars and active galaxies at high redshifts
<b>Authors</b>	Vernstrom, T.; Gaensler, B. M.; VACCA, VALENTINA; Farnes, J. S.; Haverkorn, M.; et al.
<b>DOI</b>	10.1093/mnras/stx3191
<b>Handle</b>	<a href="http://hdl.handle.net/20.500.12386/28075">http://hdl.handle.net/20.500.12386/28075</a>
<b>Journal</b>	MONTHLY NOTICES OF THE ROYAL ASTRONOMICAL SOCIETY
<b>Number</b>	475

# Radio Polarization Properties of Quasars and Active Galaxies at High Redshifts

T. Vernstrom<sup>★1</sup>, B.M. Gaensler<sup>1</sup>, V. Vacca<sup>2</sup>, J.S. Farnes<sup>3</sup>,  
M. Haverkorn<sup>3</sup>, S.P. O’Sullivan<sup>4</sup>

<sup>1</sup>*Dunlap Institute for Astronomy and Astrophysics University of Toronto, Toronto, ON M5S 3H4, Canada*

<sup>2</sup>*INAF, Osservatorio Astronomico di Cagliari, Via della Scienza 5, 09047 Selargius, Italy*

<sup>3</sup>*Department of Astrophysics/IMAPP, Radboud University, PO Box 9010, NL-6500 GL Nijmegen, The Netherlands*

<sup>4</sup>*Hamburger Sternwarte, Universität Hamburg, Gojenbergsweg 112, 21029, Hamburg, Germany*

16 November 2018

## ABSTRACT

We present the largest ever sample of radio polarization properties for  $z > 4$  sources, with 14 sources having significant polarization detections. Using wideband data from the Karl G. Jansky Very Large Array, we obtained the rest-frame total intensity and polarization properties of 37 radio sources, nine of which have spectroscopic redshifts in the range  $1 \leq z \leq 1.4$ , with the other 28 having spectroscopic redshifts in the range  $3.5 \leq z \leq 6.21$ . Fits are performed for the Stokes  $I$  and fractional polarization spectra, and Faraday rotation measures are derived using Rotation measure synthesis and  $QU$  fitting. Using archival data of 476 polarized sources, we compare high redshift ( $z > 3$ ) source properties to a 15 GHz rest-frame luminosity matched sample of low redshift ( $z < 3$ ) sources to investigate if the polarization properties of radio sources at high redshifts are intrinsically different than those at low redshift. We find a mean of the rotation measure absolute values, corrected for Galactic rotation, of  $50 \pm 22 \text{ rad m}^{-2}$  for  $z > 3$  sources and  $57 \pm 4 \text{ rad m}^{-2}$  for  $z < 3$ . Although there is some indication of lower intrinsic rotation measures at high- $z$  possibly due to higher depolarization from the high density environments, using several statistical tests we detect no significant difference between low and high redshift sources. Larger samples are necessary to determine any true physical difference.

## Key words:

radio continuum: galaxies – galaxies: high-redshift – galaxies: magnetic fields – methods: statistical

## 1 INTRODUCTION

Where do magnetic fields come from? What are their strengths in the early Universe? How do they evolve? These are just a few of the unanswered questions regarding cosmic magnetism (Widrow et al. 2012). Interstellar and intergalactic magnetic fields at earlier epochs have important implications for the feedback of magnetic energy into the intergalactic medium (IGM, Kronberg et al. 2001) and for galaxy and large-scale structure evolution (Mestel & Paris 1984; Rees 1987; Urry & Padovani 1995). At redshifts of  $z > 2$ , typical radio-loud quasars are located in dense environments, where AGN host galaxies are the most massive systems. The study of these systems at early times is necessary for answering

open questions on cosmic magnetism and its role in galaxy evolution.

The Faraday rotation effect is one of the most powerful techniques to detect and probe extragalactic magnetic fields (e.g. Carilli & Taylor 2002; Govoni & Feretti 2004). For a source at redshift  $z_s$ , the rotation measure (RM) is defined as

$$\text{RM}(z_s) = 0.81 \int_{z_s}^0 \frac{n_e(z) B_{||}(z)}{(1+z)^2} \frac{dl}{dz} dz \text{ rad m}^{-2}, \quad (1)$$

where  $n_e$  is the thermal gas density in  $\text{cm}^{-3}$  and  $B_{||}$  is the magnetic field strength along the line of sight at redshift  $z$  in  $\mu\text{Gauss}$ . The RM is a measure of the change in polarization angle  $\chi$  with respect to the change in  $\lambda^2$  due to a magnetized medium.

We expect high density environments to compress magnetic fields and increase turbulence. If distant quasars

<sup>★</sup> E-mail: vernstrom@dunlap.utoronto.ca

reside in such environments, this would lead to higher intrinsic polarized fractions, but also higher depolarization at high  $z$ . This relationship is complicated due to intervening Faraday screens and could lead to complex spectral energy distributions that require  $k$ -correction of the polarized fraction (Farnes et al. 2014b). Recent work has shown that with new broadband radio data and new methods for measuring rotation measures and the Faraday spectrum such as RM synthesis (Brentjens & de Bruyn 2005) and  $QU$ -fitting (e.g. O’Sullivan et al. 2012, 2017; Anderson et al. 2016) a more detailed and in-depth analysis of polarization properties versus cosmic time is possible.

It is typically expected that the measured Faraday rotation, or RM, should appear to decrease at early times due to  $k$ -corrections of the emission at high  $z$  (i.e. the  $[1+z]^2$  term in the denominator of eq. 1). To date there is limited information on polarized fraction or Faraday rotation for high- $z$  radio-loud quasars. Current quasar polarization detections have typically only extended out to redshifts of  $z \sim 3.5$  (Hammond et al. 2012), with only a few having  $z > 4$  (e.g. O’Sullivan et al. 2011). Earlier attempts have been made to detect a  $z$ -dependence of quasar RMs (Rees & Reinhardt 1972; Kronberg & Simard-Normandin 1976) using RM data on samples out to  $z \simeq 1$  and more recently with  $z \lesssim 3$  (Kronberg et al. 2008), which found evidence for an increase in the observed RM at higher redshifts. However, Hammond et al. (2012) and Bernet et al. (2012) did not observe this evolution out to redshifts of  $z \sim 3.5$ , and neither was it seen by Farnes et al. (2014b), who looked along lines of sight that contain no known intervening objects. Lamee et al. (2016) used 222 sources in the redshift range  $0 < z < 2.3$  and found a weak negative correlation of depolarization with redshift from steep spectrum, depolarized sources.

These previous studies all only included a handful of sources between  $3 \leq z \leq 4$ , and one or two at  $z > 4$  (e.g. Carilli et al. 1994; Athreya et al. 1998; Broderick et al. 2007). The goal of this work is to investigate the rotation measure and polarization fraction properties of a new and larger sample of high- $z$  ( $z > 3$ ) sources using new broadband data and Faraday depth tools. The statistics can then be compared to a low redshift source sample to look for any differences or information about the evolution of cosmic magnetism versus time. In this paper we look at new wideband data from low and high redshift radio sources and analyze the polarization properties.

In Section 2 we describe the observation, data reduction, and imaging of 37 new sources, as well as the details on archival data used for a control sample. Section 3 details the fitting of the Stokes  $I$  and fractional polarization spectra and the rotation measure synthesis and  $QU$  fitting. Section 4 presents the results of the fitting, as well as statistical comparisons of low and high redshift sources. In Section 5 we discuss the results including non-detections and how the results compare to previous findings. Throughout the paper, we assume a concordance cosmology with  $H_0 = 67.3 \text{ km s}^{-1} \text{ Mpc}^{-1}$ ,  $\Omega_m = 0.315$ , and  $\Omega_\Lambda = 0.685$  (Planck Collaboration et al. 2014).

## 2 DATA

### 2.1 New data

The high redshift sample of sources was selected from the Kimball & Ivezić (2008) catalogue, which cross-matched radio sources from the NVSS (Condon et al. 1998) and FIRST (Becker et al. 1995) surveys and with the *Sloan Digital Sky Survey* (SDSS, York et al. 2000) DR6. We selected sources with spectroscopic redshifts  $z \geq 4$ , 1.4 GHz flux density  $\geq 5 \text{ mJy}$ , and off the Galactic plane ( $|b| > 20^\circ$ ). This resulted in a list of 50 high redshift sources. However, after the observations were taken, an updated redshift catalogue was released (Kimball & Ivezić 2014), which used updated SDSS data (DR9) for the redshifts. This revealed that 12 of the selected sources had updated redshift values that were less than four ( $0.35 \leq z \leq 3$ ). Checking with the Set of Identifications, Measurements and Bibliography for Astronomical Data database (SIMBAD, Wenger et al. 2000)<sup>1</sup> and the NASA/IPAC Extragalactic Database (NED, Helou et al. 1991, 1995)<sup>2</sup> showed some at the higher redshift estimates and some at the lower. Since the newer (and lower) estimates came from the newer SDSS release with updated redshift flags, we use the lower values in the following analysis.

We requested observations with the Karl G. Jansky Very Large Array (VLA) for the initial 50 sources and were granted time for 30 of the sources (of which nine had new redshift estimates less than four). We were able to find archival VLA observations for eight additional sources with  $z > 3$  (with the archive search limited to data since the wide bandwidth upgrade of the VLA), bringing the total to 38 sources (although one of the additional sources is actually two components of the same source). All of the sources are classified as optical quasars according to the Million Optical Radio/X-ray Associations (MORX) catalogue (Flesch 2016) and The Million Quasars catalog (Flesch 2015). The details of the observations and data reduction are discussed below.

#### 2.1.1 Observations and calibration

Our observations were performed July through September of 2014 in the VLA’s D configuration (project code 14A-255). We requested both L (1–2 GHz) and S (2–4 GHz) bands for all of the sources. However, due to limited time on-source only 10 of the 30 sources from the original proposal had any L-band observations taken, and even for those sources only a fraction of the requested L-band time was observed. The details of each observed source are listed in Table 1, including those for the eight sources that were found in archival VLA data (see the project code column), which have different configurations and/or frequency bands.<sup>3</sup>

All of the data reduction and imaging were done using the Common Astronomy Software Applications (CASA) package.<sup>4</sup> The sources 3C286 or 3C138 were observed

<sup>1</sup> <http://simbad.u-strasbg.fr/simbad/>

<sup>2</sup> <http://ned.ipac.caltech.edu/>

<sup>3</sup> Source J104624+590524 is a multi-component source with two lobes. Even though it is only one source its components, labelled “a” and “b”, are analyzed separately, and thus when referring to the number of sources what is really meant is components.

<sup>4</sup> <http://casa.nrao.edu/>

**Table 1.** Details of the VLA observations for the 38 observed and processed components of sources. The 1.4 GHz flux density values  $S_{1.4}$  are from NVSS. The  $t_{\text{obs}}$  column lists the total on-source time in each observed frequency band.

Name	RA (J2000)	Dec (J2000)	$z$	$S_{1.4}$ [mJy]	Date MM/YYYY	Config	Frequency [GHz]	$t_{\text{obs}}$ [sec]	Project
J001115+144603	00:11:15.34	+14:46:03.60	4.97	36.0	07/2014	D	1-2; 2-4	169.6; 1483.9	14A-255
J003126+150738	00:31:26.79	+15:07:38.60	4.29	42.0	07/2014	D	1-2; 2-4	139.6; 1364.4	14A-255
J021042-001818	02:10:43.15	-00:18:18.14	4.73	9.9	07/2014	D	1-2; 2-4	204.4; 1549.8	14A-255
J081333+350812	08:13:33.11	+35:08:12.92	4.95	36.0	07/2014	D	2-4	1256.4	14A-255
J083644+005451	08:36:43.90	+00:54:53.00	5.77	1.1	10/2016	A	1-2	10858	16B-009
J083946+511202	08:39:46.20	+51:12:02.88	4.40	43.0	07/2014	D	2-4	1256.4	14A-255
J085111+142338	08:51:11.58	+14:23:37.86	4.18	12.0	07/2014	D	2-4	1256.4	14A-255
J085853+345826	08:58:53.60	+34:58:26.62	1.34	22.0	07/2014	D	2-4	1256.4	14A-255
J090600+574730	09:06:00.06	+57:47:30.62	1.34	30.0	07/2014	D	2-4	1256.4	14A-255
J091316+591920	09:13:16.54	+59:19:21.61	5.12	18.0	07/2014	D	2-4	1166.9	14A-255
J091824+063653	09:18:24.39	+06:36:53.32	4.16	31.0	07/2014	D	2-4	1077.1	14A-255
J100424+122924	10:04:24.87	+12:29:22.38	4.52	12.0	07/2014	D	2-4	1256.4	14A-255
J100645+462716	10:06:45.60	+46:27:17.42	4.34	6.4	07/2014	D	2-4	1256.4	14A-255
J102551+192314	10:25:51.34	+19:23:13.45	1.17	43.0	07/2014	D	2-4	1256.4	14A-255
J102623+254259	10:26:23.62	+25:42:59.65	5.27	260.0	07/2014	D	2-4	1525.8	14A-255
J103601+500831	10:36:01.03	+50:08:31.78	4.50	11.0	07/2014	D	2-4	1256.4	14A-255
J104624+590524a	10:46:23.97	+59:06:06.82	3.63	0.5	03/2012	C	2-4	36000	12A-032
J104624+590524b	10:46:24.78	+59:04:45.30	3.63	10.0	03/2012	C	2-4	36000	12A-032
J105320-001650	10:53:20.43	-00:16:49.58	4.30	9.3	07/2014	D	2-4	1256.4	14A-255
J130738+150752	13:07:38.94	+15:07:58.46	4.08	16.0	07/2014	D	2-4	1166.5	14A-255
J130940+573311	13:09:40.70	+57:33:10.04	4.28	11.0	07/2014	D	2-4	1256.4	14A-255
J132512+112330	13:25:12.48	+11:23:30.01	4.42	81.0	07/2014	D	2-4	1256.4	14A-255
J133342+491625	13:33:43.27	+49:16:23.93	1.39	33.0	07/2014	D	2-4	1555.8	14A-255
J135135+284015	13:51:35.69	+28:40:15.06	4.73	6.1	07/2014	D	2-4	1256.4	14A-255
J142738+331242	14:27:38.50	+33:12:41.00	6.12	1.8	10/2016	A	1-2	3886	16B-009
J142952+544717	14:29:52.20	+54:47:17.99	6.21	3.0	10/2016	A	1-2	1494	16B-009
J151002+570243	15:10:02.96	+57:02:43.62	4.31	200.0	05/2012	B	2-4	165	12A-404
J155633+351757	15:56:33.77	+35:17:57.62	4.67	28.0	01/2013	D	1-2; 4.4-6.2	269.2; 89.9	13A-114
J161105+084437	16:11:05.66	+08:44:35.38	4.55	8.7	10/2012	A	1-2; 4.4-6.3	93; 209	12B-361
J165913+210116	16:59:13.24	+21:01:15.74	4.89	29.0	10/2012	A	1-2; 4.4-6.4	120; 239	12B-361
J221356-002457	22:13:56.05	-00:24:56.99	1.06	110.0	07/2014	D	1-2; 2-2	428.2; 2162	14A-255
J222032+002535	22:20:32.60	+00:25:35.87	4.21	89.0	07/2014	D	1-2; 2-1	139.6; 1364.4	14A-255
J222235+001536	22:22:35.88	+00:15:36.54	1.36	68.0	07/2014	D	1-2; 2-0	139.6; 1364.4	14A-255
J222843+011032	22:28:43.50	+01:10:32.00	5.95	0.3	10/2016	A	1-2	8694	16B-009
J224924+004750	22:49:23.99	+00:47:52.04	4.48	18.0	07/2014	D	1-2; 2-1	149.6; 1364.4	14A-255
J231443-090637	23:14:43.21	-09:06:31.54	1.29	5.5	07/2014	D	1-2; 2-2	159.6; 1364.4	14A-255
J232604+001333	23:26:04.68	+00:13:34.39	1.00	9.6	07/2014	D	1-2; 2-3	169.6; 2321.6	14A-255
J235018-000658	23:50:18.69	-00:06:57.35	1.36	250.0	07/2014	D	1-2; 2-4	149.6; 1364.4	14A-255

as primary flux, bandpass, and polarization calibrators, with 3C147 and OQ208 observed as polarization leakage calibrators. The VLA data is separated into 16 sub-bands across each frequency band, with 64 frequency channels per sub-band. Hanning smoothing was performed to suppress Gibbs ringing, and automated radio frequency interference (RFI) detection algorithms were used to flag areas of strong interference. Unfortunately, strong RFI, mainly from satellites, affected several sub-bands requiring the need to flag them entirely, at least in the D-configuration data. These included sub-bands 2, 3, 15, and 16 (mean frequencies 2.15, 2.28, 3.79, and 3.91 GHz, respectively) in the S-band data and 1, 2, 3, 9, and 10 in the L-band data (mean frequencies 1.09, 1.15, 1.22, 1.54 and 1.60 GHz, respectively). After the calibration was applied, additional flagging for each source was performed as needed. Unfortunately one source's data were entirely flagged (source J094224+010858), bringing the number of sources down to 37 (38 components).

### 2.1.2 Imaging

For each source, several rounds of phase-only self calibration were performed, cleaning progressively deeper and with shorter calibration intervals with each round. The number of self calibration rounds for each source was determined by examining the image residuals and rms noise after each round.

In order to investigate the spectral and polarization properties of the sources, image cubes were made for the three Stokes parameters  $I$ ,  $Q$ , and  $U$ . The software WSCLEAN (version 2.3, [Offringa et al. 2014](#)) was used for all the imaging and deconvolution. WSCLEAN was used rather than CASA (which has been more traditionally used) for several reasons. First, it has been shown that WSCLEAN performs faster than and may outperform CASA ([Offringa & Smirnov 2017](#)). Second, and more importantly, WSCLEAN performs polarimetric deconvolution in a more proper way than CASA. The issue of proper treatment for the complex nature of linear polarization deconvolution is discussed in detail by [Pratley & Johnston-Hollitt \(2016\)](#). Basically, CASA searches for

peaks in Stokes  $I$  and total polarization  $\sqrt{Q^2 + U^2 + V^2}$  simultaneously, producing individual clean components in each polarization. This approach is designed to constrain peaks so as to select the most highly polarized components associated with a Stokes  $I$  peak. WSCLEAN, however, allows for searching of peaks in the sum of squares of  $Q^2 + U^2$  independent of  $I$ . Also, WSCLEAN can search for peaks in the sum of squares of the images, rather than the integrated bandwidth, ensuring values with high RM values will not average out.

The image cubes were made by averaging together a set number of spectral channels from the datasets. The number of averaged channels varied between 10 and 20 channels for S and C-band (2 MHz channels) and 20 to 30 channels in L band (1 MHz channels). The number chosen differed by source and depended on the amount and overall quality of the data and the signal to noise of the source.

The Stokes  $I$  images were deconvolved, or cleaned, separately from the Stokes  $Q$  and  $U$  images. Peaks were searched for across all spectral images, but then deconvolved separately for each spectral image. The Stokes  $Q$  and  $U$  data were imaged together with peaks being searched for in the combined polarization  $Q^2 + U^2$  domain.

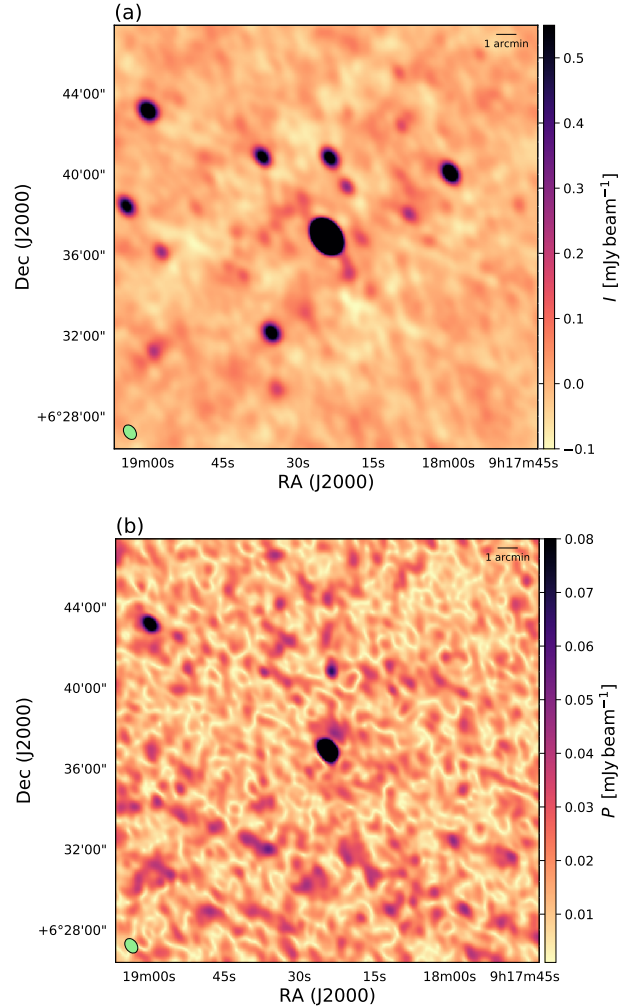
The resulting image cubes for each source were inspected and any spectral channels which showed large artefacts or a large increase in noise compared to the average were excluded. The number of excluded images varied depending on the source but, was generally only one or two images per source. These excluded channels were usually near the sub-bands that were completely flagged for RFI meaning there may have been some RFI that the automatic flagging routines missed. All of the images in each cube were then convolved to a common resolution, or synthesized beam size; with  $B_{\text{maj}}$ ,  $B_{\text{min}}$ , and  $B_{\text{PA}}$  for the major and minor axis full width half maximum (FWHM) sizes and the position angle, generally matching, or encompassing, that of the lowest frequency image. Table 2 lists the image details for each source, while Fig. 1 shows the Stokes  $I$  and polarized intensity weighted average images for one source (J091824+063653).

The instrumental noise values for the sources were measured in source free regions of the images in the outer parts of the primary beam. The signal to noise ratio in Stokes  $I$ ,  $S_I/N_I$ , for the sources ranges from  $\sim 5$  to 800, with a median value of 68.

All of the sources, with the exception of J104624+590524, were unresolved. The source J104624+590524 is resolved into 3 components, two lobes and a core. The core is too faint for polarization detection but each of the lobes are examined separately, noted with the a and b distinctions, and with the positions set to the locations of the Stokes  $I$  peaks for each lobe.

## 2.2 Archival data

We need a sample of sources at lower redshifts to compare to our high redshift sample. We decided to create the control sample based on sources with similar rest frame luminosities. To create the control sample, we need sources with redshifts and Stokes  $I$ , as well as polarization data available at multiple wavelengths, in order to fit for or find the rest-frame luminosities as well as the polarization properties (fractional polarization and rotation measure).



**Figure 1.** Images for source J091824+063653. Panel (a) shows the Stokes  $I$  image at the weighted average frequency of 3.09 GHz, while panel (b) shows the weighted average polarized intensity, with the average taken over the individual frequency channels.

For this we used the catalogues of Klein et al. (2003) and Farnes et al. (2014a). Klein et al. (2003) provided Stokes  $I$  and polarization data for sources from the B3-VLA sample at 1.4, 2.7, 4.8, and 10.5 GHz, as well as redshift and rotation measure information. Farnes et al. (2014a) provided data at multiple frequencies for sources from a variety of surveys such as AT20G (Murphy et al. 2010), GB6 (Gregory et al. 1996), NORTH6CM (Becker et al. 1991), Texas (Douglas et al. 1996), and WENSS (Rengelink et al. 1997).

For both catalogues we initially looked for additional redshifts for any sources where a redshift was not provided using the Simbad and NED databases. We also cut out any sources which only had data at two or less frequencies or had a  $|\text{Galactic latitude}| < 20^\circ$ , as well as eliminating any duplicates. If a duplicate for the new sample was found the archival data for that source was not included, and if there was a duplicate between the Klein and Farnes catalogs the one providing more frequency points per source was kept. This left us with 502 sources from Farnes et al. (2014a) and 33 sources from Klein et al. (2003) for a total of 535 sources.

**Table 2.** Imaging details for the 38 observed and processed sources. Here  $N_{\text{im}}$  is the number of spectral images used for each source, and  $B_{\text{maj}}$ ,  $B_{\text{min}}$ , and  $B_{\text{PA}}$  are the common clean synthesized beam major and minor axes FWHM and position angle of the clean synthesized beam. The  $I$ ,  $Q$ , and  $U$  brightnesses and rms values listed are the median values from all the spectral images.

Name	$N_{\text{im}}$	$B_{\text{maj}}$	$B_{\text{min}}$	$B_{\text{PA}}$	$\bar{I}$	$\bar{Q}$	$\bar{U}$	$\bar{\sigma}_I$	$\bar{\sigma}_Q$	$\bar{\sigma}_U$
		[arcsec]	[arcsec]	[deg]	[mJy beam <sup>-1</sup> ]	[mJy beam <sup>-1</sup> ]	[mJy beam <sup>-1</sup> ]	[mJy beam <sup>-1</sup> ]	[mJy beam <sup>-1</sup> ]	[mJy beam <sup>-1</sup> ]
J001115+144603	40	66.0	47.0	40	24.00	-0.48	-0.05	0.15	0.09	0.08
J003126+150738	59	50.0	40.0	50	68.00	0.03	0.15	0.16	0.07	0.08
J021042-001818	64	65.0	45.0	-9	9.80	-0.32	0.07	0.23	0.08	0.09
J081333+350812	56	48.0	28.0	84	19.00	-0.60	0.95	0.28	0.13	0.12
J083644+005451	80	2.2	1.6	-1	1.20	-0.03	0.01	0.11	0.04	0.04
J083946+511202	55	61.0	47.0	-4	54.00	0.69	-0.36	0.34	0.10	0.09
J085111+142338	39	45.0	30.0	44	5.10	-0.04	-0.03	0.21	0.10	0.11
J085853+345826	35	36.0	26.0	-70	9.40	-0.01	-0.01	0.12	0.06	0.06
J090600+574730	31	55.0	40.0	-74	14.00	-0.53	-0.61	0.17	0.05	0.05
J091316+591920	45	54.0	39.0	-79	10.00	0.02	-0.01	0.14	0.06	0.06
J091824+063653	53	47.0	34.0	34	46.00	-0.43	-0.20	0.12	0.07	0.08
J100424+122924	26	56.0	30.0	42	9.70	0.01	0.03	0.14	0.06	0.06
J100645+462716	29	45.0	36.0	-63	9.50	0.04	0.01	0.15	0.06	0.06
J102551+192314	44	45.0	39.0	43	25.00	-0.29	-0.82	0.22	0.06	0.07
J102623+254259	62	40.0	37.0	-10	150.00	11.00	6.50	0.18	0.07	0.07
J103601+500831	24	65.0	50.0	-63	6.10	0.01	-0.01	0.44	0.13	0.13
J104624+590524a	31	16.0	14.0	69	0.55	-0.04	0.01	0.04	0.02	0.02
J104624+590524b	31	16.0	14.0	69	7.10	-0.42	-0.25	0.04	0.02	0.03
J105320-001650	29	55.0	36.0	18	8.50	0.01	0.01	0.22	0.05	0.05
J130738+150752	39	35.0	33.0	-20	6.50	0.05	-0.25	0.10	0.05	0.06
J130940+573311	26	44.0	34.0	-26	11.00	0.01	-0.04	0.13	0.06	0.05
J132512+112330	38	44.0	34.0	-20	56.00	0.06	0.36	0.16	0.08	0.09
J133342+491625	29	50.0	45.0	-39	19.00	0.77	0.77	0.23	0.08	0.09
J135135+284015	27	55.0	36.0	-49	1.60	0.01	0.01	0.24	0.13	0.12
J142738+331242	48	3.0	2.5	60	1.50	-0.01	-0.01	0.37	0.06	0.06
J142952+544717	39	2.7	2.5	80	3.20	-0.01	-0.02	0.73	0.11	0.11
J151002+570243	26	14.0	7.0	-79	250.00	-7.10	-2.70	0.61	0.16	0.17
J155633+351757	27	25.0	21.0	37	22.00	-0.08	2.20	0.15	0.12	0.12
J161105+084437	65	2.0	1.5	29	13.00	-0.07	0.14	0.60	0.30	0.27
J165913+210116	45	1.7	1.4	29	13.00	-0.17	0.08	0.66	0.25	0.25
J221356-002457	42	52.0	44.0	79	55.00	0.29	-0.09	0.18	0.09	0.09
J222032+002535	100	143.0	65.0	49	54.00	-1.90	3.00	0.64	0.16	0.21
J222235+001536	52	150.0	75.0	49	51.00	-1.60	-2.20	0.63	0.20	0.19
J222843+011032	16	4.2	1.9	45	0.28	0.02	-0.01	0.05	0.04	0.04
J224924+004750	48	93.8	32.7	49	9.30	-0.70	0.50	0.26	0.10	0.10
J231443-090637	43	105.0	50.0	34	3.60	-0.03	0.03	0.27	0.11	0.11
J232604+001333	68	79.0	50.0	39	5.80	0.01	-0.02	0.21	0.11	0.10
J235018-000658	81	90.0	63.0	24	130.00	1.50	3.40	0.37	0.16	0.30

A list of all the archival sources used is given in Appendix E. There are a total of four sources from these two catalogues which have  $z > 3$ , which are thus included in the high redshift sample for analysis. The sample of low  $z$  ( $z < 3$ ) archival sources is used as a control sample by defining by a rest-frame luminosity range, which is described in more detail in Section 3.1.

### 3 SOURCE PROPERTIES

#### 3.1 Stokes $I$ spectrum

For the majority of sources a simple power-law model was used of the form

$$I(\nu) = k \left( \frac{\nu}{1 \text{ GHz}} \right)^{\alpha_1}, \quad (2)$$

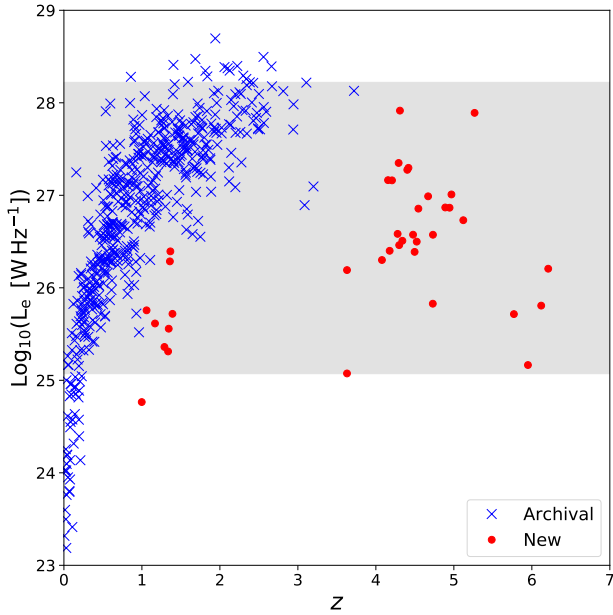
where  $k$  is a constant with units of mJy,  $\alpha_1$  is the spectral index, and  $\nu$  is in GHz, with  $k$  and  $\alpha_1$  being solved for in the fitting process. However, for sources where there was a

clear turnover in the spectrum a broken power-law model was used,

$$\begin{aligned} I(\nu < \nu_{\text{peak}}) &= k \left( \frac{\nu}{1 \text{ GHz}} \right)^{\alpha_2} \\ I(\nu > \nu_{\text{peak}}) &= k \nu_{\text{peak}}^{-\alpha_1 + \alpha_2} \left( \frac{\nu}{1 \text{ GHz}} \right)^{\alpha_1}, \end{aligned} \quad (3)$$

where  $\nu_{\text{peak}}$  is the peak of the spectrum in GHz and  $k$ ,  $\alpha_1$ ,  $\alpha_2$ , and  $\nu_{\text{peak}}$  are all solved for in the fitting. The fitting was performed for all of our observed sources as well as all of the sources from the control sample, except for control sources from Farnes et al. (2014a) as the fitted parameters for those sources were provided. The fitting results for our sample are given in Table D1.

The resulting fitted models are used to find the Stokes  $I$  flux density at the chosen rest-frame frequency  $\nu_e = 15$  GHz, or rather the observed frequency that translates to the rest-frame frequency such that  $\nu_{\text{obs}}(1+z) = \nu_e$ . The value of 15 GHz was chosen as it lies within (or just outside of) the rest-frame frequencies for all of our new high- $z$  sources, and the corresponding  $\nu_{\text{obs}}$  for the archival sources is generally



**Figure 2.** Rest-frame 15 GHz luminosity vs redshift for the control and new data samples. The grey region shows the range of luminosities considered for the analysis. The blue crosses are the archival data (with those inside the grey region defined as the control sample) and the red circles are the new data presented in this paper.

within or near the observed range of frequencies of each source; only 190 of the 502 sources needed extrapolation to  $\nu_{\text{obs}}$ , the rest had at least one frequency point on either side of the 15 GHz rest-frame frequency.

We used the rest frame flux density from the Stokes  $I$  fitting to compute the rest-frame luminosities such that

$$L_e = \frac{I(\nu_e) 4\pi D_L^2}{(1+z)}, \quad (4)$$

where  $I(\nu_e)$  is the flux density in  $\text{W m}^{-2} \text{Hz}^{-1}$  and  $D_L$  is the luminosity distance. It has been shown that the polarization properties of low-luminosity sources appear to be different than for high-luminosity sources (e.g. Pshirkov et al. 2015). Therefore, we used the minimum and maximum values of the luminosity for the high- $z$  sample to define the luminosity limits of the control sample. The luminosity limits are  $25.1 \leq \log_{10}[L_e] \leq 28.3$ . This cut the archival sample size from 535 sources to 476. Figure 2 shows the luminosities vs. redshift for both samples.

### 3.2 Fractional polarization spectrum

The fractional polarization is defined as  $\Pi = P/I$ , where  $I$  are the Stokes  $I$  fitted, or model, values. In order to fit the fractional polarization spectral energy distribution (SED) and obtain values for the fractional polarization at the rest-frame frequency,  $\Pi_e$ , we follow the method laid out by Farnes et al. (2014a). Farnes et al. (2014a) opted to use non-physical models that allow for smoothly interpolating fits that are functionally similar to physical models. Three models were fit to the data as a function of  $\lambda$ : a power-law model, a Gaussian model, and an offset Gaussian model. These models are given

by

$$\Pi(\lambda) = c_1 \left( \frac{\lambda}{1 \text{ cm}} \right)^\beta, \quad (5)$$

$$\Pi(\lambda) = c_2 e^{-(c_3 - \lambda)^2 / (2c_4^2)}, \quad (6)$$

and

$$\Pi(\lambda) = c_2 e^{-(c_3 - \lambda)^2 / (2c_4^2)} + c_5. \quad (7)$$

Here  $c_1$ ,  $c_2$ , and  $c_5$  are dimensionless constants,  $\beta$  is a polarization spectral index,  $c_3$  is the peak wavelength in cm and  $c_4$  is the Gaussian width, also in cm. In this case  $c_1$ ,  $c_2$ ,  $c_3$ ,  $c_4$ ,  $c_5$ , and  $\beta$  are all solved in the fitting.

All three models are fit for each source, with the model having the lowest  $\chi^2$  per degrees of freedom being chosen as the best fitting model. Again, the fitting was performed for all (new and archival) sources, with the Farnes et al. (2014a) sources having the fitted parameters provided. The fitting was performed on the debiased polarization values (for details on the debiasing procedure used see Appendix A).

We chose to adopt these non-physical models for several reasons. First, given that the majority of the archival sources are from Farnes et al. (2014a), using the same models means the fit parameters for these sources are already provided. Also, as stated by Farnes et al. (2014a), the physical models all assume an optically-thin emitting region, which may not be the case. Additionally, all of the physical models make either the critical assumption that the polarized fraction is a meaningful quantity with the measured peak in polarized intensity on the sky coming from the same region as the total intensity peak, or that we detect the same emitting region at each frequency. By choosing non-physical models that have similarities to the physical models, we avoid such assumptions.

With the right constants, the Gaussian model of eq. (6) has a very similar wavelength-dependence of fractional polarization to a ‘Burn’ law (Burn 1966), or to a ‘Spectral Depolarizer’ (Conway et al. 1974). The power-law model is akin to a ‘Tribble’ law (Tribble 1991), and is able to fit a ‘repolarizer’ (Homan et al. 2002; Mantovani et al. 2009; Hovatta et al. 2012). The offset Gaussian of eq. (7) is similar to the ‘Rossetti–Mantovani’ law (Rossetti et al. 2008; Mantovani et al. 2009). For more description and discussion on the physical models and laws mentioned here see Appendix B.

The best-fitting models were used to find the polarization fraction at the chosen rest-frame wavelength  $\lambda_e = 2 \text{ cm}$  ( $\nu_e = 15 \text{ GHz}$ ), i.e. at the observed wavelength that translates to the rest-frame wavelength such that  $\lambda_{\text{obs}}/(1+z) = \lambda_e$ . The fitting results for our sample are given in Table D2.

### 3.3 Rotation measures

Faraday rotation causes a change to the intrinsic polarization angle  $\chi_0$  by an amount that depends on the wavelength of the radiation such that after Faraday rotation

$$\chi = \chi_0 + \phi \lambda^2, \quad (8)$$

where  $\lambda$  is the wavelength,  $\chi$  is the observed polarization angle, and  $\phi$  is known as the Faraday depth. The values of  $\chi$

can be found from

$$\chi = \frac{1}{2} \tan^{-1} \left( \frac{U}{Q} \right). \quad (9)$$

The value of  $\phi$ , is related to the properties of the Faraday rotating plasma (at  $z = 0$ ) by the equation

$$\phi(L) = 0.81 \int_L^{\text{telescope}} n_e B_{\parallel} dl \text{ rad m}^{-2}, \quad (10)$$

where  $n_e$  ( $\text{cm}^{-3}$ ) is the thermal electron density,  $B_{\parallel}$  ( $\mu\text{G}$ ) is the magnetic field, and  $l$  (pc) is the distance along the line of sight (LOS). It is only the magnetic field component parallel to the LOS ( $B_{\parallel}$ ) that contributes. Equation 10 for the Faraday depth is similar to eq. 1 for the rotation measure RM, but the Faraday depth at which all polarized emission is produced is equal to the RM if there is only one emitting source along the line of sight, which has no internal Faraday rotation, and is not affected by beam depolarization (for further detail, see [Brentjens & de Bruyn 2005](#)).

### 3.3.1 RM synthesis

If the polarization vector is expressed as an exponential ( $P = p e^{2i\chi}$ ), and eq. (8) is used for  $\chi$ , when integrating over all possible Faraday depths, [Burn \(1966\)](#) showed that

$$P(\lambda^2) = \int_{-\infty}^{+\infty} F(\phi) e^{2i\phi\lambda^2} d\phi, \quad (11)$$

where  $P(\lambda^2)$  is the (complex) observed polarization vector and  $F(\phi)$  is the Faraday dispersion function (FDF), which describes the *intrinsic* polarization vector at each Faraday depth.

RM synthesis ([Brentjens & de Bruyn 2005](#)) is a technique for calculating  $F(\phi)$  directly from observations of  $P(\lambda^2)$  using a Fourier transform-like equation. The rotation measure response function (RMSF), similar to the synthesized image beam, is determined by the total bandwidth, or  $\Delta\lambda^2$ , with the full width at half maximum (FWHM) of the RMSF,  $\Phi$ , given by

$$\Phi \simeq \frac{2\sqrt{3}}{\Delta\lambda^2}. \quad (12)$$

The RMSF is used in a procedure called RMCLEAN ([Heald et al. 2009](#)). RMCLEAN is similar to interferometric imaging cleaning and deconvolution, where a peak is found in the dirty FDF and a percentage of the peak multiplied by the dirty RMSF is iteratively subtracted with the final clean components convolved with the clean RMSF and added back to the residual FDF. RMCLEAN is applied to  $F(\phi)$  to remove artefacts caused by the  $\lambda^2$  sampling.

For the RM synthesis and cleaning we used a pipeline (Purcell et al., in prep) being developed for use with the future Australian SKA Pathfinder (ASKAP) polarization Sky Survey of the Universe's Magnetism (POSSUM; [Gaensler et al. 2010](#)) survey.<sup>5</sup> The  $I$ ,  $Q$ , and  $U$  images are read in for each source. The pipeline measures the noise in each spectral and polarization image as well as the mean flux density in a small region around the source position. The polarization

vector is created from measuring the  $Q$  and  $U$  intensities of the source, which is then transformed to  $\phi$  space.

Either uniform or variance based weighting can be applied in the transformation. The polarization vector noise  $\sigma_{QU}$  is taken as  $(\sigma_Q + \sigma_U)/2$  for each frequency. Since it is unknown exactly the effect of the different weighting schemes we performed RM synthesis and cleaning on each source using both types of weighting; with the uniform weighted results hereafter referred to as “no-wt” and variance weighted referred to as “sd-wt”. The type of weighting does not seem to have a large impact on the results, with the largest effect being seen for those sources with more than one frequency band and the two bands have largely different noise measurements (e.g. L-band and S-band data where the L-band data consists of significantly less time).

RM cleaning is then performed down to a  $5\sigma_{\text{FDF}}$  level, where

$$\sigma_{\text{FDF}} = \left( \frac{1}{\sum \sigma_{QU}^{-2}} \right)^{1/2}. \quad (13)$$

Once a peak in the FDF is detected, the region around the peak is oversampled and the position of the peak (the RM) and the peak value ( $A$ ) are fit for, with these values being reported in Table D3. The uncertainties in the fit parameters are given by

$$\Delta A \propto \frac{\sqrt{\delta\phi} \sigma_{\text{FDF}}}{\sqrt{\Phi}}, \quad (14)$$

and

$$\Delta \text{RM} \propto \frac{\sqrt{\Phi} \delta\phi \sigma_{\text{FDF}}}{A}, \quad (15)$$

where  $\delta\phi$  is the  $\phi$  spacing. The expressions for the uncertainties come from the derived Gaussian fitting parameter uncertainties (e.g. [Landman et al. 1982](#)). The signal-to-noise ratio (S/N) is then defined as  $A/\sigma_{\text{FDF}}$ .

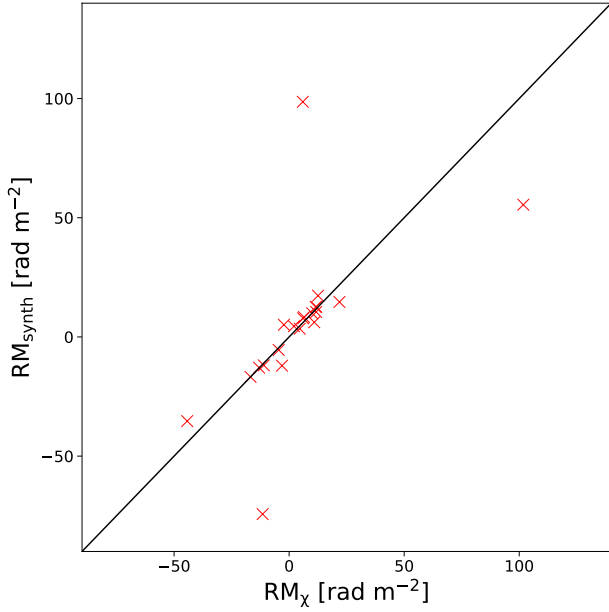
The RM synthesis was only performed on the new sample of sources presented here, not for any of the archival sample sources (for the archival source RM values see Appendix E). Since the archival source RMs were obtained by fitting the  $\chi$  vs  $\lambda^2$  slope, rather than RM synthesis, we also fit for the  $\chi$  slope of each of the new sources. The RM obtained via this method is designated  $\text{RM}_{\chi}$  and is also reported in Table D3. The median ratio of  $\text{RM}_{\chi}$  to  $\text{RM}_{\text{synth}}$  is 1.08 for those sources with a detection from the RM synthesis, with the two plotted against each other in Fig. 3.

### 3.3.2 QU fitting

Another way to fit the Faraday dispersion function is  $QU$  fitting. In this approach the FDF is forward modelled by assuming a  $F(\phi)$  model, transforming it to the complex vector  $\vec{P}(\lambda^2)$  and fitting the Stokes  $Q$  (real part) and  $U$  data (imaginary part) directly; as opposed to RM synthesis which transforms  $\vec{P}(\lambda^2)$  directly to  $F(\phi)$ .

The advantages to this approach are that one is able to fit more complex or specific models to the FDF. RM synthesis will often fail to find the underlying Faraday structure, even in the simple case of two components (e.g. [Farnsworth et al. 2011](#); [O’Sullivan et al. 2012](#)).  $QU$  fitting allows for multiple RMs or a range of RMs to be found, rather than simply finding the RM as the peak  $\phi$ , as in the RM synthesis case.

<sup>5</sup> <https://github.com/crpurcell/RM-tools>



**Figure 3.** Rotation measures measured from RM synthesis compared to those from fitting the slope of  $\chi$  vs  $\lambda^2$  for those sources with a RM synthesis detection. The black line shows a one-to-one correspondence.

The disadvantages of  $QU$  fitting compared to RM synthesis are that the results are model dependent and that there may be degeneracies between different models. Also, the case of multiple or complex components can lead to more than one RM value, which can make things more difficult to interpret when looking at group statistics, for example (see e.g. [Farnsworth et al. 2011](#); [Sun et al. 2015](#), for more discussion on the differences of  $QU$  fitting and RM synthesis).

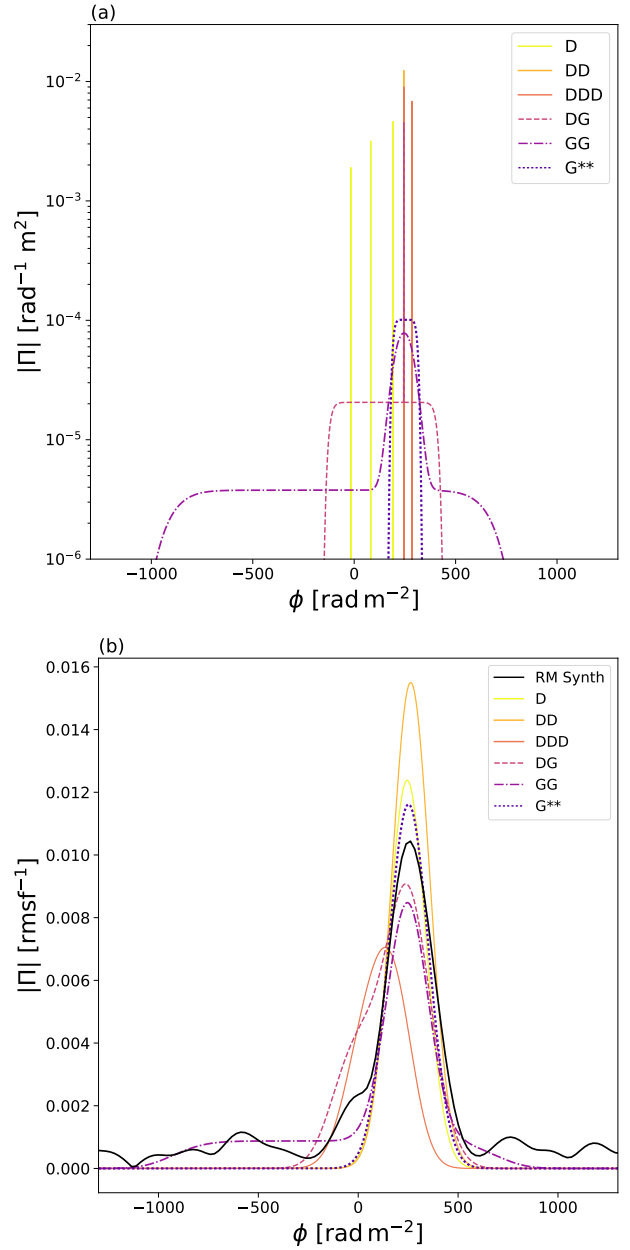
We decided to do  $QU$  fitting in addition to RM synthesis in order to compare the results from the two methods and look for more complex Faraday structure.<sup>6</sup> For models we followed the example of [Anderson et al. \(2016\)](#), where a  $\delta$  function in  $\phi$  space is used to represent a Faraday “thin” component with polarization angle  $\psi_0$  and modulus  $p$  at a Faraday depth of  $\phi_0$ , with these components denoted as “D” for delta function. A modified, or super, Gaussian is used for a Faraday “thick” component with the form

$$p(\phi) = -\frac{p}{\sqrt{2\pi}\sigma_\phi} \exp\left(2i\psi_0 + \frac{1}{2} \left[\frac{-|\phi - \phi_0|}{\sigma_\phi}\right]^N\right), \quad (16)$$

where  $p$  is the peak,  $\phi_0$  is the Faraday depth,  $\sigma_\phi$  is the width,  $\psi_0$  is the polarization angle, and  $N$  is the shape parameter which controls the deviation from a standard Gaussian function. The thick components are denoted as “G” for Gaussian.

We fit models consisting of one, two, and three thin components (“D”, “DD”, and “DDD”), a thin and thick component (“DG”), two thick components (“GG”), and one thick component (“G”). All six models were fit to our source sample using Monte Carlo Markov Chains (MCMC) to find

<sup>6</sup> The  $QU$  fitting was only performed on the new sample of sources presented here, not for any of the archival sample sources.



**Figure 4.**  $QU$ -fitting absolute value Faraday dispersion functions for source J091824+063653. Both panels show the lowest  $\chi^2$  result for each of the six models, where “D” represents a delta function, or thin component, and “G” is a modified Gaussian, or thick component. The number of letters in each model is the number of thin and thick components. The model marked \*\* (in this case G) is the best-fit of the six, i.e. the chosen model with the lowest  $\chi^2$  per degrees of freedom. Panel (b) is the same as panel (a) except convolved with the RMSF from the RM synthesis and plotted against the RM synthesis output (solid black line).

the parameters and uncertainties for each model and source (10,000 steps in a chain per model per source). For each source the parameters that yielded the lowest  $\chi^2$  for each model were used to compute the best-fitting values for each model. Then those six models were compared and the one with the lowest  $\chi^2$  per degrees of freedom was chosen as the

reported best-fit model and parameters. Figure 4 compares all six best-fit models for one source.

For the sources with RM S/N < 8 from the RM synthesis, the S/N was too low for accurate QU fitting as well. The more complex models were not converging, and all of these sources have a single thin component, or delta function, listed as the chosen model.

## 4 RESULTS

### 4.1 Fitting results

The full results for all the fitting and RM synthesis are given in Appendix D with the Stokes *I* fitting given in Table D1, the polarized fraction in Table D2, the RM synthesis in Table D3, and the QU fitting in Table D4. Plots of the spectra and FDF, with fitting results, for one example source (J222032+002535) are shown in Fig. 5, with similar plots for all of the new sources imaged in this work given in Appendix F.

Only one source, J161105+084437, showed a turnover in the Stokes *I* spectrum, requiring the use of eq.(3). The mean spectral index from the sample is  $\langle\alpha_1\rangle = -0.59 \pm 0.03$ . The majority of sources are steep spectrum, with 30 of the 38 sources having  $\alpha < -0.3$ , three sources have  $\alpha_1 > 0$ , or increasing intensity with frequency, and six sources show ultra steep spectra with  $\alpha_1 < -1.0$  (two of those being the AGN lobe components of J104624+590524). When considering all of the new and control sources, the mean spectral index is  $\langle\alpha\rangle = -0.47 \pm 0.02$ , with 60 per cent having  $\alpha \leq -0.3$ , 15 per cent with  $\alpha \leq -1.0$ , and 21 per cent having  $\alpha \geq 0$ .

For the polarized fraction, there are 19 sources fit with the power-law model of eq.(5), 13 sources fit with the Gaussian model of eq.(6), and 6 sources fit with the offset Gaussian of eq.(7). The mean rest-frame polarization fraction  $\langle\Pi_{\lambda_e}\rangle = 4.2 \pm 0.6$  per cent for all of the new sources, and  $4.5 \pm 0.18$  per cent for all sources including the control sample.

From the RM synthesis we set a S/N cutoff of 8, which leaves us with 22 sources with a RM detection (those with a flag value of “1” in Table 3), with 16 of those sources having  $z \geq 3$  (Those with non-detections are discussed further in Section 5.1). For those with S/N < 8, an RM value (and peak) is still fit and reported in Table 3 and Table D3, which is the Faraday depth at the peak amplitude of the FDF; it is just not a significant peak and is therefore a non-detection and the values are not used in further analysis. With the additional four sources from the control sample with RM measurements and  $z \geq 3$  we have a total of 20 high-*z* sources with RM values and 478 sources with RM values and  $z < 3$ .

From the QU fitting there are 16, 9, 5, 4, 2, and 2 sources for which the best-fit models were respectively “D”, “DD”, “DDD”, “DG”, “GG”, and “G”. For those 21 sources with detected peaks from the RM synthesis the results are 0, 9, 5, 4, 2, and 2 sources. When considering all of the sources, a single delta function, or “D”, model is the most common, however, when looking at the sources with RM synthesis detections, two thin components is the most common, with three thin components being nearly as common. As previously mentioned, for the low S/N sources the more complex models were not converging, and all of these sources have a single thin component, or delta function, listed as the chosen model. We report the fit parameters for these sources, but still consider them a non-detection, even in the QU fitting.

Figure 6 compares the values from QU fitting to those from RM synthesis (panel a) and the  $\Pi_e$  fitting (panel b). From this we can see that for sources with a detection (red crosses in panel b) the  $\Pi_e$  from the QU model is quite close to the values obtained from the  $\Pi_e$  model fitting, with a median ratio of 1.008. However, for the no-detection sources the median ratio changes to 0.45, with the model fit values being higher than from QU fitting.

When comparing the RMs we can see that the max RM (the RM associated with the maximum amplitude component) from the QU fitting,  $RM_{QU^*}$ , is a closer match to the RM synthesis value than the mean RM from the QU fitting,  $RM_{<QU>}$  (the mean of the RMs from the multiple components). The mean absolute difference,  $|(RM_{QU} - RM_{sd-wt})|$ , for  $RM_{QU^*}$  is  $20 \text{ rad m}^{-2}$  and for  $RM_{<QU>}$  is  $60 \text{ rad m}^{-2}$ . This makes sense as the RM synthesis only reports the value of the peak (even if more clean components are found during the RM cleaning). The two sources with the largest max QU differences, J132512+112330 and J221356-002457, look to have more complicated Faraday spectra that may be better fit with more complex QU-fitting models (see Figs. F22 and F31 for plots of these two sources).

The observed RM is a combination of the Galactic contribution (GRM), the extragalactic residual RM (RRM), and the measurement uncertainty  $N$  such that

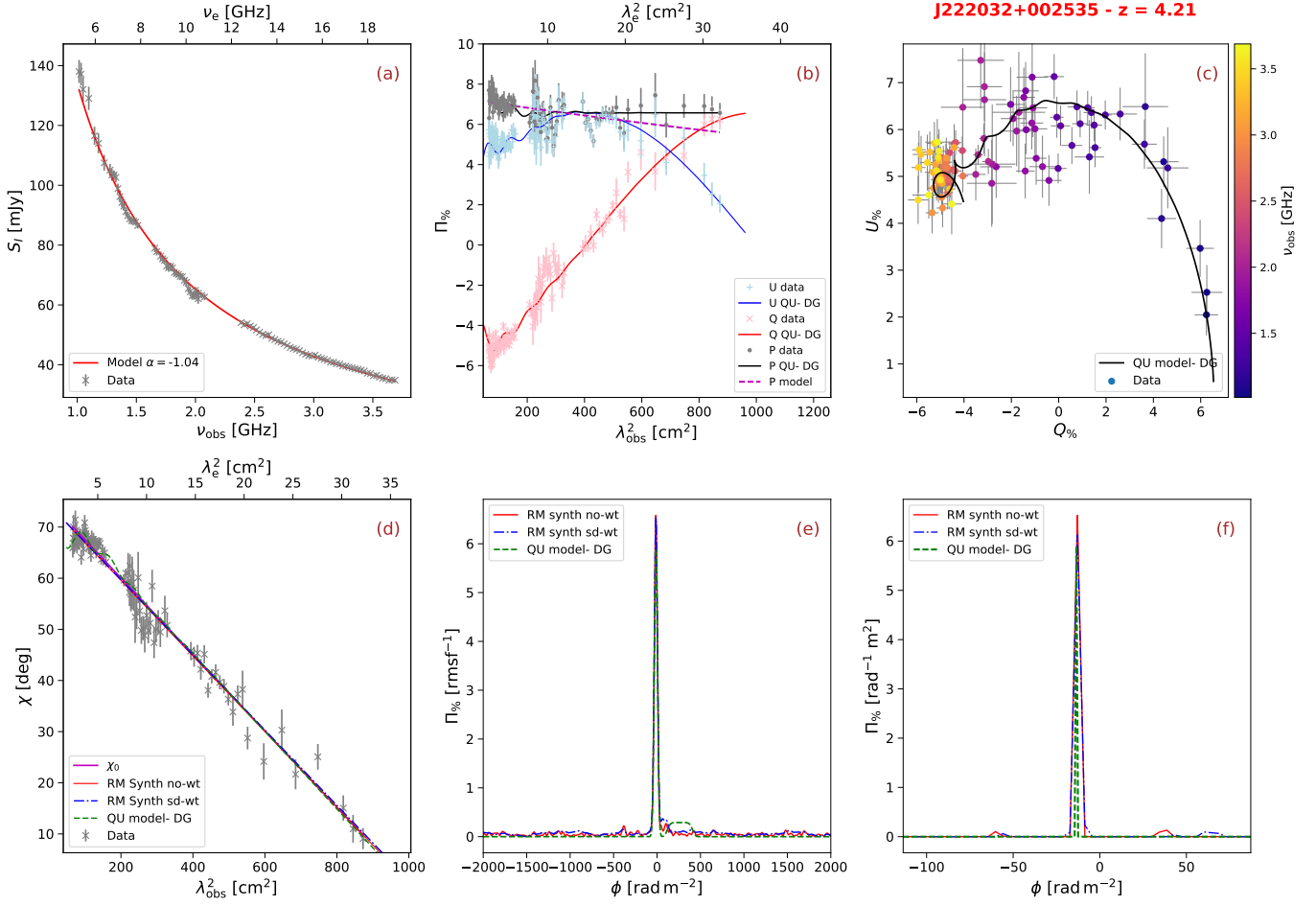
$$RM = RRM + GRM + N. \quad (17)$$

In order to examine just the extragalactic RM we applied the algorithm developed by Oppermann et al. (2015) (see also Oppermann et al. 2012). This entailed using the same code and same sample of RM sources as Oppermann (41632 RMs) and including the 22 new RMs measured by our RM synthesis, and then iteratively solving for the Galactic RM. For the full details about the procedure please refer to Oppermann et al. (2012, 2015). The effect of adding the new sources is small, particularly as they reside off the Galactic plane in regions where the Galactic RM contribution is more comparable. However, the 22 new RM sources have smaller uncertainties than the majority of the original Oppermann sources, which come largely from Taylor et al. (2009), and therefore increase the overall accuracy of the estimation. The Galactic RM output from this procedure is shown in Fig. 7.

The extragalactic residual can be obtained by subtracting the Galactic RM from the observed RM,  $RM - GRM$ . It should be noted that simply taking the difference of observed and Galactic RMs yields an extragalactic contribution combined with the uncertainty ( $RRM + N$ ). In Oppermann et al. (2015) a method is shown for separating the uncertainty and extragalactic estimates. However, this technique is only valid under certain assumptions for the posterior distribution, which may not hold for sources over a range of redshifts and is therefore not optimal to apply when studying cosmic RM evolution (for more discussion on this see appendix C of Oppermann et al. 2015).

While it is possible for the RRM of a source to be due to intervening magnetic fields, we can also look at the rest-frame RRM, or  $RRM_z$ . Equation (10) can be rewritten as eq.(1). From that we can see that if we assume that all the RRM comes from magnetized plasma in the vicinity of the source then

$$RRM_z = RRM(1 + z)^2, \quad (18)$$



**Figure 5.** Spectra and Faraday dispersion functions for source J222032+002535. Panel (a) is the Stokes  $I$  spectrum vs frequency, with grey points showing the data and the red solid line showing the fitted model from eq.(2) or (3). Panel (b) shows the fractional Stokes  $Q$  (red) and  $U$  (blue) and  $P$  (gray) spectra vs  $\lambda^2$ , with the points showing the image data and the lines showing the best-fit models from the  $QU$  fitting, the dashed purple line shows the best fit  $P$  model from eq.(5), (6), or (7). Panel (c) shows the fractional Stokes  $Q$  vs  $U$  with the solid line being the best-fit  $QU$ -fitting model and the colouring of the points showing the frequency. Panel (d) shows the polarization angle vs  $\lambda^2$ , with the red solid and blue dot-dashed lines from the RM synthesis (eq. 8 and 9), the green dashed line from the  $QU$  fitting, and the purple solid line from the slope fitting. Panel (e) shows the fractional (cleaned) absolute value Faraday dispersion functions for “no-wt” (red solid) and “sd-wt” (blue dot-dashed) weighting and the  $QU$ -fitting (green dashed line) convolved with a Gaussian with width equal to the mean of the two RMSFs. Panel (f) shows the un-convolved (fractional) absolute value Faraday dispersion functions (or RMCLEAN clean components) from the “no-wt” RM synthesis (red solid), “sd-wt” (blue dot-dashed), and  $QU$  fitting (green dashed).

and similarly  $RM_z = RM(1+z)^2$ . The values of GRM, RRM, and  $RRM_z$  are given in Table 4, with the values of GRM obtained from the source locations on the Galactic RM map. Figure 8 shows the RMs and  $\Pi_e$  against redshift, and the RRMz against  $\Pi_e$ . Table 5 provides the mean and uncertainties values for the different RMs and  $\Pi_e$ , divided into high and low redshift.

## 4.2 Effect of redshift

We want to know if there is a difference between the polarization and Faraday rotation of high and low redshift sources. There are several ways we can attempt to answer this question using our current data.

### 4.2.1 RM vs. $z$

The first thing we can do is look at RM as a function of  $z$ . We computed the mean, median, and weighted mean (along with the standard deviation, interquartile range, and weighted standard deviation) for  $|RM|$ ,  $|RRM|$ ,  $|RM_z|$  and  $|RRM_z|$  in bins of  $z$ . The  $z$  bins were chosen to give the same number of sources in each bin to within a factor of two. The results for  $|RRM|$  and  $|RRM_z|$  are shown in Fig. 9.

If there is no dependence on redshift, we would expect  $|RRM|$  to remain flat as a function of  $z$ , and  $|RRM_z|$  to change as  $(1+z)^2$ . From Fig. 9 it appears that for both RRM and  $RRM_z$  there is a decrease in the mean (and medians and weighted averages) RRM for the sources at  $z > 3$ . Fitting a function of the form  $(1+z)^\kappa$  shows that regardless of which RM is used (no-wt, sd-wt, QU) or which statistic (mean,

**Table 3.** Fitted and derived parameters for the new sources. Here  $I_e$  is the rest-frame stokes  $I$  flux density,  $\alpha_1$  is the spectra index,  $\Pi_e$  is the rest-frame polarization fraction,  $L_e$  is the rest-frame luminosity in units of  $\text{W m}^{-2} \text{Hz}^{-1}$ ,  $\text{RM}_{\text{no-wt}}$  and  $\text{RM}_{\text{sd-wt}}$  are the RM synthesis rotation measures from uniform and variance weighting, respectively. The flag column indicates a S/N > 8 detection in the RM synthesis (1=detection, 0=no detection). The  $\text{RM}_{<\text{QU}>}$  values for sources with multiple components are the mean RMs of those components, while  $\text{RM}_{\text{QU}^*}$  are the max, or peak location, RMs.

Name	$z$	flag	$I_e$ [mJy]	$\alpha_1$	$\log_{10}[L_e]$	$\Pi_e$ [%]	$\text{RM}_{\text{no-wt}}$ [rad $\text{m}^{-2}$ ]	$\text{RM}_{\text{sd-wt}}$ [rad $\text{m}^{-2}$ ]	$\text{RM}_{<\text{QU}>}$ [rad $\text{m}^{-2}$ ]	$\text{RM}_{\text{QU}^*}$ [rad $\text{m}^{-2}$ ]
J001115+144603	4.97	1	24.3	-0.42	27.0	2.63	-11.9	-6.5	6.2	-6.8
J003126+150738	4.29	1	66.6	0.4	27.3	0.31	15	10	-61	7
J021042-001818	4.73	1	9.6	-0.37	26.6	3.41	5.1	-4.5	15.0	-8.7
J081333+350812	4.95	1	23.7	-0.93	27.0	4.73	12.6	11.9	4.0	6.5
J083644+005451	5.77	0	0.99	-0.5	25.7	4.79	-8682	-8688	12	12
J083946+511202	4.40	1	54.0	-0.19	27.3	1.56	10.5	13.5	8.8	2.1
J085111+142338	4.18	0	7.8	-0.50	26.4	2.29	-60	-3	30	30
J085853+345826	1.34	0	4.56	-0.94	25.3	0.73	8480	8720	-903	-903
J090600+574730	1.34	1	7.94	-0.70	25.6	3.47	-5.5	-5.2	-35.0	1.7
J091316+591920	5.12	0	12.24	-0.99	26.7	0.76	-7810	-7810	-1010	-1010
J091824+063653	4.16	1	45.7	-0.14	27.2	1.31	256.2	259.0	251.4	251.4
J100424+122924	4.52	0	8.67	0.54	26.5	0.73	150	150	120	120
J100645+462716	4.34	0	9.4	-0.40	26.5	0.66	-2860	-2860	69	69
J102551+192314	1.17	1	11.82	-0.8	25.6	4.86	17.3	16.0	-2.5	14.5
J102623+254259	5.27	1	169.8	-0.60	27.9	8.12	9.92	9.90	10.10	-8.31
J103601+500831	4.50	0	6.8	-0.83	26.4	1.99	2310	2330	-1100	-1100
J104624+590524a	3.63	1	0.460	-1.52	25.1	9.93	-12	-7	-7	-7
J104624+590524b	3.63	1	6.03	-1.44	26.2	7.02	8.3	8.3	-55.0	6.5
J105320-001650	4.30	0	8.6	-0.62	26.5	0.79	-1160	-6690	275	275
J130738+150752	4.08	1	6.44	-0.61	26.3	4.13	6	11	10	-50
J130940+573311	4.28	0	11.5	-0.54	26.6	0.50	9370	30	35	35
J132512+112330	4.42	1	56.5	-0.34	27.3	0.76	55	78	170	65
J133342+491625	1.39	1	10.75	-0.80	25.7	6.04	12.6	12.7	21.9	15.2
J135135+284015	4.73	0	1.73	-1.23	25.8	8.05	-1980	2690	-1530	-1530
J142738+331242	6.12	0	1.12	-0.9	25.8	7.87	75	4802	-560	-560
J142952+544717	6.21	0	2.7	-0.6	26.2	4.10	-6891	-6880	-1013	-1013
J151002+570243	4.31	1	243.3	-0.39	27.9	3.79	-74.3	-82.9	-36.2	-127.0
J155633+351757	4.67	1	25.5	-0.20	27.0	9.12	7.8	7.4	59.0	7.0
J161105+084437	4.55	0	19.6	-0.4	26.9	3.56	4601	4547	1061	1061
J165913+210116	4.89	1	18.02	-0.69	26.9	2.04	99	96	190	92
J221356-002457	1.06	1	19.8	-1.12	25.8	0.40	-35	-34	-30	-31
J222032+002535	4.21	1	44.61	-1.04	27.2	7.04	-12.90	-12.83	62.34	-13.24
J222235+001536	1.36	1	41.5	-0.26	26.3	4.30	-16.78	-16.92	-15.94	-23.16
J222843+011032	5.95	0	0.27	-0.1	25.2	17.90	-7123	-7123	-9	-9
J224924+004750	4.48	1	9.31	-0.68	26.5	9.51	4.5	4.1	12.0	5.3
J231443-090637	1.29	0	5.5	0.5	25.4	2.17	7	8910	1000	1000
J232604+001333	1.00	0	2.27	-0.90	24.8	1.46	-8174	2280	398	398
J235018-000658	1.36	1	52.83	-1.00	26.4	3.94	3.45	5.93	13.50	17.20

median, weighted mean) for  $|\text{RRM}_z|$  or  $|\text{RM}_z|$ ,  $\kappa > 2$  if the  $z > 3$  sources are not included ( $2.4 \leq \kappa \leq 3.4$ ), but this drops when including the highest redshift bin ( $1.1 \leq \kappa \leq 2.1$ ).

This seems to indicate that the higher redshift sources might have intrinsically lower RMs. However it is unclear from simply examining these plots if this difference is significant (or how significant). Further tests are required to quantitatively determine the significance of any differences, which are discussed below in Sections 4.2.2 and 4.2.3.

#### 4.2.2 Bootstrap tests

A bootstrap test can be used to test the hypothesis that two samples are from the same population (Efron 1979). In general there are two samples  $X_1$  and  $X_2$  of size  $n_1$  and  $n_2$ . The test statistic is computed, generally the difference in the means of the two samples,  $\mu^* = \mu_1^* - \mu_2^*$ . The bootstrap procedure is as follows:

1. The two samples are combined into one sample  $X$  of size  $n = n_1 + n_2$ .
2. Two new samples are drawn randomly with replacement from  $X$  of size  $n_1$  and  $n_2$ .
3. Recompute the test statistic  $\mu = \mu_1 - \mu_2$ .
4. Repeat steps 2 and 3  $N_B$  times (500 to several thousand) to obtain  $N_B$  values of the test statistic.
5. The p-value,  $p^*$  is then calculated from the distribution of  $\mu^*$ 's, for a two-tailed probability

$$p^* = 2 \times \min \left[ \frac{N_{\mu^* > \mu}}{N_B}, \frac{N_{\mu^* < \mu}}{N_B} \right], \quad (19)$$

where  $N_{\mu^* > \mu}$  is the number of trials where  $\mu^*$  is greater than  $\mu$  and  $N_{\mu^* < \mu}$  is the number of trials where  $\mu^*$  is less than  $\mu$ .

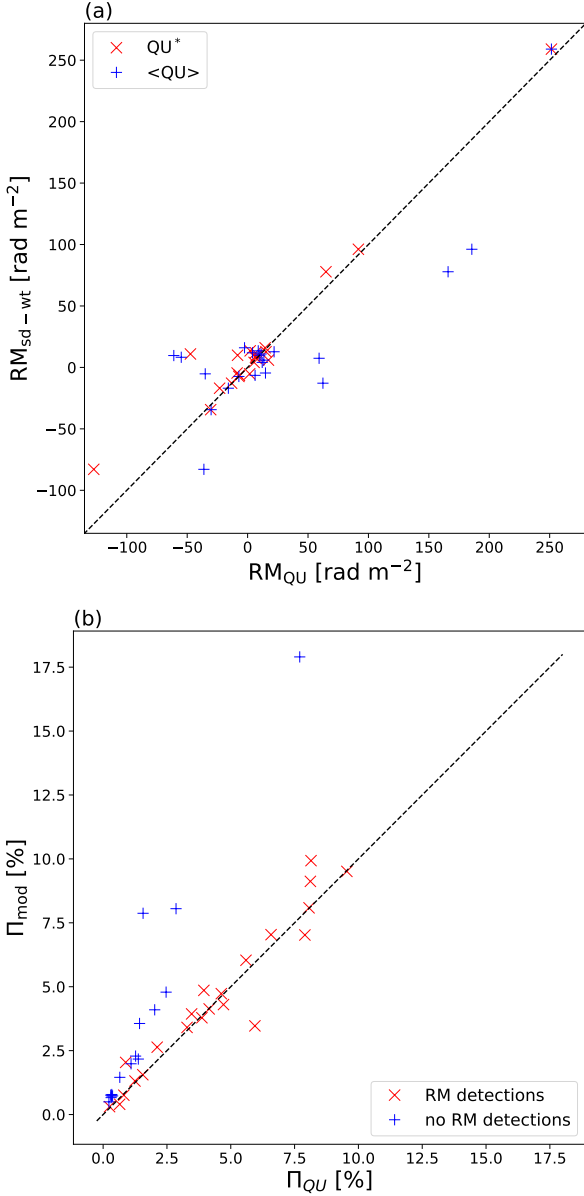
The hypothesis that the samples are from the same population can be rejected with  $\alpha$  significance (usually  $\alpha = 0.05$ ) if  $p^* < \alpha$ . The idea is that if the two samples are from the

**Table 4.** Galactic, residual, and residual rest-frame rotation measures. The Galactic rotation measures, or GRM, are computed as described in Section 4, using the algorithm of [Oppermann et al. \(2012, 2015\)](#) using both of the RMs from the RM synthesis and the mean RM from the QU fitting, as described in Section 3.3.1 and Section 3.3.2. The intrinsic, or rest-frame, RMs,  $\text{RRM}_z$  are computed from eq. (18). The flag column is the same as that from Table 3, where 1 indicates an RM detection and a 0 indicates no detection, only values for sources with a detection are reported.

Name	flag	no-wt			sd-wt			QU*		
		GRM [rad m <sup>-2</sup> ]	RRM [rad m <sup>-2</sup> ]	$\text{RRM}_z$ [rad m <sup>-2</sup> ]	GRM [rad m <sup>-2</sup> ]	RRM [rad m <sup>-2</sup> ]	$\text{RRM}_z$ [rad m <sup>-2</sup> ]	GRM [rad m <sup>-2</sup> ]	RRM [rad m <sup>-2</sup> ]	$\text{RRM}_z$ [rad m <sup>-2</sup> ]
J001115+144603	1	-15.3	3.4	122.0	-16.2	9.8	350.0	-15.8	8.6	310.0
J003126+150738	1	-15.1	30	830	-16.1	30	700	-15.6	20	600
J021042-001818	1	-0.3	5.4	180.0	1.2	-5.7	-190.0	0.4	-8.4	-280.0
J081333+350812	1	5.1	7.5	266.0	3.9	8.0	283.0	4.5	1.4	50.0
J083644+005451	0	6.4	—	—	6.3	—	—	6.3	—	—
J083946+511202	1	-4.7	15.2	443.0	-4.4	17.8	521.0	-4.5	6.8	200.0
J085111+142338	0	24.2	—	—	24.0	—	—	24.1	—	—
J085853+345826	0	15.0	—	—	15.0	—	—	15.0	—	—
J090600+574730	1	-4.9	-0.6	-3.3	-4.9	-0.4	-2.0	-4.9	6.6	36.0
J091316+591920	0	-5.2	—	—	-5.2	—	—	-5.2	—	—
J091824+063653	1	69.5	186.7	4964.0	59.4	199.6	5307.0	64.4	181.9	4837.0
J100424+122924	0	-2.1	—	—	-2.2	—	—	-2.2	—	—
J100645+462716	0	8.7	—	—	8.6	—	—	8.7	—	—
J102551+192314	1	7.6	9.7	45.5	7.9	8.1	38.1	7.7	6.9	32.4
J102623+254259	1	11.5	-1.57	-61.60	11.6	-1.66	-65.20	11.5	-19.80	-777.00
J103601+500831	0	10.7	—	—	10.7	—	—	10.7	—	—
J104624+590524a	1	1.5	-14	-290	1.8	-9	-200	1.7	-9	-200
J104624+590524b	1	1.6	6.7	140.0	2.0	6.2	130.0	1.8	4.9	100.0
J105320-001650	0	5.4	—	—	5.4	—	—	5.4	—	—
J130738+150752	1	3.5	3	70	3.7	7	190	3.6	-51	-1300
J130940+573311	0	7.0	—	—	7.0	—	—	7.0	—	—
J132512+112330	1	2.7	53	1500	2.5	75	2200	2.6	62	1800
J133342+491625	1	10.3	2.3	12.9	10.1	2.6	14.9	10.2	4.9	28.2
J135135+284015	0	3.4	—	—	3.5	—	—	3.4	—	—
J142738+331242	0	2.3	—	—	2.2	—	—	2.2	—	—
J142952+544717	0	12.8	—	—	12.8	—	—	12.8	—	—
J151002+570243	1	7.1	-81.4	-2290.0	7.6	-90.6	-2550.0	7.4	-134.0	-3790.0
J155633+351757	1	5.6	2.2	71.0	5.6	1.8	59.0	5.6	1.4	46.0
J161105+084437	0	6.0	—	—	5.7	—	—	5.8	—	—
J165913+210116	1	54.2	44	1500	54.1	42	1500	54.2	37	1300
J221356-002457	1	-17.0	-18	-77	-14.4	-20	-85	-15.7	-14	-57
J222032+002535	1	-14.0	1.14	30.90	-12.8	-0.08	-2.14	-13.4	0.80	21.77
J222235+001536	1	-12.6	-4.14	-23.06	-11.8	-5.16	-28.72	-12.2	-10.53	-58.57
J222843+011032	0	-5.7	—	—	-5.5	—	—	-5.6	—	—
J224924+004750	1	-3.9	8.3	250.0	-2.6	6.7	200.0	-3.3	9.2	280.0
J231443-090637	0	-6.8	—	—	-6.9	—	—	-6.9	—	—
J232604+001333	0	-15.8	—	—	-15.9	—	—	-15.8	—	—
J235018-000658	1	-0.9	4.39	24.50	1.2	4.69	26.20	0.2	18.20	102.05

**Table 5.** RM statistics for sources for high and low redshift sources. All values were calculated using the absolute values of the RMs and only using values with an RM S/N > 8. Here  $\sigma_{\text{SE}}$  is the standard error on the mean. The mean\* and  $\sigma_{\text{SE}}^*$  are the weighted mean and weighted variance.

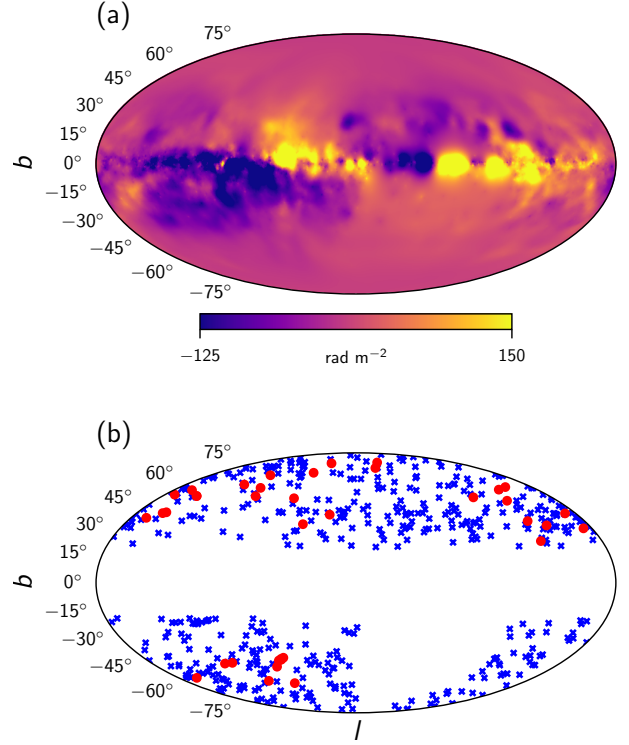
	no-wt					sd-wt					QU*			
	$\Pi_e$	$ \text{RM} $	$ \text{RRM} $	$ \text{RM}_z $	$ \text{RRM}_z $	$ \text{RM} $	$ \text{RRM} $	$ \text{RM}_z $	$ \text{RRM}_z $	$ \text{RM} $	$ \text{RRM} $	$ \text{RM}_z $	$ \text{RRM}_z $	
	[%]	[rad m <sup>-2</sup> ]	[rad m <sup>-2</sup> ]	[rad m <sup>-2</sup> ]	[rad m <sup>-2</sup> ]	[rad m <sup>-2</sup> ]	[rad m <sup>-2</sup> ]	[rad m <sup>-2</sup> ]	[rad m <sup>-2</sup> ]	[rad m <sup>-2</sup> ]	[rad m <sup>-2</sup> ]	[rad m <sup>-2</sup> ]	[rad m <sup>-2</sup> ]	
	$z > 3$													
mean	4.5	60	50	1400	1100	60	50	1400	1200	60	50	1500	1200	
median	3.5	10	8	420	260	10	9	390	240	10	9	340	290	
mean*	1.5	10	2	380	74	10	3	400	90	10	2	370	40	
$\sigma_{\text{SE}}$	0.7	20	20	450	410	20	20	460	420	20	20	460	420	
$\sigma_{\text{SE}}^*$	0.4	2	2	70	70	3	3	90	90	2	2	70	50	
	$z < 3$													
mean	4.5	60	60	300	290	60	60	300	290	60	60	300	290	
median	3.2	24	15	80	60	20	15	80	60	20	15	84	60	
mean*	5.8	20	12	96	50	20	15	110	70	30	20	140	90	
$\sigma_{\text{SE}}$	0.2	4	4	30	30	4	4	30	30	4	4	30	30	
$\sigma_{\text{SE}}^*$	0.3	2	2	10	9	2	2	11	11	2	2	10	10	



**Figure 6.** Comparison of RM and  $\Pi_e$  values from QU fitting with those from RM synthesis and  $\Pi_e$  model fitting. Panel (a) shows the QU fitting RMs vs. the sd-wt RMs from RM synthesis. The red crosses are the RM values for the peak amplitudes for those sources with multiple components fit in the QU fitting, whereas the blue pluses are the mean of the multiple component RMs. Panel (b) shows the  $\Pi_e$  value from the QU fitting model at the rest-frame wavelength vs. the values obtained from fitting models in Section 3.2. The red crosses are the sources with RM detections from the RM synthesis ( $S/N \geq 8$ ), while the blue pluses are the sources with RM synthesis  $S/N < 8$ . The black dashed lines show a one-to-one relation.

same population,  $\mu^*$  should be fairly common, whereas if the two samples are genuinely different, then a value of  $\mu^*$  should not happen frequently with the resampling.

In our case, the test statistic is the difference in the means of the absolute value of the RMs from each sample,  $\mu^* = \langle |RM_1| \rangle^* - \langle |RM_2| \rangle^*$  (or RRM,  $RM_z$ ,  $RRM_z$ ), with  $n_1 = 478$  ( $z < 3$ ) and  $n_2 = 20$  ( $z \geq 3$ ).

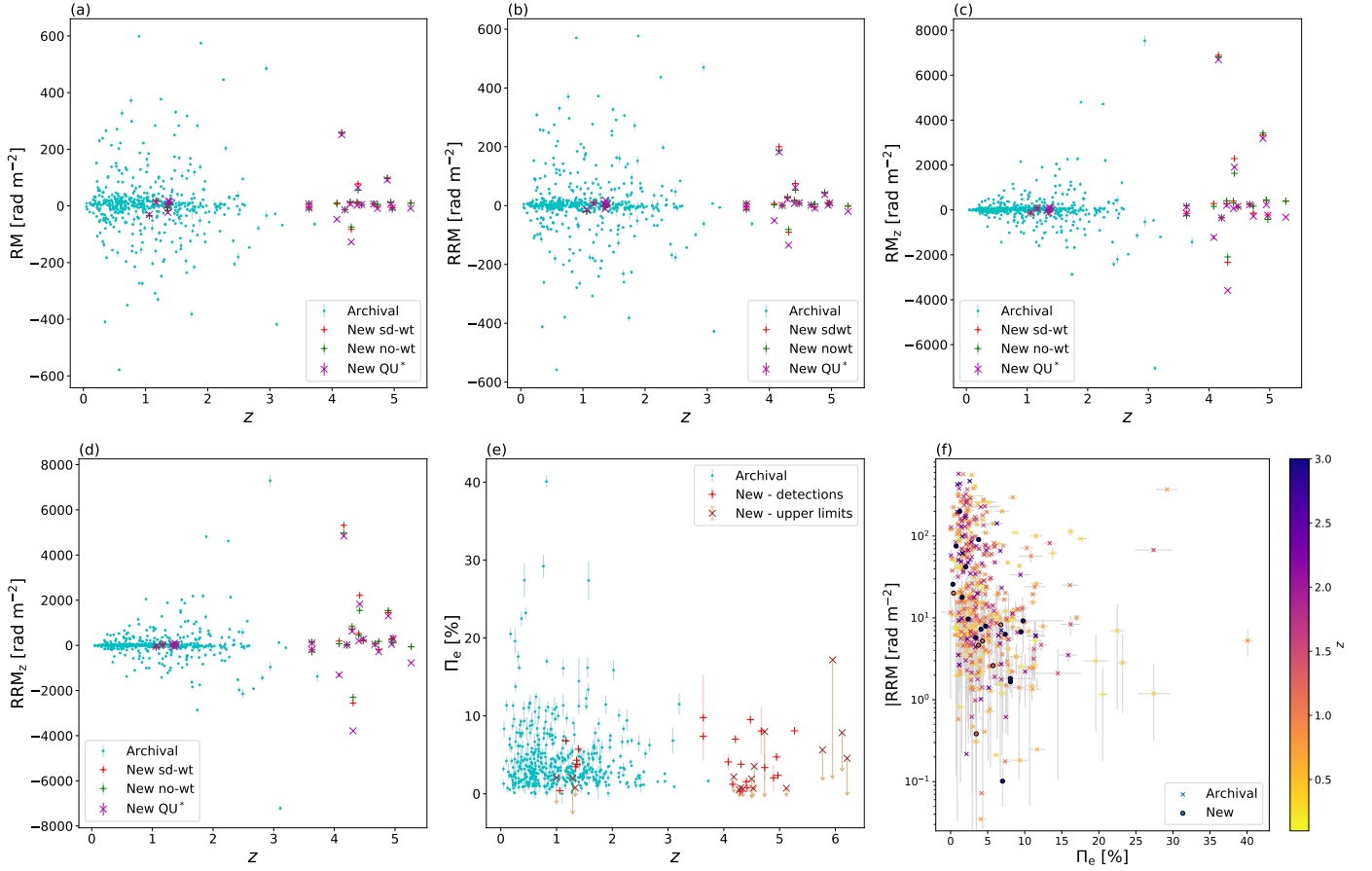


**Figure 7.** Map of Galactic rotation measures and source positions. The top panel shows the Galactic rotation measures. The bottom panel shows the positions in Galactic coordinates of the new sample of sources in this work (red circles) and the archival sample of sources (blue crosses).

We performed 10,000 bootstrap trials for  $|RM|$ ,  $|RRM|$ ,  $|RM_z|$  and  $|RRM_z|$  with the no-wt and sd-wt RM synthesis values, the peak RM QU fitting values, and the model fit  $\Pi_e$  values using the means, weighted means, and medians for calculating the test statistics. For the  $|RM_z|$  and  $|RRM_z|$  cases, rather than drawing randomly with replacement from sources already corrected for the redshift, the RM and RRM values were randomized with respect to their redshift values before selection such that  $RM_z$  and  $RRM_z$  were recomputed for the new samples of sizes  $n_1$  and  $n_2$ . This is to ensure any difference that might be detected is not simply an effect of the true  $n_2$  sample being multiplied by higher values.

Some of the results from the bootstrap tests are shown in Fig. 10 for the rotation measures and the polarization fraction. From all of the RM cases the minimum  $p^*$  values were 0.1, 0.07, and 0.06 for the means, weighted means, and medians, respectively. For the  $\Pi_e$  trials the  $p^*$  values were 0.9, 0.7, and 0.6 for the means, weighted means, and medians. None of the bootstrap tests result in a statistically significant difference ( $p^* < 0.05$ ) between the two samples.

It is possible that the choice of  $z = 3$  as a cutoff may affect the result. We did rerun the bootstrap tests, redefining the high- $z$  cutoff as  $z = 1.5$ , 2., and 2.5. In all cases no significant difference was found between the high- $z$  and low- $z$  sources.



**Figure 8.** Rotation measures, polarization fractions, and redshifts compared against each other. From left to right top to bottom the panels are: (a)  $RM$ , (b)  $RRM$ , (c)  $RM_z$ , (d)  $RRM_z$ , (e)  $\Pi_e$  vs.  $z$ , and (f)  $|RRM|$  vs.  $\Pi_e$  colour coded by redshift. The blue circles are from the archival sample (with luminosity limits imposed), and for panels (a)-(d), the red pluses are the new data using the “sd-wt” weighting in the RM synthesis, the green pluses are the new data using the “no-wt” RM synthesis weighting, and the magenta crosses are the peak RMs from the QU fitting. In panel (e), the red pluses are the polarization fractions from those sources with RM detections, whereas the brown pluses are sources denoted as upper limits meaning there was no significant RM detection (those with flag=0 in Table 3). In panel (f) the crosses are the new sample with the RRM from the sd-wt RM synthesis values and the circles are the archival sources.

#### 4.2.3 KS & AD tests

The Kolmogorov–Smirnov test (or KS test) is a nonparametric test of equality used to compare a sample with a reference probability distribution or, as in our case, to compare two different samples and test the hypothesis that they are from the same parent population. The KS test quantifies a distance between the cumulative distribution functions (CDF) of the two samples. The main advantage of the KS test is its sensitivity to the shape of a distribution because it can detect differences everywhere along the scale. For formulae and details on the KS test see Appendix C.

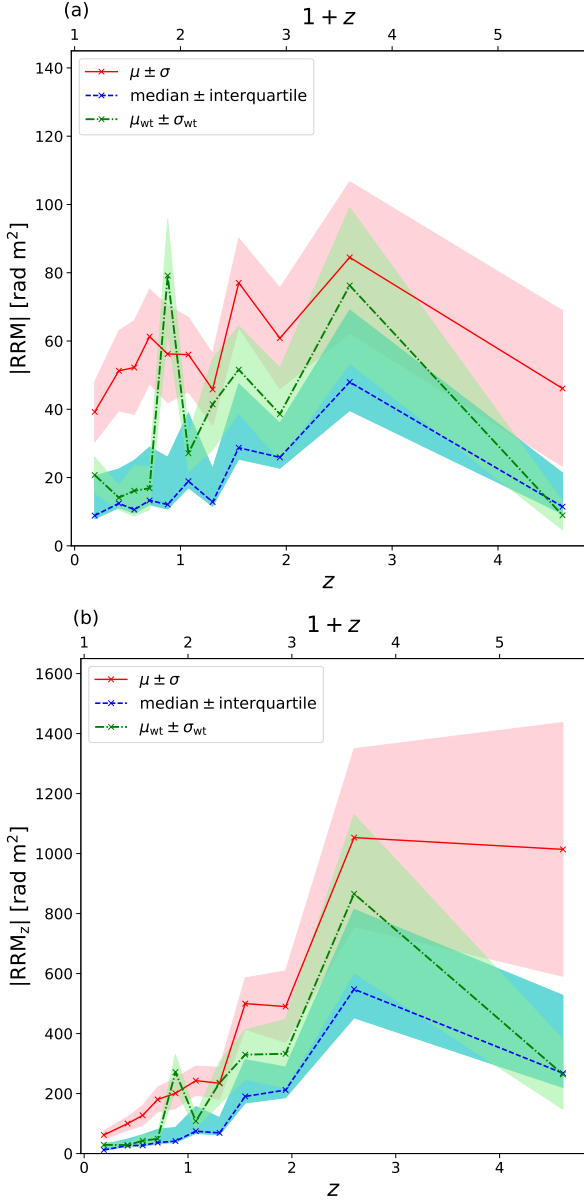
We performed a KS test on the  $|RM|$  and  $|RRM|$  distributions, with the CDFs for the sd-wt  $|RRM|$ . The  $KS_{n_1, n_2}$  values translate into  $p^*$  values of 0.2, 0.1, and 0.1 for  $|RM|$ , no-wt, sd-wt, and peak QU respectively, and 0.4, 0.4, and 0.5 for  $|RRM|$ .

We also performed a KS test on the rest-frame polarization fractions. The test was performed once using all available fitted polarized fractions ( $n_1 = 480$  and  $n_2 = 33$ ) and once excluding those that did not have a detection in the RM

synthesis ( $n_1 = 478$  and  $n_2 = 20$ ). When considering all the fitted sources the  $p^* = 0.19$ , but when only considering those with RM detections it increases to  $p^* = 0.27$ . Using this test no significance difference is found between the high and low redshift sources.

An alternative to the KS test is the two-sample Anderson Darling (AD) test. Both the KS and the AD test are based on the cumulative probability distribution of data. They are both based on calculating the distance between distributions at each unit of the scale. The AD test has the same advantages as mentioned for the KS test, with the additional advantages that it is more sensitive towards differences at the tails of the distributions and the AD test is better at detecting very small differences. For formulae and details on the AD test see Appendix C.

The  $p^*$  values for  $|RM|$  are 0.4, 0.3, and 0.3 and for  $|RRM|$  they are 0.6, 0.6, 0.8 for the no-wt, sd-wt, and peak QU RMs, respectively. The AD  $p^*$  values for the polarization fraction are 0.06 and 0.3 for all sources ( $n_1 = 480$  and  $n_2 = 33$ ) and only those with RM detections ( $n_1 = 478$  and  $n_2 = 20$ ), respectively.



**Figure 9.** Rotation measures in bins of redshift. The top panel shows  $|RRM|$ , while the bottom panel shows  $|RRM_z|$ , both using the sd-wt RM synthesis values for the new sources. The mean per  $z$  bin is shown by the red solid lines and the  $1\sigma$  uncertainties the red shaded regions. The blue dashed lines show the medians, with the blue shaded regions being the interquartile ranges. The green dot-dashed lines are the weighted means with the green regions showing the weighted  $1\sigma$  uncertainties.

The KS and AD test p-values can be difficult to compute and or unreliable with small sample sizes. The  $p^*$  values presented above were determined from the distributions of the 10,000 bootstrap resampling iterations. The statistics are all largely dominated by relatively low sample sizes,  $n \sim 20$ . Some work has been done on Bayesian statistical tests for such small samples of Faraday rotation data (e.g. Farnes et al. 2017) and hierarchical Bayesian methods have also been used to look for the magnetized large-scale structure (Vacca et al. 2016), in order to enable reliable statistical frameworks for large surveys. Bayesian non-parametric two-sample tests may

be more powerful than standard frequentist tests like the KS test (e.g. Labadi et al. 2014) when it comes to small sample sizes. However, they require assumptions for the prior distributions, which can affect the conclusions if the assumed models are incorrect.

## 5 DISCUSSION

### 5.1 Depolarization and non-detections

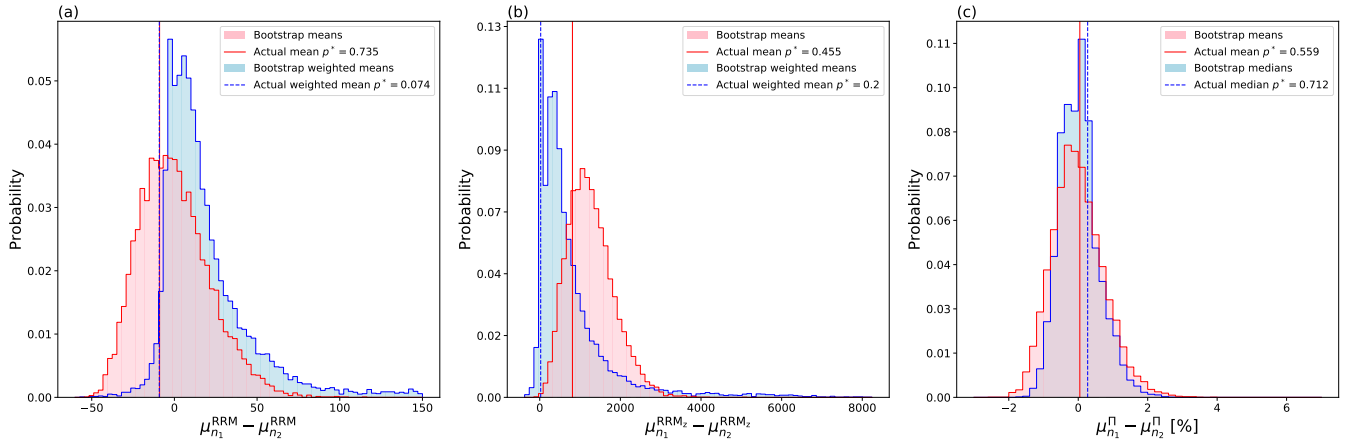
The binned RMs as a function of redshift seem to imply possible lower intrinsic RM values at  $z > 3$ . Given that the average  $RRM_z$ s at  $z < 3$  seem to increase as  $(1+z)^2$  and a change is only seen after  $z = 3$ , there is a possible indication of a change in the sources or environment at high redshifts. However, none of the statistical tests indicate a statistically significant difference between sources with  $z > 3$  and those with  $z < 3$ .

We can likely rule out any issues from the Galactic foreground correction, as the same results are seen for the RMs with and without the subtraction. It is possible that the results are due to an inadvertent selection effect, that we unintentionally selected high- $z$  sources with lower RMs. This is discussed further in the following subsections (Sections 5.2 and 5.3), but to answer with higher certainty would be a larger sample of both high and low  $z$  sources selected with the same criterion and observed and processed in the same way.

The fact that the polarization fraction shows no difference between high and low redshift could indicate no intrinsic difference in the sources and or their environments. However, the apparent lack of difference in the high redshift source's polarizations fractions could also be explained if the high- $z$  sources are in high density environments that lead to larger polarized fractions but more depolarization. To estimate the amount of depolarization one can look at the ratio of  $\Pi_e$  at different frequencies (as was done in e.g. Lamée et al. 2016). This is more complicated for our sample as the archival sources all have different frequency coverage. However, using the  $\Pi_e$  models we can compute the ratio using frequencies on either side of our chosen rest frequency of 15 GHz, such that  $D_e = \Pi_e(20 \text{ GHz})/\Pi_e(10 \text{ GHz})$ . The median  $D_e$  for low- $z$  sources of 0.99, whereas for high- $z$  sources it is 1.45. This suggests that high- $z$  may be more depolarized.

Rotation measures depend on the strength of the magnetic field, the density of the environment, and the degree of order in the magnetic field in the local Faraday screen. Which effect dominates cannot be decided from RM measurements alone. Goodlet & Kaiser (2005) found no correlation of RM with redshift, but found a strong correlation of the RM dispersion across a source, or a source's multiple components, with redshift. This result is indicative of more chaotic field structures at higher redshifts, however, it requires higher resolution to resolve the sources (higher than our current data). Thus while it is possible for the higher density and or stronger magnetic field to lead to higher polarization and depolarization, the ordering of the magnetic field, or amount of turbulence, could explain the lack of higher intrinsic RMs seen at the higher redshifts.

Of the 29 sources we imaged and analyzed with  $z > 3$ , there are 13 which had no detectable peaks in their Faraday



**Figure 10.** Bootstrap test results from resampling the Galactic corrected RRM, the Galactic and redshift corrected RRM<sub>z</sub>, and rest-frame polarization fraction. Panels (a) and (b) show results using the “no-wt” RM values. Panel (a) shows the values and distributions using the RRM values, while panel (b) uses RRM<sub>z</sub> values. Panel (c) shows the values and distributions for the polarization fraction. The probability distributions are the results from 10,000 trials of random resampling. The solid and dashed vertical lines show the locations of the actual values using the low redshift ( $n_1 = 478$ ) and high redshift ( $n_2 = 20$ ) samples. The red distributions and solid lines show the results when the test statistic is calculated using the mean of the RRM absolute values (or mean of the polarization fraction), whereas the blue distributions and dashed lines show the results when the test statistic is calculated using the weighted means. See Table 5 for the mean and median RMs and polarization fractions.

dispersion functions (those with flag=0 in Table 3), and three low redshift sources that had no detections. This is because the signal-to-noise of the data was too low to get a proper detection and they have been depolarized (either physical depolarization and or beam depolarization).

Given the low angular resolution of the majority of our observations, beam depolarization may be affecting the RM measurements. There are several sources with multiple FIRST sources, or multiple components, within the VLA D-configuration beam. Complex source structure is likely causing significant wavelength-independent depolarization, and or multiple emission components with different amounts of Faraday rotation are causing wavelength-dependent depolarization.

All of the sources with no RM detection have maximum Stokes  $I$  brightnesses less than 20 mJy and a median  $S_I/N_I$  of 20, whereas those with detections have a median  $S_I/N_I$  of 150. Nearly 45 per cent of the  $z > 3$  sources did not have a detection, whereas only 33 per cent of the  $z < 3$  sources had no detection (although the  $z < 3$  group is a smaller sample). The S/N from RM synthesis for sources with non-detections has a mean of 5.2 for sources with  $z < 3$  and a mean of 4.1 for sources with  $z > 3$ . The mean upper limit on the peak polarization fraction from RM synthesis ( $8\sigma_{FDF}$ ) for non-detections with  $z > 3$  is 2.1 per cent and 4.7 per cent for  $z > 3$ . However, for sources with detections the mean upper limit polarization fraction for  $z < 3$  is 0.3 per cent and 0.9 per cent for  $z > 3$ . Of the high- $z$  sources, the mean redshift of those with no detections is slightly higher than the mean redshift for those with detections ( $\langle z \rangle = 4.9$  compared to  $\langle z \rangle = 4.4$ ).

If the high- $z$  sources are more depolarized, or less intrinsically polarized, then it is not unexpected that there would be more non-detections for those sources. However, fainter sources are more sensitive to calibration errors or artefacts (such as low-level ripples) that can interfere with a

polarization. It is unclear at this time if the non-detections are more due to the source(s) just being too faint overall to be detected with our observations, effected by errors or artefacts, or if something physical in or around the source or intervening medium has depolarized it below the detection limit. Obviously a larger sample, from either targeted observations or surveys, of both high and low redshift sources would help to distinguish whether high- $z$  sources are more depolarized, and or if it is an observational or physical effect.

## 5.2 Subsamples

Thus far in our analysis, we have compared the RMs of high- $z$  to low- $z$  sources with the samples defined only by luminosity and Galactic latitude. For a proper analysis, the samples should be further subdivided by other characteristics such as galaxy type (e.g. AGN, quasar, X-ray loud, etc.), multicomponent sources, spectral index, those that are absorbers and those that aren’t, and or those that are behind or near clusters and those that are not. However, given that our high- $z$  sample size is already small (20 sources), further division into smaller groups would result in the loss of meaningful statistical power.

For example, we did cross match both the new and archival sources with the NED databases looking for those with clusters or groups within 2 Mpc, where the cluster redshift is less than the source redshift. This returned 83 sources, 15 of which are from the new sample of sources. Only eight of those 15 have RMs with a high enough significance from the RM synthesis and only four of those eight have  $z > 3$ .<sup>7</sup> Four high- $z$  sources is not a large enough sample size to discern if they are statistically different from the

<sup>7</sup> The four new high- $z$  sources with RM detections matched to

low redshift sources. From this we can see that much larger samples are needed.

### 5.3 Previous results

This work has presented the largest number of  $z > 4$  RMs and polarization fractions yet determined. However, there have been previous studies that looked at the effect of redshift on polarization properties.

Polarization data for greater than 40 high redshift ( $z > 2$ ) radio galaxies (Carilli et al. 1994, 1997; Athreya et al. 1998; Pentericci et al. 2000; Broderick et al. 2007; O’Sullivan et al. 2011; Liu et al. 2017) showed that several sources have rest-frame RMs values greater than  $1000 \text{ rad m}^{-2}$ . High resolution (mas) imaging of these sources showed large variation of the RM across the source and or multiple components. One interpretation of the finding of these high RMs is that these sources are located in cluster environments at high redshift (Miley & De Breuck 2008). Athreya et al. (1998) pointed out that cluster cooling flows are unlikely to have a large role in forming deep Faraday screens at  $z > 2$ , and suggest that for these sources with high RMs the Faraday screens are other collapsed galactic or sub-galactic sized objects in the environment of the sources.

Kronberg et al. (2008) looked at a sample of 268 sources out to  $z \sim 3.7$  (with only two sources at  $z \geq 3$ ). They found that beyond  $z \sim 2$  progressively fewer sources are found with a “small” RM in the observer’s frame, or rather RMs increase with increasing redshift, which would indicate significantly magnetized environments at high redshifts. This result was found by others as well, albeit with the use of smaller data sets (Welter et al. 1984; You et al. 2003).

Hammond et al. (2012) used 4003 sources with RMs from NVSS that they matched with spectroscopic redshifts with  $z \leq 5.3$ , which resulted in 19 sources with  $z \geq 3$ , but only two with  $z \geq 4$ . They found no significant evolution of RMs with redshift, but found an anti-correlation of the extragalactic rotation measure with the fractional polarization of the source. They argue their findings require a population of magnetized intervening objects that lie outside our Galaxy in the foreground to the emitting sources and result from beam depolarization from small-scale fluctuations in the foreground magnetic fields or electron densities. Bernet et al. (2012), using a smaller sample of NVSS sources, was also unable to reproduce the evolution found by earlier works. They explain the discrepancy between their work and previous studies as due to severe depolarization induced by inhomogeneous Faraday screens on high wavelength radiation.

Four of our high redshift sources, and two of the archival sources with  $z > 3$ , show  $|\text{RRM}_z|$  values greater than  $1000 \text{ rad m}^{-2}$ . However, it is difficult to directly compare our sample of high- $z$  sources with those of these previous works as the sample selections and RM computation methods differ. The majority of previously published high- $z$  RMs come from fitting the  $\lambda^2$  slope with narrowband data, rather than RM synthesis (or QU fitting) with wideband data. Additionally, several of the previously published sources come from much

brighter samples (e.g. Athreya et al. 1998, which had sources brighter than 1 Jy).

Many of these previous high- $z$  large RMs come from better resolution and or higher frequency data (for example O’Sullivan et al. 2011, which presented 10 high- $z$  sources at milliarcsec resolution at 5 and 8 GHz). At higher frequencies, emission from AGN flat-spectrum cores tends to dominate over the steeper spectrum jets or lobes at lower frequencies. Similarly with higher resolution data, the core tends to be targeted, whereas with our lower resolution data, more diffuse emission is blended with the compact core emission, which can result in more depolarization. As discussed in Section 5.2, it is necessary to compare matched samples in order to draw valid conclusions. Ideally the high- $z$  sources observed at higher resolutions and frequencies with narrowband data would be re-observed with matching observational setup and RM synthesis and or QU fitting done for a proper comparison.

This is a good demonstration of why a new broadband large survey (deeper and higher resolution than NVSS) is needed. Surveys such as the new VLA Sky Survey (VLASS, Mao et al. 2014) or ASKAP’s POSSUM will produce millions of new rotation measures from which well-matched high and low redshift samples (and subsamples) can be analyzed.

## 6 CONCLUSIONS

We have presented the Stokes  $I$  and linear polarization properties of a sample of 37 radio sources (38 source components), 29 of which have  $z > 3$  (27 with  $z > 4$ ). We performed fitting of the Stokes  $I$  and polarization fraction spectra, which we used to obtain the 15 GHz rest-frame luminosities and polarization fractions. RM synthesis and QU fitting were also performed to obtain rotation measures. This is the largest sample of RMs from  $z > 3.5$  sources. Using a map of Galactic rotation measures, we found the residual (or extragalactic) rotation measures, RRM, and the intrinsic, or redshift corrected  $\text{RM}_z$  and  $\text{RRM}_z$  values.

Using RM synthesis, we obtained significant RM detections for 16 of the 29 high- $z$  sources and six of the nine low- $z$  sources. QU fitting was also performed on all sources using models with varying number of thin (delta functions) and thick (Gaussian) components. We found that for the sources with an RM detection from RM synthesis, the best-fitting QU model was more complex than a single component, with the most common being a combination of two thin components.

Using archival data, we created a luminosity matched control sample of 472 sources with  $z < 3$ , also adding an additional four archival sources with  $z > 3$ . We also fit for their rest-frame luminosity and polarization fractions. This allowed for a comparison of low versus high redshift polarization properties. We found a mean  $|\text{RRM}| = 55 \pm 23 \text{ rad m}^{-2}$  (depending on the type of measurement and weighting scheme) for high- $z$  sources and a mean  $|\text{RRM}| = 58 \pm 4 \text{ rad m}^{-2}$  for the low- $z$  sources. Both high and low- $z$  sources have a median rest-frame polarization fraction  $\Pi_e \simeq 3.3$  per cent. Using bootstrap, KS and AD tests we detect no significant difference between high and low redshift sources.

While some previous works found indications for higher RMs at high- $z$ , indicating denser more highly magnetized environments at earlier times, we detect no significant difference in observed or intrinsic RMs or rest-frame polarization

clusters are J021042-001818, J081333+350812, J165913+210116, and J222032+002535.

fractions. To properly answer the question, a larger sample and further subdivision of the sources by things like source types, spectral indices, absorbers or known cluster sources, etc is necessary. Our sample of 20  $z > 3$  sources is too small to break down further and get accurate statistics. The uncertainty demonstrated by such a small sample of high redshift sources is further evidence of why future large surveys such as POSSUM are so important.

## 7 ACKNOWLEDGMENTS

The Dunlap Institute is funded through an endowment established by the David Dunlap family and the University of Toronto. T.V. and B.M.G. acknowledge the support of the Natural Sciences and Engineering Research Council of Canada (NSERC) through grant RGPIN-2015-05948, and of the Canada Research Chairs program. We thank the staff of the JVLA, which is operated by the National Radio Astronomy Observatory (NRAO). We would like to thank Niels Oppermann for his input and for the use of his code.

## REFERENCES

- Anderson C. S., Gaensler B. M., Feain I. J., 2016, *ApJ*, **825**, 59
- Athreya R. M., Kapahi V. K., McCarthy P. J., van Breugel W., 1998, *A&A*, **329**, 809
- Becker R. H., White R. L., Edwards A. L., 1991, *ApJS*, **75**, 1
- Becker R. H., White R. L., Helfand D. J., 1995, *ApJ*, **450**, 559
- Bernet M. L., Miniati F., Lilly S. J., 2012, *ApJ*, **761**, 144
- Brentjens M. A., de Bruyn A. G., 2005, *A&A*, **441**, 1217
- Broderick J. W., De Breuck C., Hunstead R. W., Seymour N., 2007, *MNRAS*, **375**, 1059
- Burn B. J., 1966, *MNRAS*, **133**, 67
- Carilli C. L., Taylor G. B., 2002, *ARA&A*, **40**, 319
- Carilli C. L., Owen F. N., Harris D. E., 1994, *AJ*, **107**, 480
- Carilli C. L., Röttgering H. J. A., van Ojik R., Miley G. K., Breugel W. J. M. van 1997, *ApJS*, **109**, 1
- Condon J. J., Cotton W. D., Greisen E. W., Yin Q. F., Perley R. A., Taylor G. B., Broderick J. J., 1998, *AJ*, **115**, 1693
- Conway R. G., Haves P., Kronberg P. P., Stannard D., Vallee J. P., Wardle J. F. C., 1974, *MNRAS*, **168**
- Darling D. A., 1957, *Ann. Math. Statist.*, **28**, 823
- Douglas J. N., Bash F. N., Bozayan F. A., Torrence G. W., Wolfe C., 1996, *AJ*, **111**, 1945
- Efron B., 1979, *Ann. Statist.*, **7**, 1
- Farnes J. S., Gaensler B. M., Carretti E., 2014a, *ApJS*, **212**, 15
- Farnes J. S., O'Sullivan S. P., Corrigan M. E., Gaensler B. M., 2014b, *ApJ*, **795**, 63
- Farnes J. S., Rudnick L., Gaensler B. M., Haverkorn M., O'Sullivan S. P., Curran S. J., 2017, *ApJ*, **841**, 67
- Farnsworth D., Rudnick L., Brown S., 2011, *AJ*, **141**, 191
- Flesch E. W., 2015, *PASA*, **32**, 10
- Flesch E. W., 2016, *PASA*, **33**, e052
- Gaensler B. M., Landecker T. L., Taylor A. R., POSSUM Collaboration 2010, in American Astronomical Society Meeting Abstracts #215. p. 515
- Goodlet J. A., Kaiser C. R., 2005, *MNRAS*, **359**, 1456
- Govoni F., Feretti L., 2004, *International Journal of Modern Physics D*, **13**, 1549
- Gregory P. C., Scott W. K., Douglas K., Condon J. J., 1996, *ApJS*, **103**, 427
- Hales C. A., Gaensler B. M., Norris R. P., Middelberg E., 2012, *MNRAS*, **424**, 2160
- Hammond A. M., Robishaw T., Gaensler B. M., 2012, preprint, ([arXiv:1209.1438v3](https://arxiv.org/abs/1209.1438v3))
- Heald G., Braun R., Edmonds R., 2009, *A&A*, **503**, 409
- Helou G., Madore B. F., Schmitz M., Bica M. D., Wu X., Bennett J., 1991, *Astrophysics and Space Science Library*, **171**, 89
- Helou G., Madore B. F., Schmitz M., Wu X., Corwin Jr. H. G., Lague C., Bennett J., Sun H., 1995, *Astrophysics and Space Science Library*, **203**, 95
- Homan D. C., Ojha R., Wardle J. F. C., Roberts D. H., Aller M. F., Aller H. D., Hughes P. A., 2002, *ApJ*, **568**, 99
- Hovatta T., Lister M. L., Aller M. F., Aller H. D., Homan D. C., Kovalev Y. Y., Pushkarev A. B., Savolainen T., 2012, *AJ*, **144**, 105
- Kimball A. E., Ivezić Ž., 2008, *AJ*, **136**, 684
- Kimball A., Ivezić Z., 2014, preprint, ([arXiv:1401.1535](https://arxiv.org/abs/1401.1535))
- Klein U., Mack K.-H., Gregorini L., Vigotti M., 2003, *A&A*, **406**, 579
- Kronberg P. P., Simard-Normandin M., 1976, *Nature*, **263**, 653
- Kronberg P. P., Dufton Q. W., Li H., Colgate S. A., 2001, *ApJ*, **560**, 178
- Kronberg P. P., Bernet M. L., Miniati F., Lilly S. J., Short M. B., Higdon D. M., 2008, *ApJ*, **676**, 70
- Labadi L. A., Masuadi E., Zarepour M., 2014, preprint, ([arXiv:1411.3427](https://arxiv.org/abs/1411.3427))
- Lamee M., Rudnick L., Farnes J. S., Carretti E., Gaensler B. M., Haverkorn M., Poppi S., 2016, *ApJ*, **829**, 5
- Landman D. A., Roussel-Dupre R., Tanigawa G., 1982, *ApJ*, **261**, 732
- Liu Y., Jiang D. R., Gu M., Gurvits L. I., 2017, *MNRAS*, **468**, 2699
- Mantovani F., Mack K.-H., Montenegro-Montes F. M., Rossetti A., Kraus A., 2009, *A&A*, **502**, 61
- Mao S. A., et al., 2014, preprint, ([arXiv:1401.1875](https://arxiv.org/abs/1401.1875))
- Mestel L., Paris R. B., 1984, *A&A*, **136**, 98
- Miley G., De Breuck C., 2008, *A&A Rev.*, **15**, 67
- Murphy T., et al., 2010, *MNRAS*, **402**, 2403
- O'Sullivan S. P., Gabuzda D. C., Gurvits L. I., 2011, *MNRAS*, **415**, 3049
- O'Sullivan S. P., et al., 2012, *MNRAS*, **421**, 3300
- O'Sullivan S. P., Purcell C. R., Anderson C. S., Farnes J. S., Sun X. H., Gaensler B. M., 2017, *MNRAS*, **469**, 4034
- Offringa A. R., Smirnov O., 2017, preprint, ([arXiv:1706.06786](https://arxiv.org/abs/1706.06786))
- Offringa A. R., et al., 2014, *MNRAS*, **444**, 606
- Oppermann N., et al., 2012, *A&A*, **542**, A93
- Oppermann N., et al., 2015, *A&A*, **575**, A118
- Pentericci L., Van Reeve W., Carilli C. L., Röttgering H. J. A., Miley G. K., 2000, *A&AS*, **145**, 121
- Planck Collaboration et al., 2014, *A&A*, **571**, A16
- Pratley L., Johnston-Hollitt M., 2016, *MNRAS*, **462**, 3483
- Pshirkov M. S., Tinyakov P. G., Urban F. R., 2015, *MNRAS*, **452**, 2851
- Rees M. J., 1987, *QJRAS*, **28**, 197
- Rees M. J., Reinhardt M., 1972, *A&A*, **19**, 189
- Rengelink R. B., Tang Y., de Bruyn A. G., Miley G. K., Bremer M. N., Röttgering H. J. A., Bremer M. A. R., 1997, *A&AS*, **124**
- Rossetti A., Dallacasa D., Fanti C., Fanti R., Mack K.-H., 2008, *A&A*, **487**, 865
- Scholz F. W., Stephens M. A., 1987, *Journal of the American Statistical Association*, **82**, 918
- Simmons J. F. L., Stewart B. G., 1985, *A&A*, **142**, 100
- Sun X. H., et al., 2015, *ApJ*, **811**, 40
- Taylor A. R., Stil J. M., Sunstrum C., 2009, *ApJ*, **702**, 1230
- Tribble P. C., 1991, *MNRAS*, **250**, 726
- Urry C. M., Padovani P., 1995, *PASP*, **107**, 803
- Vacca V., et al., 2016, *A&A*, **591**, A13
- Vaillancourt J. E., 2006, *PASP*, **118**, 1340
- Welter G. L., Perry J. J., Kronberg P. P., 1984, *ApJ*, **279**, 19

Wenger M., et al., 2000, [A&AS](#), **143**, 9  
 Widrow L. M., Ryu D., Schleicher D. R. G., Subramanian K.,  
 Tsagas C. G., Treumann R. A., 2012, [Space Sci. Rev.](#), **166**, 37  
 York D. G., et al., 2000, [AJ](#), **120**, 1579  
 You X. P., Han J. L., Chen Y., 2003, *Acta Astronomica Sinica*,  
**44**, 155

This paper has been typeset from a  $\text{\LaTeX}$  file prepared by the author.

## APPENDIX A: DEBIASING

The polarized flux density is computed from the Stokes  $Q$  and  $U$  flux densities such that

$$P_0 = \sqrt{Q^2 + U^2}. \quad (\text{A1})$$

This yields a Rician, rather than Gaussian, noise distribution for the polarized images. The noise in a polarized intensity image has a non-zero mean and has higher probability of positive peaks above a given detection threshold than Gaussian noise. Therefore, the measured polarized flux density needs to be corrected for noise bias in order to obtain an estimate of the true polarized intensity  $P$ ,

$$P = \sqrt{Q^2 + U^2 - (f\sigma_{QU})^2}, \quad (\text{A2})$$

where  $f$  is the debias factor and  $\sigma_{QU}$  is the average noise of  $Q$  and  $U$ . One can take a maximum likelihood approach to find  $f$  (Simmons & Stewart 1985; Vaillancourt 2006; Hales et al. 2012). The probability distribution function for  $P$  and  $P_0$  is

$$F(P_0|P) = \frac{P_0}{\sigma_{QU}^2} J_0 \left( \frac{P_0 P}{\sigma_{QU}^2} \right) \exp \left[ -\frac{P_0^2 + P^2}{2\sigma_{QU}^2} \right], \quad (\text{A3})$$

where  $J_0$  is a zero order Bessel function. The maximum likelihood estimator of  $P$  is defined as the value of  $P$  which maximizes  $F(P_0|P)$  for a given  $P_0$ . This is equivalent to solving for  $P$  using

$$P_0 J_1 \left( \frac{P_0 P}{\sigma_{QU}^2} \right) - P J_0 \left( \frac{P_0 P}{\sigma_{QU}^2} \right) = 0, \quad (\text{A4})$$

where  $J_1$  is the first order Bessel function. This yields the debias factor  $f$  for the given  $P$  as

$$f = \sqrt{P_0^2 - P^2 / \sigma_{QU}^2}. \quad (\text{A5})$$

This value is generally found to be approximately one when the source has a  $S/N \geq 3$ .

Rather than numerically find  $f$  for each channel of each source, we found one value of  $f$  for each source using the median  $\sigma_{QU}$  and median  $P_0$  from all the channels. New values of  $P_i$  were then calculated for each  $i$ th channel using the debias factor. Throughout the paper  $P$  refers to the debiased value calculated using eq. (A1).

## APPENDIX B: DEPOLARIZATION MODELS

Inhomogeneous Faraday screens cause Faraday rotation and depolarization of the signal coming from background radio sources.

Fluctuations on scales smaller than the spatial resolution of radio observations cause a depolarization by increasing the observing wavelength of the signal. Burn (1966) assumes that these fluctuations happen on a single characteristic scale and, in this case, the depolarization can be approximated by the law,

$$P = P_0 \exp(-c\lambda^4), \quad (\text{B1})$$

where  $c$  is quantity describing the unresolved rotation measure fluctuations and  $P_0$  is the intrinsic percentage of polarization.

This law does not give an appropriate description of the

depolarization at long wavelengths since the observed polarization at these wavelengths is higher than the value predicted by this law. Assuming that the fluctuations are not associated with a single scale but rather happening on a range of scales, Tribble (1991) finds that the polarization at long wavelengths is indeed larger and that the depolarization can be described with a power law

$$P = A/\lambda^2, \quad (\text{B2})$$

where  $A$  is a constant depending on the spatial resolution of the observations and the rotation measure dispersion.

Rossetti et al. (2008) argue that, while at short wavelengths a depolarization of the signal is observed, at longer wavelengths the polarization rather stays constant. This behaviour is better described if a Faraday screen that only partially covers the source is considered,

$$P = P_0(f_c \exp(-c\lambda^4) + (1 - f_c)), \quad (\text{B3})$$

where  $f_c$  is the fraction of the source covered by the Faraday screen (Rossetti et al. 2008; Mantovani et al. 2009). Though this depolarization model turns out to be unphysical it may also reflect multiple components or more complex Faraday behaviour (for more discussion on this see appendix A of Farnes et al. 2014a).

## APPENDIX C: KS & AD FORMULAE

For the KS test, the maximum distance between the CDFs of the two samples  $\text{KS}_{n_1, n_2}$  is defined as

$$\text{KS}_{n_1, n_2} = \sup |F_1(x) - F_2(x)|_x, \quad (\text{C1})$$

where  $F_1(x)$  is the CDF of sample 1 and  $F_2(x)$  is the CDF of sample 2, with  $x$  in our case being  $|\text{RRM}|$ ,  $|\text{RRM}_z|$ , or  $\Pi_e$ . The null hypothesis (that the two samples are from the same population) can be rejected at level  $\alpha$  if

$$\text{KS}_{n_1, n_2} > c(\alpha) \sqrt{\frac{n_1 + n_2}{n_1 n_2}}, \quad (\text{C2})$$

where  $c(\alpha)$  is approximated as

$$c(\alpha) = \sqrt{-\frac{1}{2} \log \left( \frac{\alpha}{2} \right)}. \quad (\text{C3})$$

(Darling 1957). This gives a  $p^*$  value of

$$p^* \simeq 2 \exp \left[ -2 \left( \text{KS}_{n_1, n_2} \sqrt{\frac{n_1 n_2}{n_1 + n_2}} \right)^2 \right]. \quad (\text{C4})$$

For the AD test, the formula for calculating AD is

$$AD = \frac{1}{n_1 n_2} \sum_{i=1}^{n_1 + n_2} (N_i Z_{(n_1 + n_2 - n_2 i)})^2 \frac{1}{i Z_{(n_1 + n_2 - i)}}, \quad (\text{C5})$$

where  $Z_{(n_1 + n_2)}$  represents the combined and ordered  $X_1$  and  $X_2$  of sizes  $n_1$  and  $n_2$ , respectively, and  $N_i$  represents the number of samples (or sources) in  $X_2$  that are equal to or smaller than the  $i$ th observation in  $Z_{(n_1 + n_2)}$  (Darling 1957; Scholz & Stephens 1987).

## APPENDIX D: DERIVED AND FITTED PARAMETERS FOR NEW SOURCES

**Table D1.** Stokes I fit parameters. The parameters  $\alpha_1$ ,  $k$ ,  $\nu_{\text{peak}}$ , and  $\alpha_2$  are from eq.(2) and (3). The  $\Delta$ s are the  $1\sigma$  uncertainties. The frequency  $\nu_{\text{obs}}$  is the observed frequency, and  $\lambda_{\text{obs}}$  the observed wavelength, for each source for a rest-frame frequency of 15 GHz, or wavelength of 2 cm.  $I_e$  is the fitted rest-frame (15 GHz) Stokes  $I$  flux density, with  $L_e$  being the rest-frame luminosity in units of  $\text{W m}^{-2} \text{Hz}^{-1}$ . This table is an excerpt, with the full table available online.

Name	$\alpha_1$	$\Delta\alpha_1$	$k$ [mJy]	$\Delta k$ [mJy]	$\alpha_2$	$\Delta\alpha_2$	$\nu_{\text{peak}}$ [GHz]	$\Delta\nu_{\text{peak}}$ [GHz]	$\nu_{\text{obs}}$ [GHz]	$\lambda_{\text{obs}}$ [cm]	$I_e$ [mJy]	$\Delta I_e$ [mJy]	$\log_{10}[L_e]$
J001115+144603	-0.42	0.03	35.8	0.3	-	-	-	-	2.51	11.90	24.3	0.2	27.01
J003126+150738	0.4	0.1	45.4	0.1	-	-	-	-	2.83	10.60	66.6	0.4	27.35
J021042-001818	-0.37	0.07	13.8	0.2	-	-	-	-	2.62	11.50	9.6	0.2	26.57
J081333+350812	-0.93	0.07	56.1	0.3	-	-	-	-	2.52	11.90	23.7	0.1	27.00
J083644+005451	-0.5	0.4	1.47	0.04	-	-	-	-	2.22	13.50	0.99	0.04	25.72
J083946+511202	-0.19	0.03	65.7	0.3	-	-	-	-	2.78	10.80	54.0	0.4	27.28
J085111+142338	-0.50	0.06	13.2	0.2	-	-	-	-	2.90	10.40	7.8	0.1	26.40
J085853+345826	-0.94	0.07	26.2	0.2	-	-	-	-	6.42	4.67	4.56	0.03	25.31
J090600+574730	-0.70	0.08	29.1	0.1	-	-	-	-	6.40	4.69	7.94	0.03	25.56
J091316+591920	-0.99	0.06	29.7	0.1	-	-	-	-	2.45	12.20	12.24	0.05	26.73
J091824+063653	-0.14	0.02	53.3	0.2	-	-	-	-	2.91	10.30	45.7	0.3	27.16
J100424+122924	0.54	0.04	5.06	0.06	-	-	-	-	2.72	11.00	8.67	0.10	26.50
J100645+462716	-0.40	0.04	14.3	0.2	-	-	-	-	2.81	10.70	9.4	0.1	26.51
J102551+192314	-0.8	0.1	54.5	0.3	-	-	-	-	6.92	4.34	11.82	0.07	25.61
J102623+254259	-0.60	0.07	285.8	0.7	-	-	-	-	2.39	12.50	169.8	0.4	27.89
J103601+500831	-0.83	0.03	15.6	0.3	-	-	-	-	2.73	11.00	6.8	0.1	26.39
J104624+590524a	-1.52	0.09	2.75	0.06	-	-	-	-	3.24	9.26	0.460	0.010	25.07
J104624+590524b	-1.44	0.06	32.8	0.4	-	-	-	-	3.24	9.26	6.03	0.07	26.19
J105320-001650	-0.62	0.04	16.4	0.3	-	-	-	-	2.83	10.60	8.6	0.1	26.46
J130738+150752	-0.61	0.03	12.4	0.2	-	-	-	-	2.95	10.20	6.44	0.08	26.30
J130940+573311	-0.54	0.04	20.1	0.3	-	-	-	-	2.84	10.60	11.5	0.1	26.58
J132512+112330	-0.34	0.03	80.0	0.5	-	-	-	-	2.77	10.80	56.5	0.4	27.30
J133342+491625	-0.80	0.02	46.7	0.5	-	-	-	-	6.27	4.78	10.75	0.10	25.72
J135135+284015	-1.23	0.03	5.7	0.2	-	-	-	-	2.62	11.50	1.73	0.05	25.83
J142738+331242	-0.9	0.5	2.21	0.08	-	-	-	-	2.11	14.20	1.12	0.05	25.81
J142952+544717	-0.6	0.8	4.4	0.2	-	-	-	-	2.08	14.40	2.7	0.2	26.21
J151002+570243	-0.39	0.05	365.4	0.4	-	-	-	-	2.83	10.60	243.3	0.3	27.91
J155633+351757	-0.20	0.07	30.1	0.6	-	-	-	-	2.65	11.30	25.5	0.6	26.99
J161105+084437	-0.4	0.2	11.4	0.3	0.62	0.04	2.1	0.1	2.71	11.10	19.6	0.6	26.86
J165913+210116	-0.69	0.07	34.6	0.2	-	-	-	-	2.55	11.80	18.02	0.09	26.87
J221356-002457	-1.12	0.06	0	1	-	-	-	-	7.28	4.12	19.8	0.1	25.76
J222032+002535	-1.04	0.02	134.0	0.3	-	-	-	-	2.88	10.40	44.61	0.09	27.16
J222235+001536	-0.26	0.02	66.9	0.3	-	-	-	-	6.36	4.72	41.5	0.2	26.29
J222843+011032	-0.1	0.1	0.30	0.01	-	-	-	-	2.16	13.90	0.27	0.05	25.17
J224924+004750	-0.68	0.02	18.5	0.2	-	-	-	-	2.74	11.00	9.31	0.10	26.52
J231443-090637	0.5	0.1	2.23	0.05	-	-	-	-	6.55	4.58	5.5	0.1	25.36
J232604+001333	-0.90	0.02	13.9	0.2	-	-	-	-	7.51	4.00	2.27	0.03	24.76
J235018-000658	-1.00	0.02	335.1	0.6	-	-	-	-	6.34	4.73	52.83	0.08	26.39

**Table D2.** Polarized fraction fit parameters. The variable  $f$  is the debias factor described in eq.( A5). The parameters  $\beta$  and  $c_1$  are for the power-law model of eq.(5). The parameters  $c_2$ ,  $c_3$ , and  $c_4$  are for the Gaussian model of eq.(6) and the offset Gaussian of eq.(7), with the parameter  $c_5$  for the offset Gaussian of eq.(7). The  $\Delta$ s are the  $1\sigma$  uncertainties.  $\Pi_e$  and  $P_e$  are the rest-frame (15 GHz) polarized fraction and polarized intensity. This table is an excerpt, with the full table available online.

Name	$f$	$\beta$	$\Delta\beta$	$c_1$	$\Delta c_1$	$c_2$	$\Delta c_2$	$c_3$	$\Delta c_3$	$c_4$	$\Delta c_4$	$c_5$	$\Delta c_5$	$\Pi_e$ [%]	$P_e$ [mJy]
J001115+144603	1.01	—	—	—	—	2.4	0.2	12	1	4.1	0.2	0.24	0.01	2.60	0.64
J003126+150738	1.04	—	—	—	—	0.47	0.02	15.4	0.9	5.2	0.3	—	—	0.31	0.21
J021042−001818	1.02	—	—	—	—	4.6	0.4	2.5	0.2	12	1	—	—	3.40	0.33
J081333+350812	1.09	—	—	—	—	7.8	0.4	0.64	0.07	11.3	0.9	—	—	4.70	1.10
J083644+005451	1.40	−0.198	−0.008	8.0	0.9	—	—	—	—	—	—	—	—	4.80	0.05
J083946+511202	1.03	—	—	—	—	1.6	0.1	11	1	7.5	0.7	—	—	1.60	0.84
J085111+142338	1.20	−0.169	−0.018	3.4	0.2	—	—	—	—	—	—	—	—	2.30	0.18
J085853+345826	1.28	0.21	0.02	0.53	0.03	—	—	—	—	—	—	—	—	0.73	0.03
J090600+574730	1.16	—	—	—	—	6.6	0.7	12	1	6.9	0.3	—	—	3.50	0.28
J091316+591920	1.11	−0.377	−0.015	2.0	0.1	—	—	—	—	—	—	—	—	0.76	0.09
J091824+063653	1.03	−0.44	−0.04	3.7	0.3	—	—	—	—	—	—	—	—	1.30	0.60
J100424+122924	1.01	0.38	0.04	0.30	0.04	—	—	—	—	—	—	—	—	0.73	0.06
J100645+462716	1.00	−0.320	−0.030	1.4	0.1	—	—	—	—	—	—	—	—	0.66	0.06
J102551+192314	1.04	—	—	—	—	5.0	0.2	1.6	0.1	11	1	—	—	4.90	0.57
J102623+254259	1.00	—	—	—	—	8.2	0.6	11	1	9.5	0.8	—	—	8.10	14.00
J103601+500831	1.24	−0.420	−0.027	5.4	0.3	—	—	—	—	—	—	—	—	2.00	0.13
J104624+590524a	1.23	—	—	—	—	12.8	0.7	2.5	0.2	9.4	0.7	—	—	9.90	0.05
J104624+590524b	1.04	−0.301	−0.028	13.7	0.8	—	—	—	—	—	—	—	—	7.00	0.42
J105320−001650	1.42	0.24	0.02	0.44	0.03	—	—	—	—	—	—	—	—	0.79	0.07
J130738+150752	1.02	—	—	—	—	5.2	0.3	3.6	0.4	9.7	0.6	—	—	4.10	0.27
J130940+573311	1.00	0.52	0.03	0.15	0.01	—	—	—	—	—	—	—	—	0.50	0.06
J132512+112330	1.03	0.38	0.04	0.31	0.02	—	—	—	—	—	—	—	—	0.76	0.43
J133342+491625	1.05	−0.118	−0.009	7.3	0.6	—	—	—	—	—	—	—	—	6.00	0.65
J135135+284015	1.00	−0.266	−0.012	15.4	0.9	—	—	—	—	—	—	—	—	8.10	0.14
J142738+331242	1.41	—	—	—	—	11	1	1.89	0.08	10	1	3.2	0.2	7.90	0.09
J142952+544717	1.08	−0.313	−0.020	9.4	0.8	—	—	—	—	—	—	—	—	4.10	0.11
J151002+570243	1.00	—	—	—	—	4.6	0.4	8.8	0.5	2.9	0.3	—	—	3.80	9.20
J155633+351757	1.03	−0.333	−0.025	20	1	—	—	—	—	—	—	—	—	9.10	2.30
J161105+084437	1.36	—	—	—	—	2.9	0.2	17.3	0.9	4.6	0.2	2.4	0.2	3.60	0.70
J165913+210116	1.20	—	—	—	—	2.2	0.2	2.1	0.2	4.9	0.5	1.7	0.1	2.00	0.37
J221356−002457	1.03	—	—	—	—	1.08	0.08	29	4	18	2	—	—	0.40	0.08
J222032+002535	1.07	−0.163	−0.021	10.3	0.9	—	—	—	—	—	—	—	—	7.00	3.10
J222235+001536	1.04	—	—	—	—	6.4	0.3	18	2	15.4	1.0	—	—	4.30	1.80
J222843+011032	1.00	−0.465	−0.031	61	5	—	—	—	—	—	—	—	—	18.00	0.05
J224924+004750	1.01	—	—	—	—	9.6	0.8	12	1	11	1	—	—	9.50	0.89
J231443−090637	1.10	0.32	0.02	1.33	0.06	—	—	—	—	—	—	—	—	2.20	0.12
J232604+001333	1.26	0.42	0.02	0.81	0.09	—	—	—	—	—	—	—	—	1.50	0.03
J235018−000658	1.02	—	—	—	—	2.7	0.2	1.6	0.2	10	1	1.3	0.2	3.90	2.10

**Table D3.** RM-synthesis fit parameters. The flag column indicates if a peak in the Faraday dispersion function was detected (1) or not (0). The full width at half maximum of the RMSF is given by  $\Phi$ . The RM gives the position of the peak,  $A$ , while  $\Delta\text{RM}$  and  $\Delta A$  are the  $1\sigma$  uncertainties. This table is an excerpt, with the full table available online.

Name	$\text{RM}_\chi$ [rad m <sup>-2</sup> ]	flag	$\Phi$ [rad m <sup>-2</sup> ]	no-wt		$A$ [%]	$\Delta A$ [%]	S/N	sd-wt		$A$ [%]	$\Delta A$ [%]	S/N
				RM [rad m <sup>-2</sup> ]	$\Delta\text{RM}$ [rad m <sup>-2</sup> ]				RM [rad m <sup>-2</sup> ]	$\Delta\text{RM}$ [rad m <sup>-2</sup> ]			
J001115+144603	-11	1	76	-11.9	0.6	1.51	0.02	28	-6.5	0.5	1.85	0.03	32
J003126+150738	22	1	135	15	2	0.260	0.007	17	10	2	0.236	0.007	16
J021042-001818	-2	1	82	5.1	0.7	2.65	0.05	25	-4.5	0.7	2.80	0.05	25
J081333+350812	12	1	224	12.6	0.6	5.05	0.03	78	11.9	0.6	5.12	0.03	77
J083644+005451	3	0	56	-8682	4	3.0	0.5	6	-8688	5	2.7	0.5	6
J083946+511202	12	1	228	10.5	0.8	1.45	0.01	63	13.5	0.8	1.47	0.01	63
J085111+142338	39	0	213	-60	30	1.2	0.3	4	-3	20	1.4	0.3	4
J085853+345826	-49	0	239	8480	40	0.4	0.1	3	8720	40	0.4	0.1	3
J090600+574730	-5	1	219	-5.5	0.6	5.87	0.03	84	-5.2	0.6	5.90	0.03	83
J091316+591920	33	0	232	-7810	30	0.34	0.09	4	-7810	30	0.33	0.09	4
J091824+063653	38	1	218	256.2	0.9	1.045	0.009	50	259.0	0.9	1.051	0.009	51
J100424+122924	204	0	383	150	50	0.4	0.1	3	150	50	0.4	0.1	4
J100645+462716	-37	0	225	-2860	30	0.4	0.1	4	-2860	30	0.4	0.1	3
J102551+192314	13	1	224	17.3	0.6	3.30	0.02	76	16.0	0.7	3.33	0.02	75
J102623+254259	10	1	390	9.92	0.06	8.11	0.01	1363	9.90	0.06	8.10	0.01	1343
J103601+500831	-5	0	222	2310	30	1.4	0.4	4	2330	30	1.3	0.4	3
J104624+590524a	-3	1	241	-12	6	7.3	0.4	9	-7	5	7.7	0.4	10
J104624+590524b	6	1	241	8.3	0.5	6.43	0.03	111	8.3	0.5	6.40	0.03	110
J105320-001650	-161	0	241	-1160	30	0.4	0.1	4	-6690	30	0.4	0.1	4
J130738+150752	11	1	474	6	4	3.91	0.06	29	11	3	3.95	0.06	30
J130940+573311	5	0	251	9370	40	0.27	0.09	3	30	50	0.24	0.09	3
J132512+112330	102	1	223	55	2	0.63	0.01	25	78	2	0.64	0.01	25
J133342+491625	12	1	225	12.6	0.6	5.50	0.03	77	12.7	0.6	5.47	0.03	77
J135135+284015	41	0	242	-1980	40	4	1	3	2690	40	4	1	3
J142738+331242	14	0	53	75	5	2.5	0.5	5	4802	5	2.4	0.5	5
J142952+544717	7	0	53	-6891	6	2.4	0.5	5	-6880	6	2.0	0.5	4
J151002+570243	-12	1	215	-74.3	0.3	2.904	0.008	159	-82.9	0.3	2.595	0.008	145
J155633+351757	6	1	73	7.8	0.7	7.2	0.1	24	7.4	0.6	7.6	0.1	26
J161105+084437	1	0	42	4601	3	1.5	0.2	6	4547	4	1.3	0.2	6
J165913+210116	6	1	40	99	1	1.20	0.06	9	96	1	1.30	0.08	11
J221356-002457	-44	1	218	-35	2	0.48	0.01	19	-34	3	0.44	0.01	17
J222032+002535	-13	1	43	-12.90	0.06	6.58	0.01	259	-12.83	0.05	6.53	0.02	182
J222235+001536	-17	1	43	-16.78	0.06	5.84	0.01	200	-16.92	0.06	5.37	0.01	164
J222843+011032	16	0	59	-7123	9	12	3	3	-7123	9	11	3	3
J224924+004750	2	1	81	4.5	0.2	8.16	0.05	79	4.1	0.2	8.85	0.05	79
J231443-090637	0	0	73	7	8	2.1	0.5	4	8910	10	1.4	0.4	3
J232604+001333	18	0	76	-8174	5	1.5	0.2	8	2280	10	0.7	0.2	3
J235018-000658	5	1	43	3.45	0.07	2.215	0.007	142	5.93	0.08	2.291	0.009	112

**Table D4.** QU-fitting parameters. The model column designates which model was the best fit to the data, with “D” being a delta function, or thin component, and “G” being a modified Gaussian, or thick component. The number of each in the model designates how many thin and thick components there are. If a source has multiple components each component is listed on a separate row, with a number following the model name designating which component (1, 2, or 3). For a “D” component  $p$  is the modulus,  $\phi_0$  is the position of the delta function, and  $\psi_0$  is the angle. For a “G” component  $p$  is the Gaussian peak,  $\phi_0$  is the position of the peak,  $\psi_0$  is the angle,  $\sigma_\phi$  is the width, and  $N$  determines its deviation from Normality. The  $\Delta$ s are the  $1\sigma$  uncertainties obtained from the MCMC fitting. The  $F_{\max}$  columns indicate the peak after summing all of the model components. This table is an excerpt, with the full table available online.

Name	model	$p$ [%]	$\Delta p$ [%]	$\psi_0$ [rad]	$\Delta\psi_0$ [rad]	$\phi_0$ [rad m <sup>-2</sup> ]	$\Delta\phi_0$ [rad m <sup>-2</sup> ]	$\sigma_\phi$ [rad m <sup>-2</sup> ]	$\Delta\sigma_\phi$ [rad m <sup>-2</sup> ]	$N$	$\Delta N$	$F_{\max}$ [%]	$F_{\max}$ [mJy]
J001115+144603	GG1	0.97	0.06	1.5	0.3	27.0	2.0	7.0	8.0	5.7	0.4	0.11	0.03
J001115+144603	GG2	1.6	0.2	1.6	0.2	-7.0	2.0	5.0	8.0	2.0	1.0	0.11	0.03
J003126+150738	DD1	0.2	0.1	0.6	0.4	-185	5	-	-	-	-	0.30	0.20
J003126+150738	DD2	0.3	0.1	0.5	0.2	7	3	-	-	-	-	0.30	0.20
J021042-001818	DG1	0.9	0.3	0.7	0.3	100	300	-	-	-	-	0.93	0.09
J021042-001818	DG2	3.511	0.006	1.5	0.1	-9	1	9	10	5	1	0.93	0.09
J081333+350812	DDD1	4.4	0.3	0.72	0.05	6.5	0.5	-	-	-	-	4.40	0.65
J081333+350812	DDD2	0.3	0.2	0.8	0.4	-340	20	-	-	-	-	4.40	0.65
J081333+350812	DDD3	2.6	0.4	1.1	0.1	38	1	-	-	-	-	4.40	0.65
J083644+005451	D	2	1	0.7	0.7	10	60	-	-	-	-	2.50	0.03
J083946+511202	DDD1	0.3	0.1	1.0	0.3	-48	2	-	-	-	-	1.30	0.68
J083946+511202	DDD2	1.3	0.2	-0.4	0.1	2	1	-	-	-	-	1.30	0.68
J083946+511202	DDD3	0.3	0.2	-1.2	0.4	103	5	-	-	-	-	1.30	0.68
J085111+142338	D	1.3	0.5	-1.6	0.4	30	20	-	-	-	-	1.30	0.10
J085853+345826	D	0.3	0.2	0.3	0.7	-900	70	-	-	-	-	0.33	0.03
J090600+574730	DG1	6.0	0.4	-1.20	0.06	2	50	-	-	-	-	6.00	0.80
J090600+574730	DG2	1.188	0.003	-1.6	0.4	-220	7	70	10	13	1	6.00	0.80
J091316+591920	D	0.3	0.2	-0.3	0.8	-1010	60	-	-	-	-	0.30	0.03
J091824+063653	G	2.1	0.1	-0.5	0.1	251.0	2.0	44.0	7.0	7.0	8.0	0.01	0.01
J100424+122924	D	0.4	0.2	-0.4	0.6	120	40	-	-	-	-	0.37	0.04
J100645+462716	D	0.3	0.2	-1.1	0.6	70	60	-	-	-	-	0.31	0.03
J102551+192314	DD1	3.6	0.3	-1.06	0.09	15	1	-	-	-	-	3.60	0.86
J102551+192314	DD2	0.6	0.1	-0.4	0.6	-112	6	-	-	-	-	3.60	0.86
J102623+254259	DDD1	1.6	0.1	0.22	0.04	-3.4	0.4	-	-	-	-	4.10	6.20
J102623+254259	DDD2	4.1	0.2	0.43	0.02	-8.3	0.2	-	-	-	-	4.10	6.20
J102623+254259	DDD3	2.6	0.2	-0.28	0.04	47.8	0.4	-	-	-	-	4.10	6.20
J103601+500831	D	1.1	0.4	0.3	0.7	-1100	50	-	-	-	-	1.10	0.07
J104624+590524a	G	11.0	2.0	1.4	0.3	-7.0	3.0	30.0	30.0	12.0	10.0	0.11	0.00
J104624+590524b	GG1	1.2	0.3	0.5	0.2	-610.0	20.0	90.0	100.0	4.0	2.0	0.08	0.01
J104624+590524b	GG2	11.0	0.8	-1.37	0.06	6.5	0.5	39.0	3.0	8.0	3.0	0.08	0.01
J105320-001650	D	0.3	0.2	0.4	0.7	270	40	-	-	-	-	0.34	0.03
J130738+150752	DD1	2.5	0.5	-0.3	0.2	-47	2	-	-	-	-	2.50	0.16
J130738+150752	DD2	1.8	0.4	-1.5	0.3	94	3	-	-	-	-	2.50	0.16
J130940+573311	D	0.2	0.1	-0.8	0.7	30	50	-	-	-	-	0.23	0.03
J132512+112330	DD1	0.20	0.03	-1.6	0.7	522	6	-	-	-	-	0.69	0.38
J132512+112330	DD2	0.69	0.06	0.1	0.2	65	1	-	-	-	-	0.69	0.38
J133342+491625	DD1	0.3	0.3	-0.5	0.4	147	5	-	-	-	-	5.40	1.00
J133342+491625	DD2	5.4	0.4	0.22	0.04	15.2	0.4	-	-	-	-	5.40	1.00
J135135+284015	D	3	2	0.5	0.8	-1530	90	-	-	-	-	2.90	0.04
J142738+331242	D	2	1	1.4	0.8	-560	90	-	-	-	-	1.60	0.02
J142952+544717	D	2	1	-0.9	0.7	-1010	90	-	-	-	-	2.00	0.07
J151002+570243	DDD1	2.1	0.1	1.6	0.1	18	1	-	-	-	-	2.20	5.40
J151002+570243	DDD2	2.2	0.2	-0.33	0.08	-127	1	-	-	-	-	2.20	5.40
J151002+570243	DDD3	0.54	0.04	1.00	0.08	128	2	-	-	-	-	2.20	5.40
J155633+351757	DD1	2	2	0.4	0.3	240	10	-	-	-	-	7.00	1.50
J155633+351757	DD2	7	2	0.8	0.3	7	6	-	-	-	-	7.00	1.50
J161105+084437	D	1.4	0.8	1.5	0.7	1060	60	-	-	-	-	1.40	0.18
J165913+210116	DD1	1.1	0.4	0.3	0.5	290	30	-	-	-	-	1.20	0.15
J165913+210116	DD2	1.2	0.5	1.1	0.5	90	30	-	-	-	-	1.20	0.15
J221356-002457	DDD1	0.46	0.05	0.2	0.2	-31	1	-	-	-	-	0.46	0.25
J221356-002457	DDD2	0.20	0.03	0.1	0.2	242	2	-	-	-	-	0.46	0.25
J221356-002457	DDD3	0.23	0.04	-0.1	0.2	-271	1	-	-	-	-	0.46	0.25
J222032+002535	DG1	6.6	0.2	1.32	0.04	-10	30	-	-	-	-	6.60	3.50
J222032+002535	DG2	2.472	0.002	-1.1	0.1	260	20	100	10	9	2	6.60	3.50
J222235+001536	DD1	4.7	0.2	-0.63	0.09	-23	1	-	-	-	-	4.70	2.40
J222235+001536	DD2	1.8	0.5	-1.6	0.1	3	2	-	-	-	-	4.70	2.40
J222843+011032	D	8	4	0.2	0.7	-9	80	-	-	-	-	7.70	0.02
J224924+004750	DD1	8.5	0.5	1.12	0.09	5.3	0.5	-	-	-	-	8.50	0.77
J224924+004750	DD2	1.8	0.7	1.2	0.4	45	3	-	-	-	-	8.50	0.77
J231443-090637	D	1.4	0.8	0.5	0.8	1250	70	-	-	-	-	1.40	0.05
J232604+001333	D	0.7	0.7	-1.3	0.7	400	80	-	-	-	-	0.65	0.04
J235018-000658	DG1	1.3	0.2	0.30	0.10	5	50	-	-	-	-	1.30	1.60
J235018-000658	DG2	2.785	0.002	0.49	0.06	17.2	0.6	19	3	7	1	1.30	1.60

**APPENDIX E: LIST OF ARCHIVAL SOURCES**

Table E1: List of archival source properties. The values of  $I_e$ ,  $L_e$ , and  $\Pi_e$  are the 15 GHz rest-frame values of the brightness, luminosity, and polarization fraction. The units of  $L_e$  are  $\text{W m}^{-2} \text{ Hz}^{-1}$ . The RM, GRM, and RRM are the reported rotation measure, Galactic RM, and residual RM, respectively. This table is an excerpt, with the full table available online.

RA	Dec	$z$	$I_e$	$\alpha$	$\log_{10}[L_e]$	$\Pi_e$	RM	GRM	RRM
(J2000)	(J2000)		[mJy]			[%]	[rad m <sup>-2</sup> ]	[rad m <sup>-2</sup> ]	[rad m <sup>-2</sup> ]
00:03:22.00	−17:27:11.40	1.47	884.10	−0.71	27.70	2.54	−26.9	−2.3	−25.0
00:05:59.41	+16:09:46.70	0.45	204.10	−0.70	26.00	1.28	−33.4	−21.8	−12.0
00:06:13.87	−06:23:35.20	0.35	1627.00	−0.09	26.70	3.21	−409.0	2.9	−410.0
00:06:22.60	−00:04:25.10	1.04	968.90	−0.83	27.40	1.59	20.3	−2.6	23.0
00:13:31.09	+40:51:36.00	0.26	632.10	−0.35	26.00	0.98	−55.2	−74.6	19.0
00:15:59.98	+39:00:27.20	1.72	73.25	−0.94	26.70	5.15	−124.0	−116.0	−7.7
00:18:51.38	−12:42:33.50	1.59	492.20	−1.02	27.50	3.13	8.7	2.3	6.4
00:20:25.32	+15:40:52.70	2.02	483.70	−1.19	27.70	8.28	−20.3	−16.7	−3.6
00:24:30.12	−29:28:48.90	0.41	278.40	−1.16	26.10	4.69	18.9	3.5	15.0
00:25:26.15	+39:19:35.70	1.95	580.40	−0.19	27.70	3.50	−98.5	−104.0	5.5

## **APPENDIX F: SOURCE SPECTRA AND FARADAY FUNCTIONS**

All Figures in this section are available with the online version of this paper.

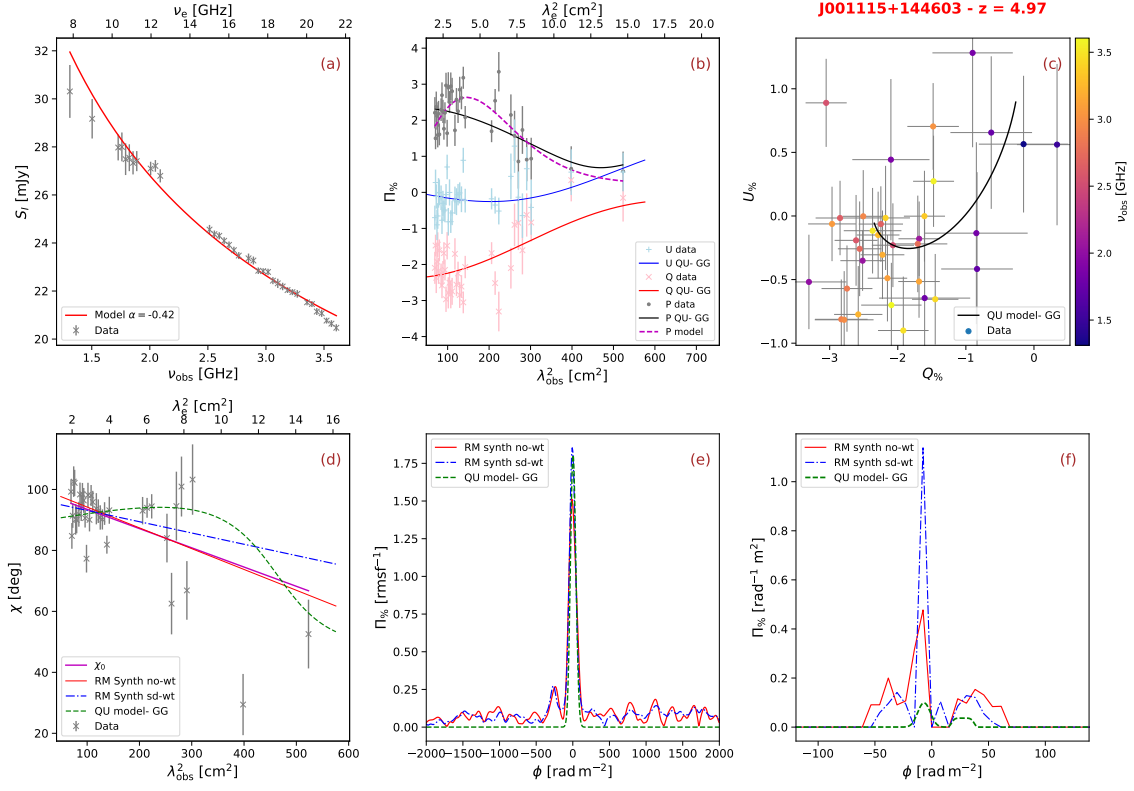


Figure F1. As for Fig. 5. Source: J001115+144603

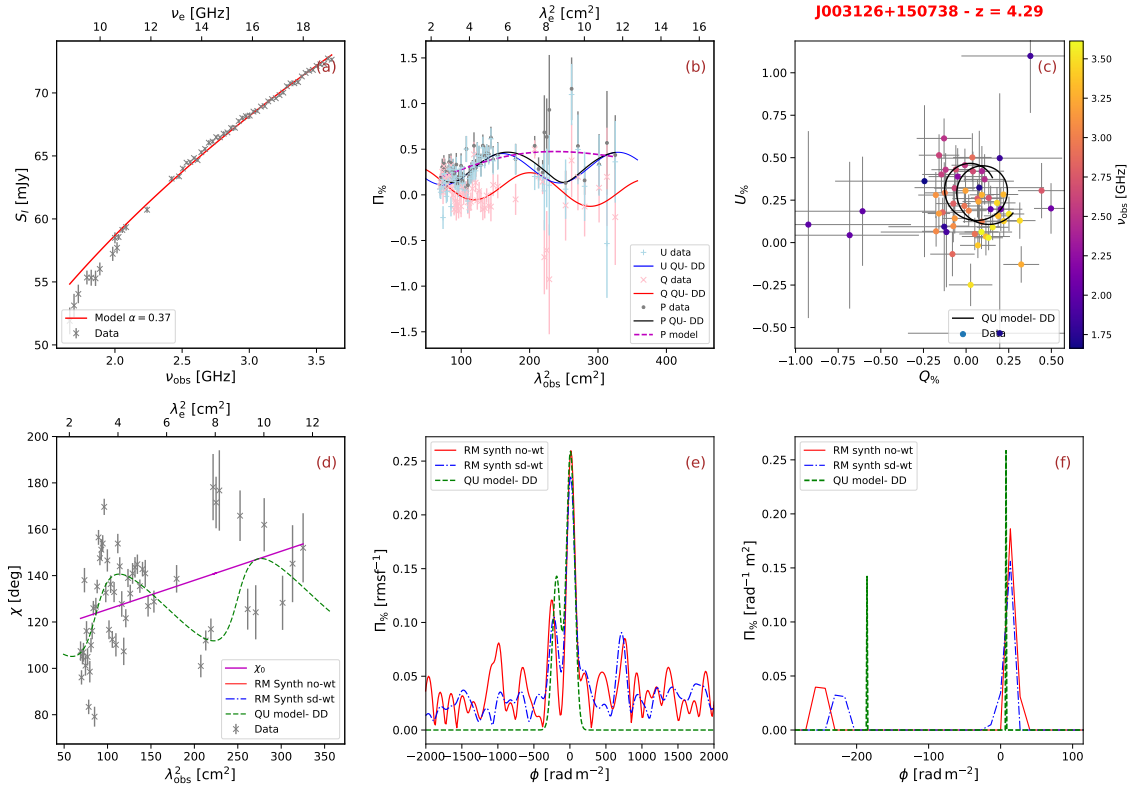


Figure F2. As for Fig. 5. Source: J003126+150738

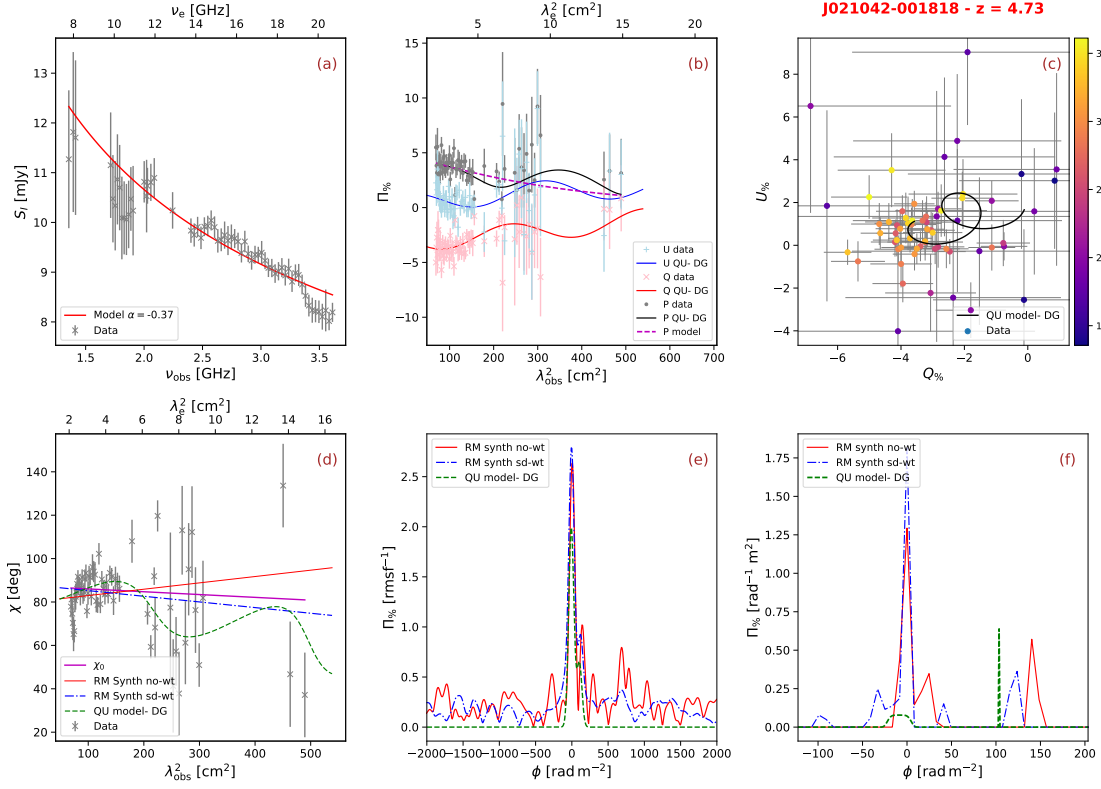


Figure F3. As for Fig. 5. Source: J021042-001818

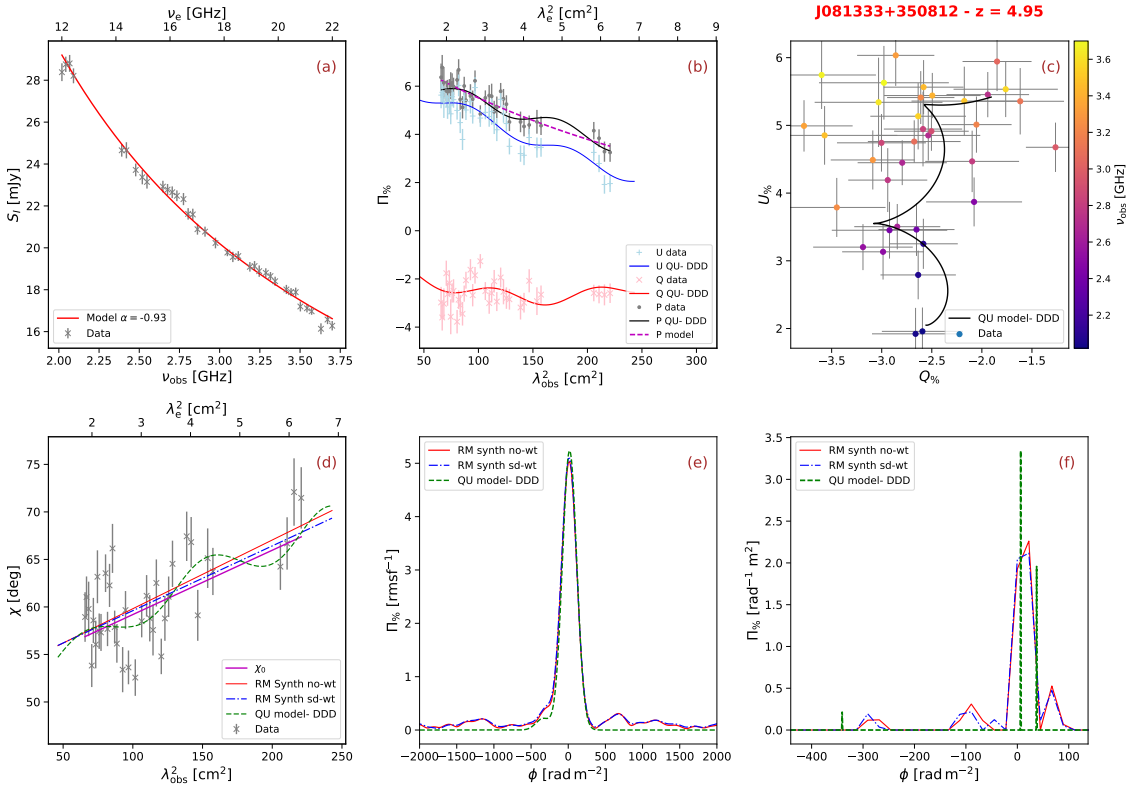


Figure F4. As for Fig. 5. Source: J081333+350812

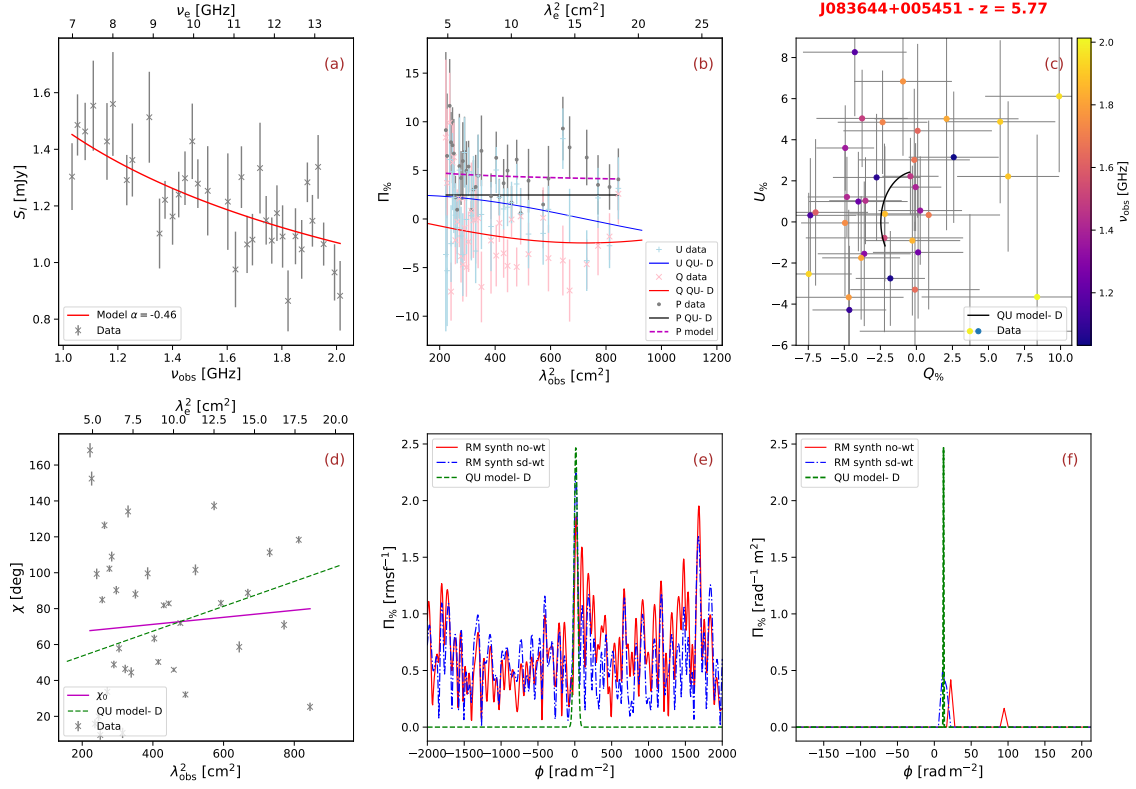


Figure F5. As for Fig. 5. Source: J083644+005451

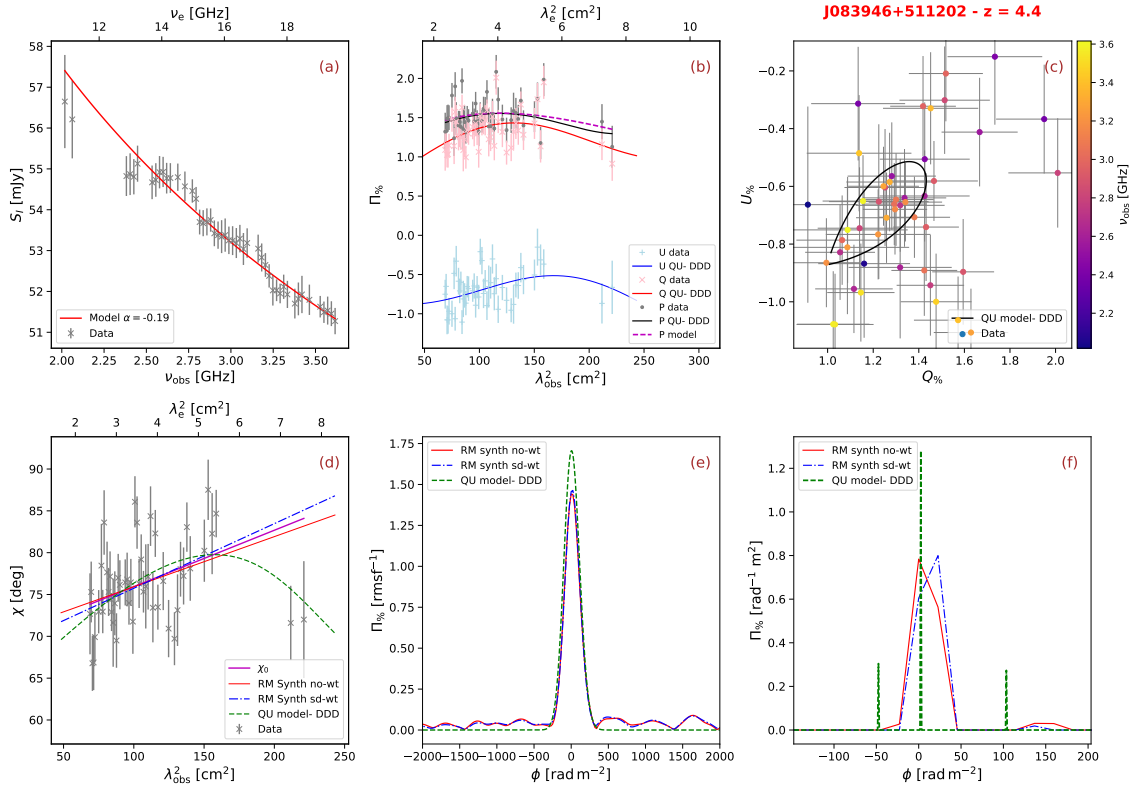


Figure F6. As for Fig. 5. Source: J083946+511202

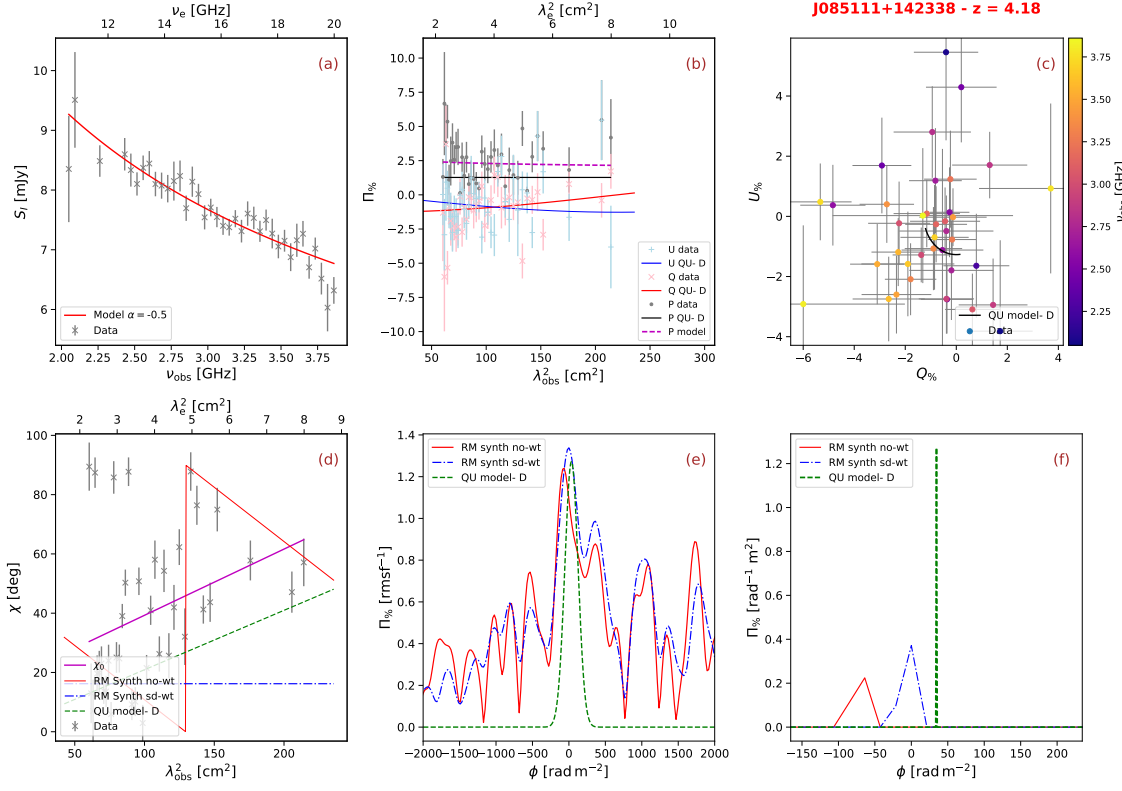


Figure F7. As for Fig. 5. Source: J085111+142338

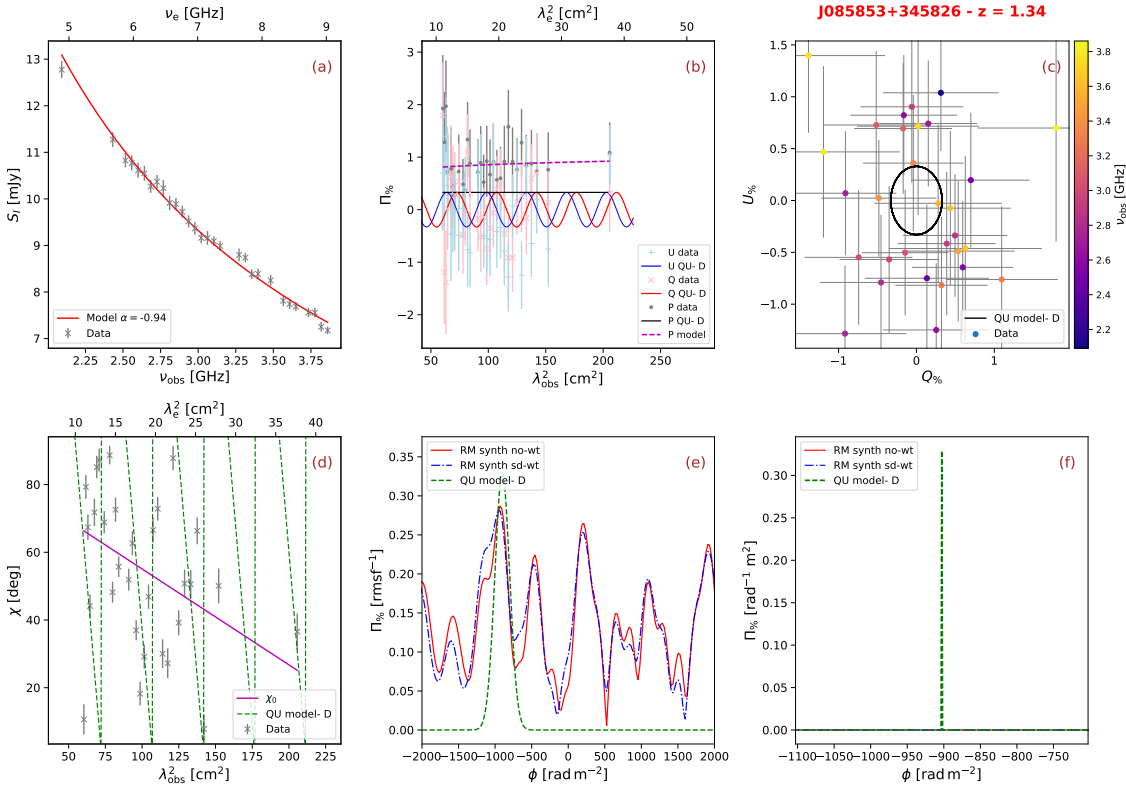


Figure F8. As for Fig. 5. Source: J085853+345826

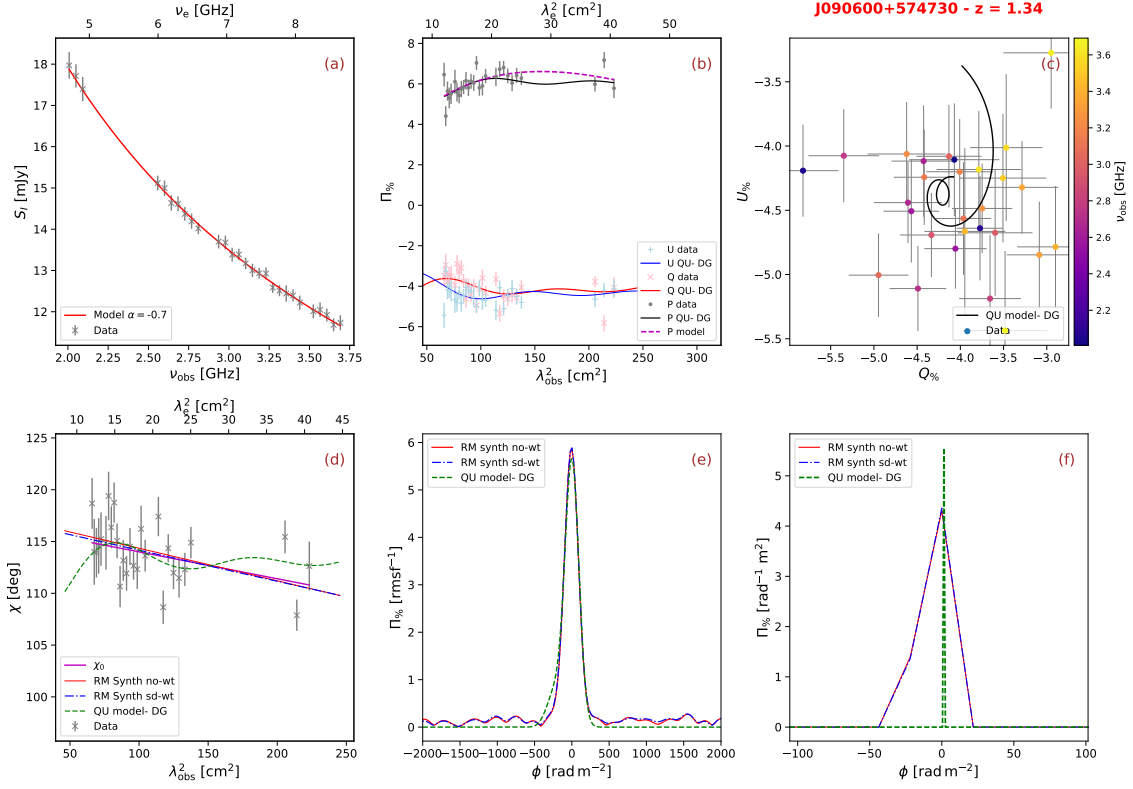


Figure F9. As for Fig. 5. Source: J090600+574730

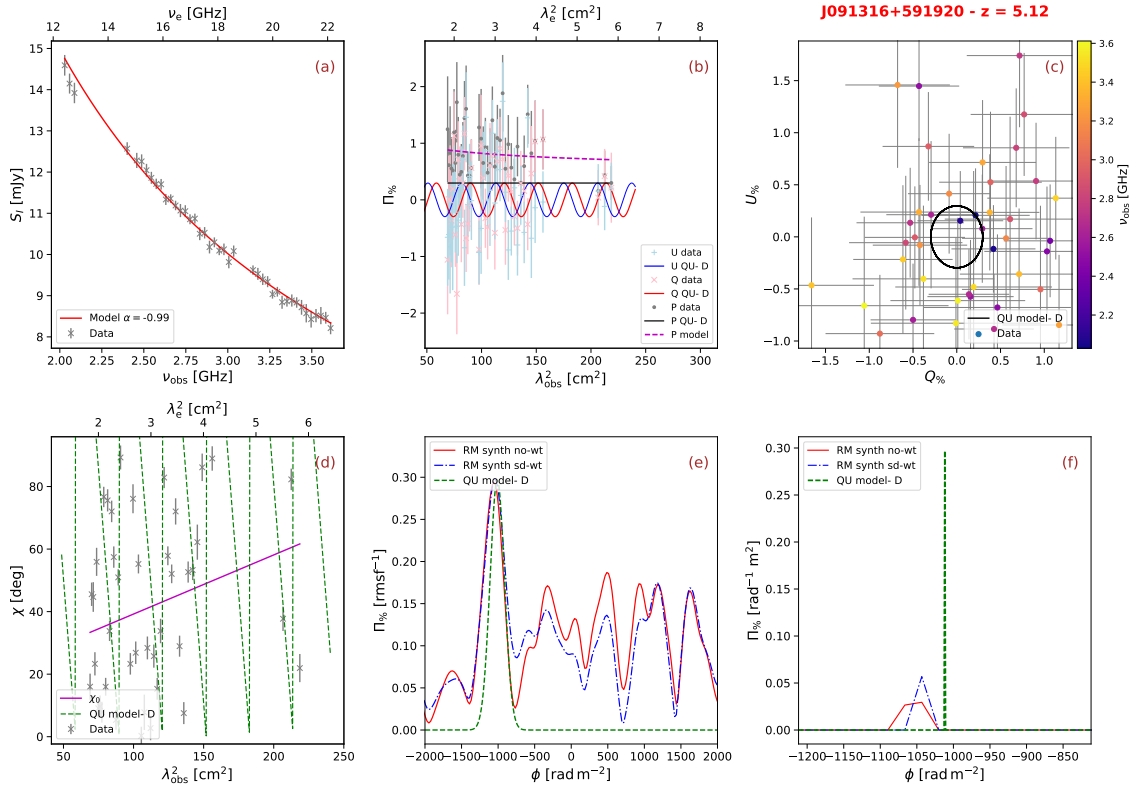


Figure F10. As for Fig. 5. Source: J091316+591920

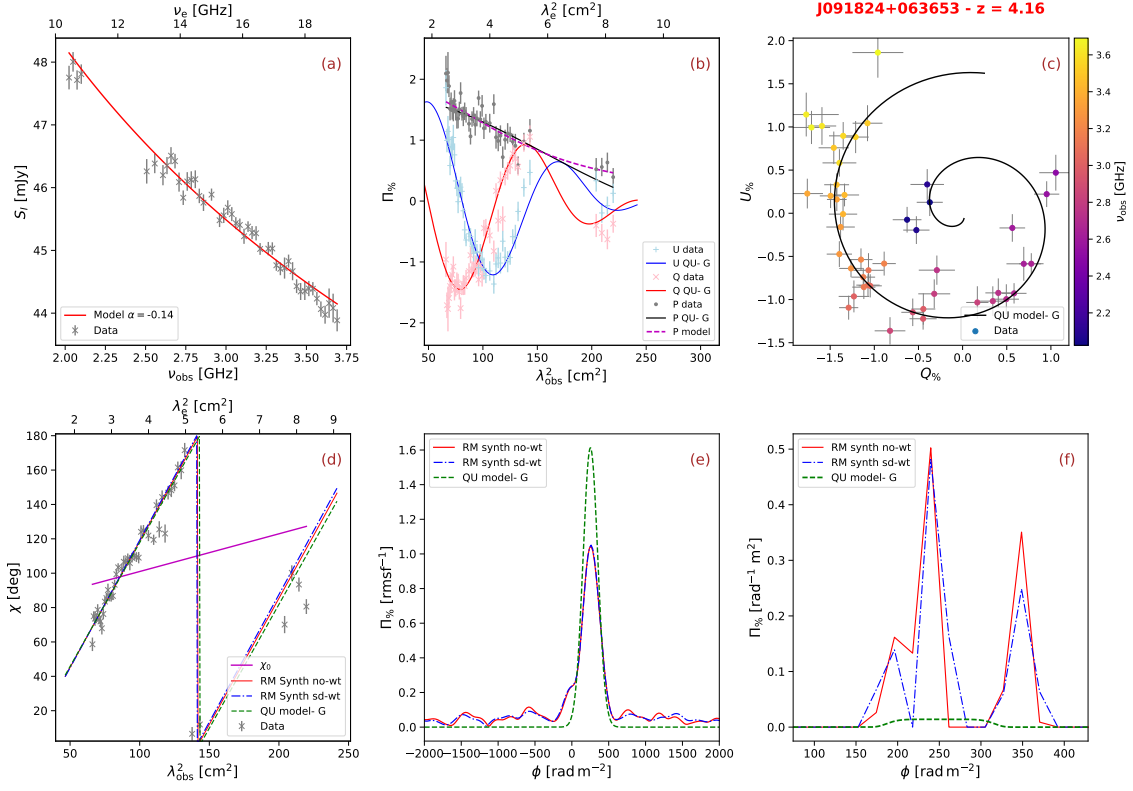


Figure F11. As for Fig. 5. Source: J091824+063653

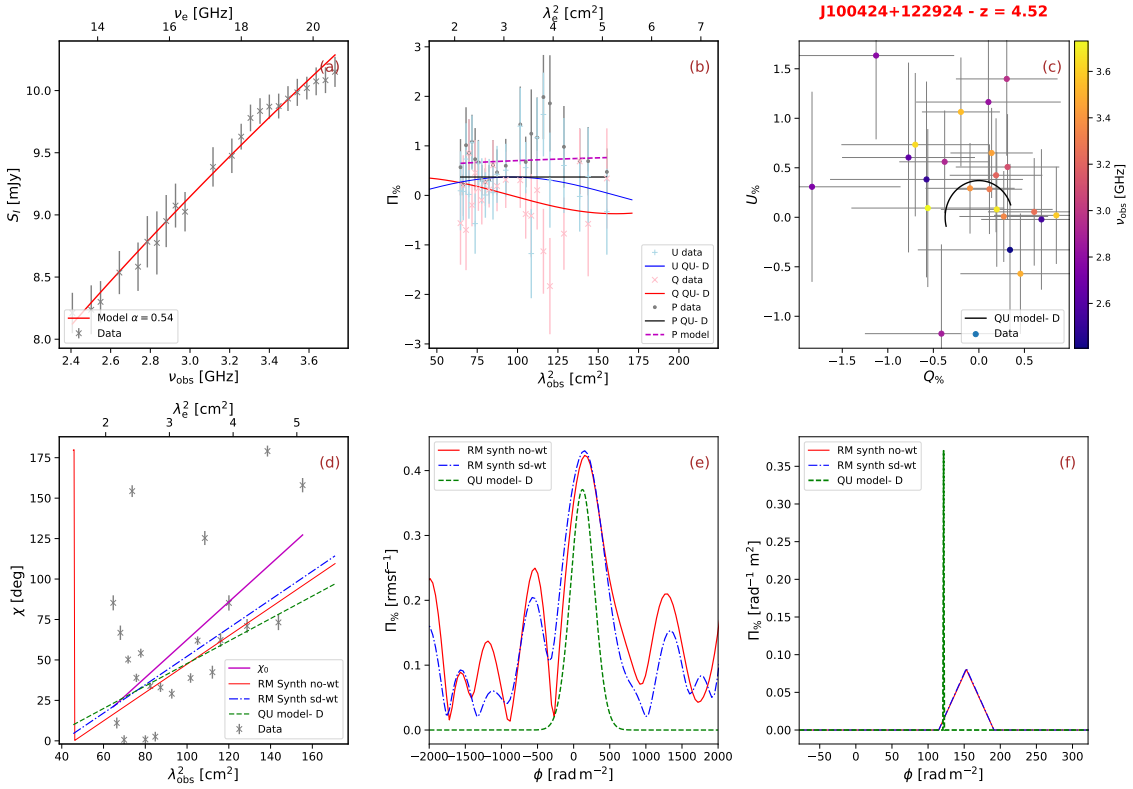


Figure F12. As for Fig. 5. Source: J100424+122924

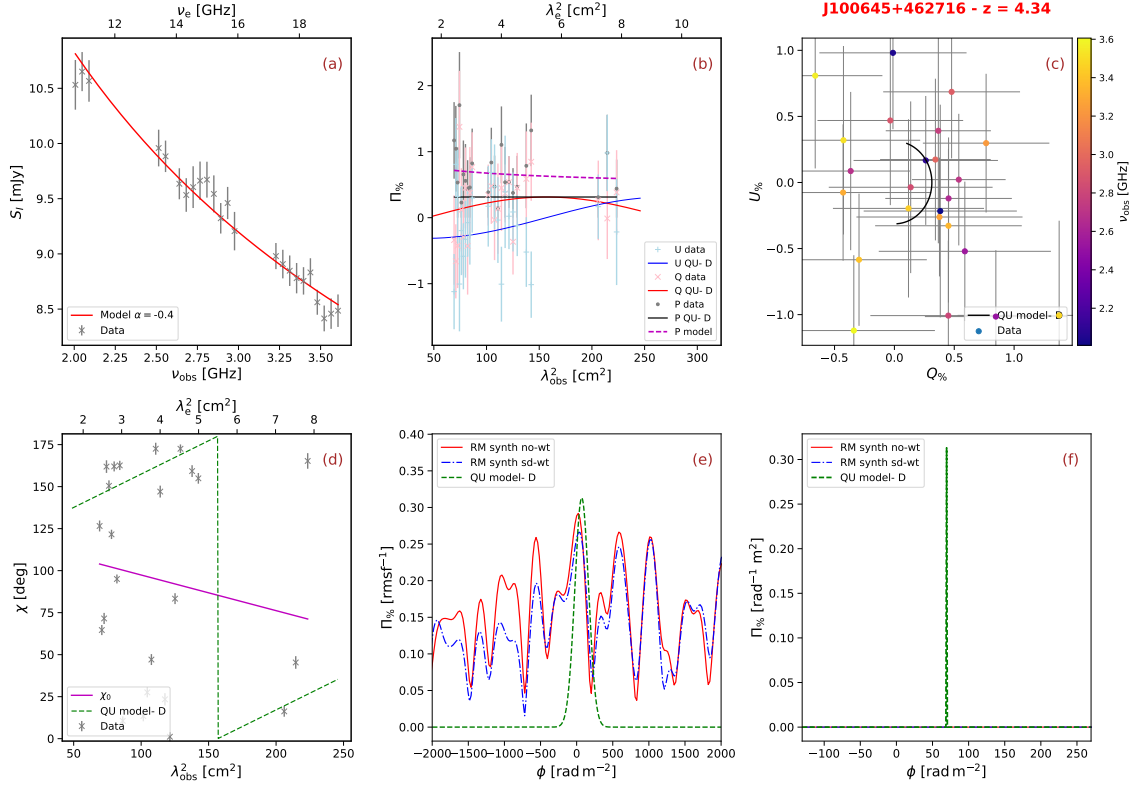


Figure F13. As for Fig. 5. Source: J100645+462716

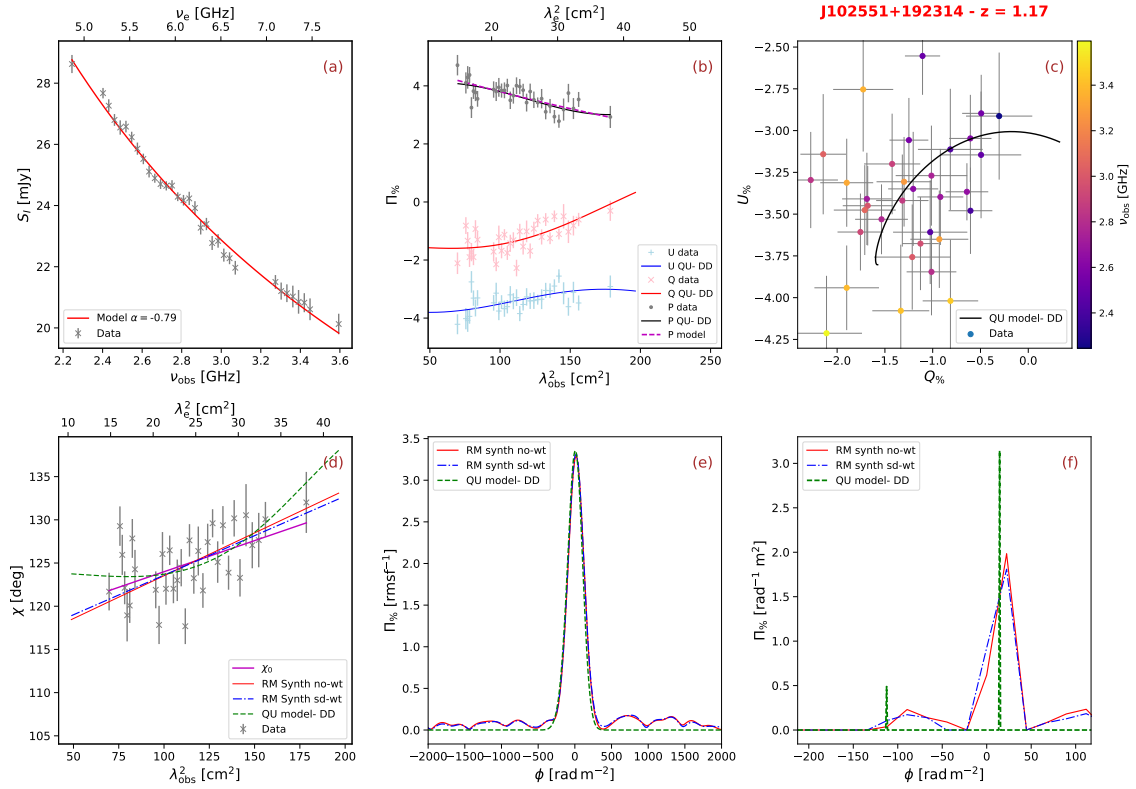


Figure F14. As for Fig. 5. Source: J102551+192314

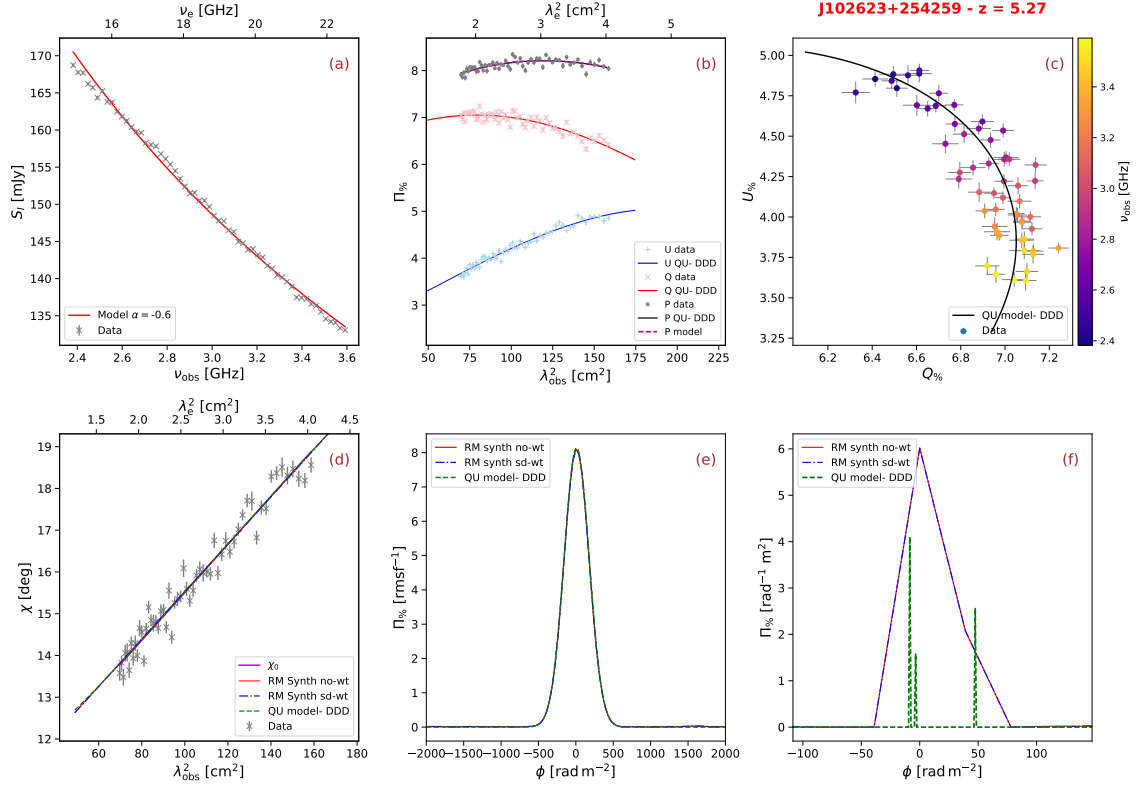


Figure F15. As for Fig. 5. Source: J102623+254259

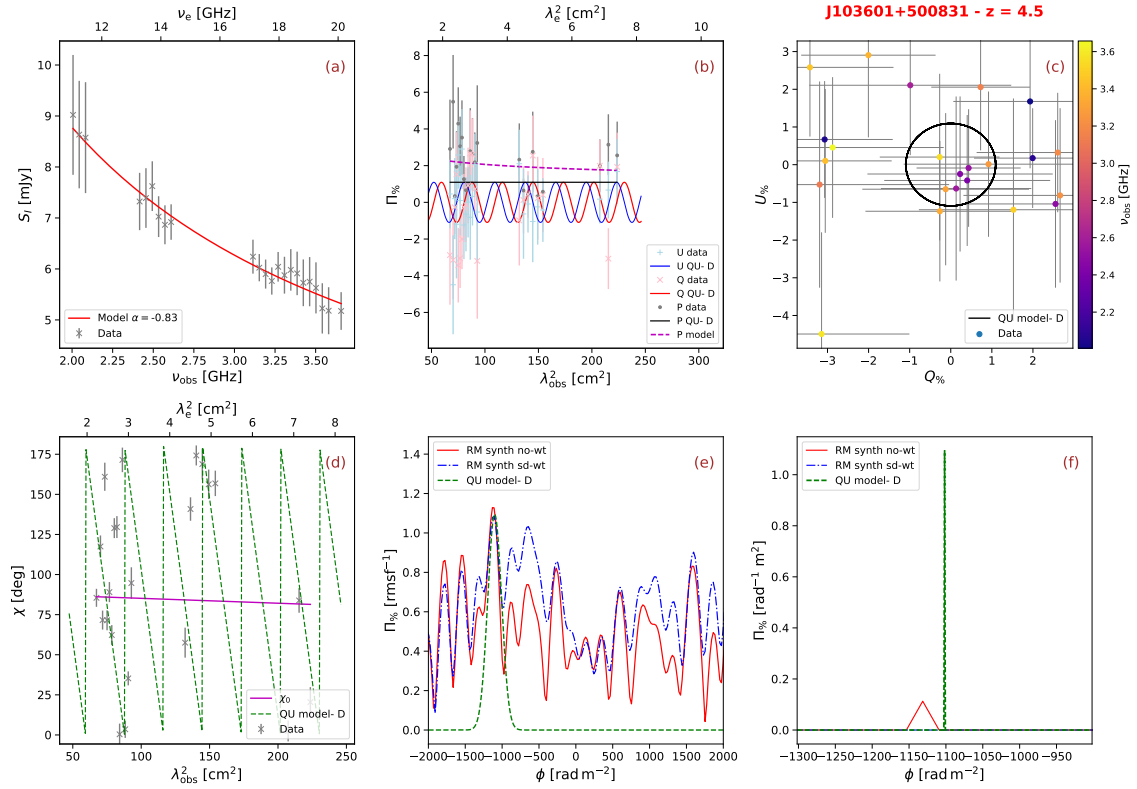


Figure F16. As for Fig. 5. Source: J103601+500831

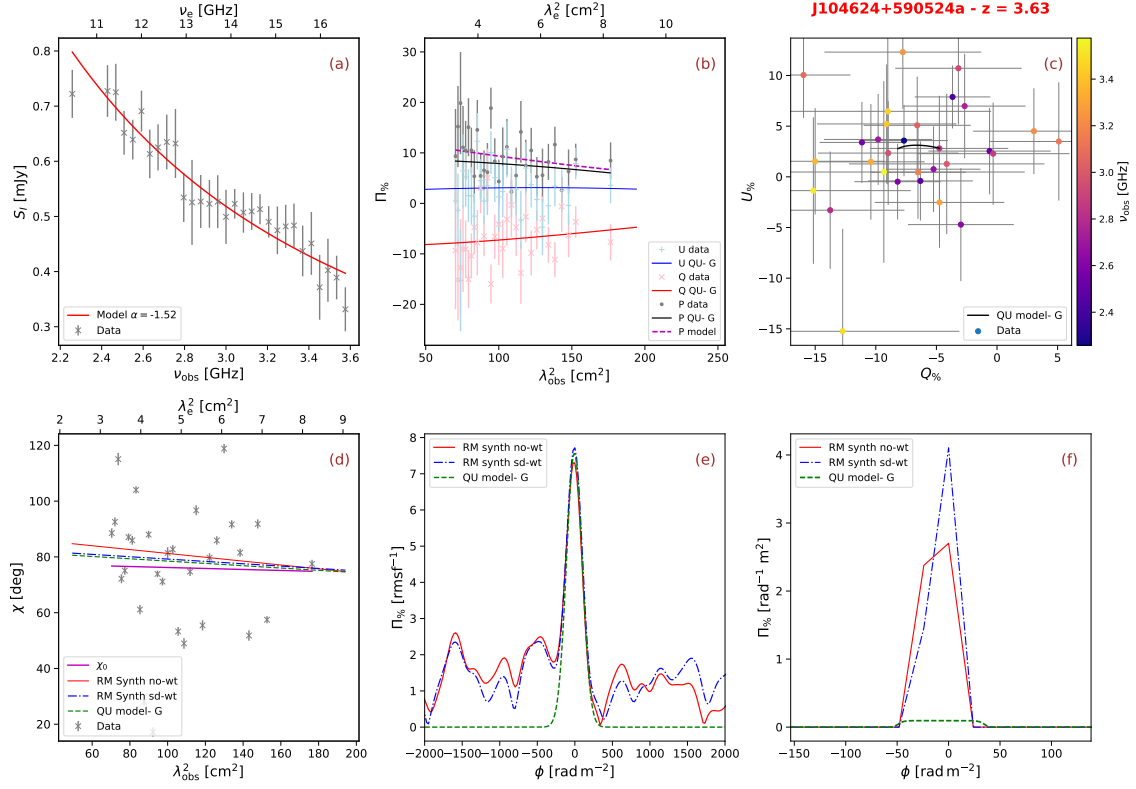


Figure F17. As for Fig. 5. Source: J104624+590524a

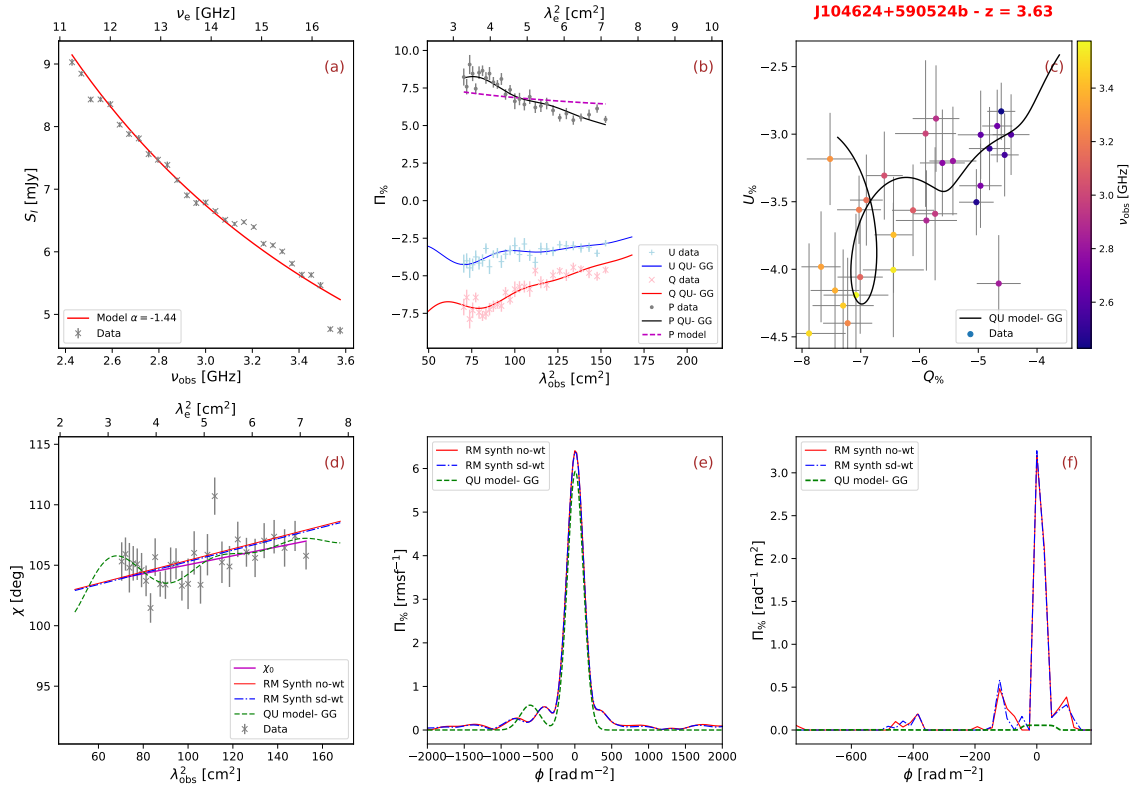


Figure F18. As for Fig. 5. Source: J104624+590524b

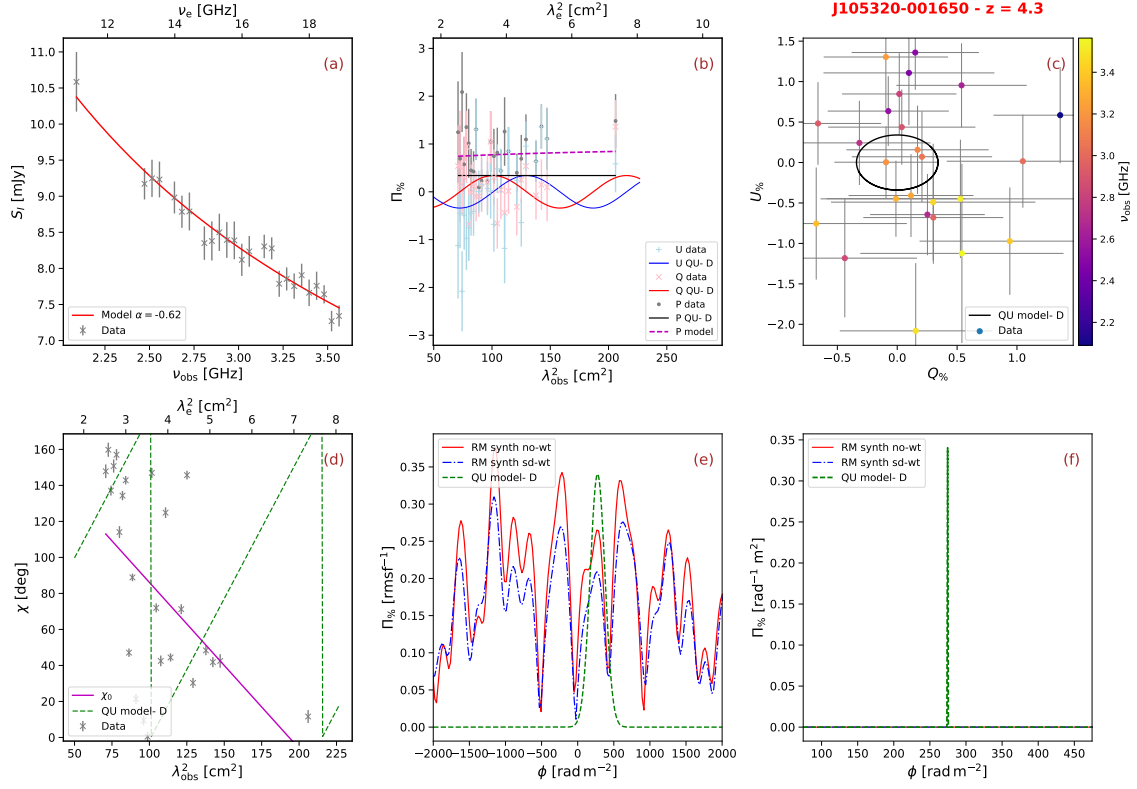


Figure F19. As for Fig. 5. Source: J105320-001650

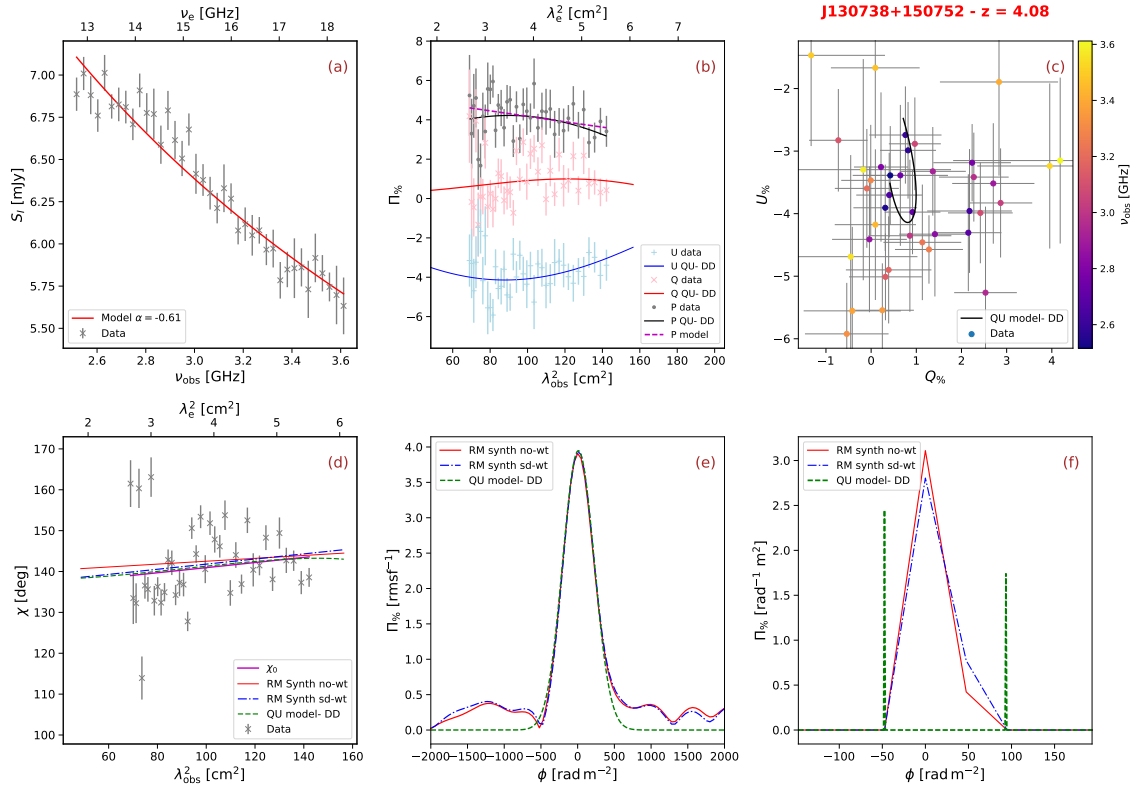


Figure F20. As for Fig. 5. Source: J130738+150752

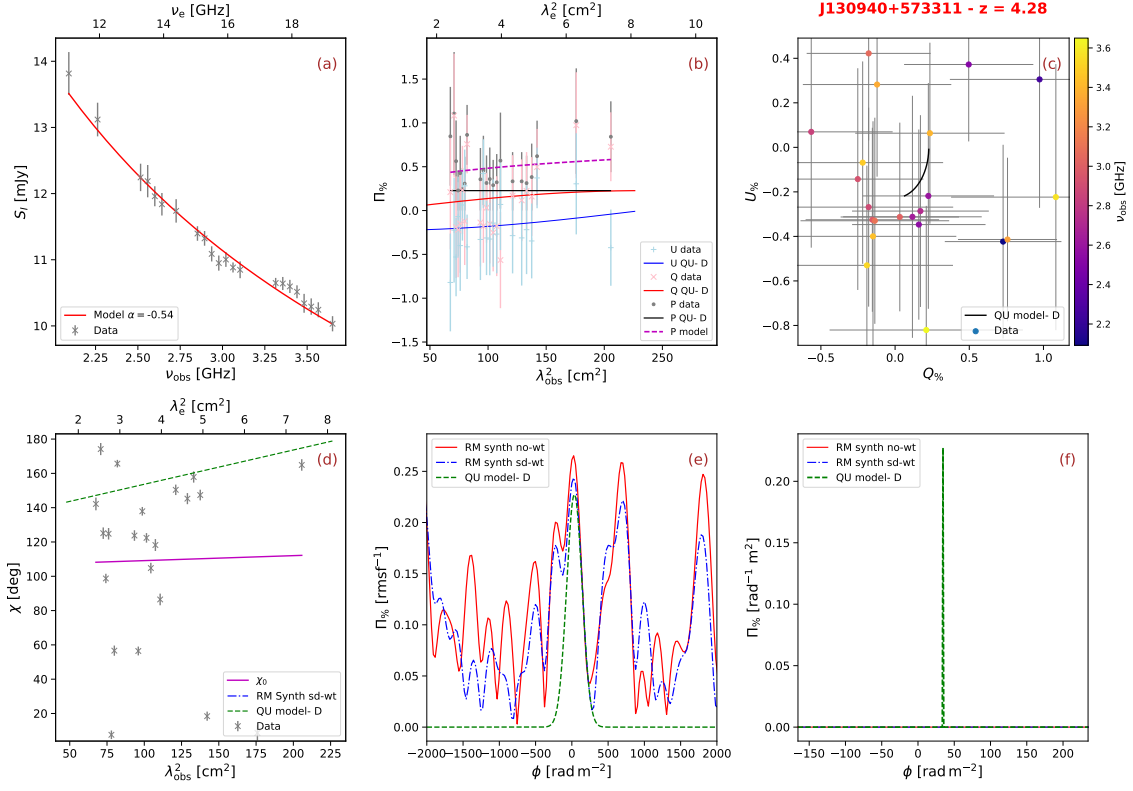


Figure F21. As for Fig. 5. Source: J130940+573311

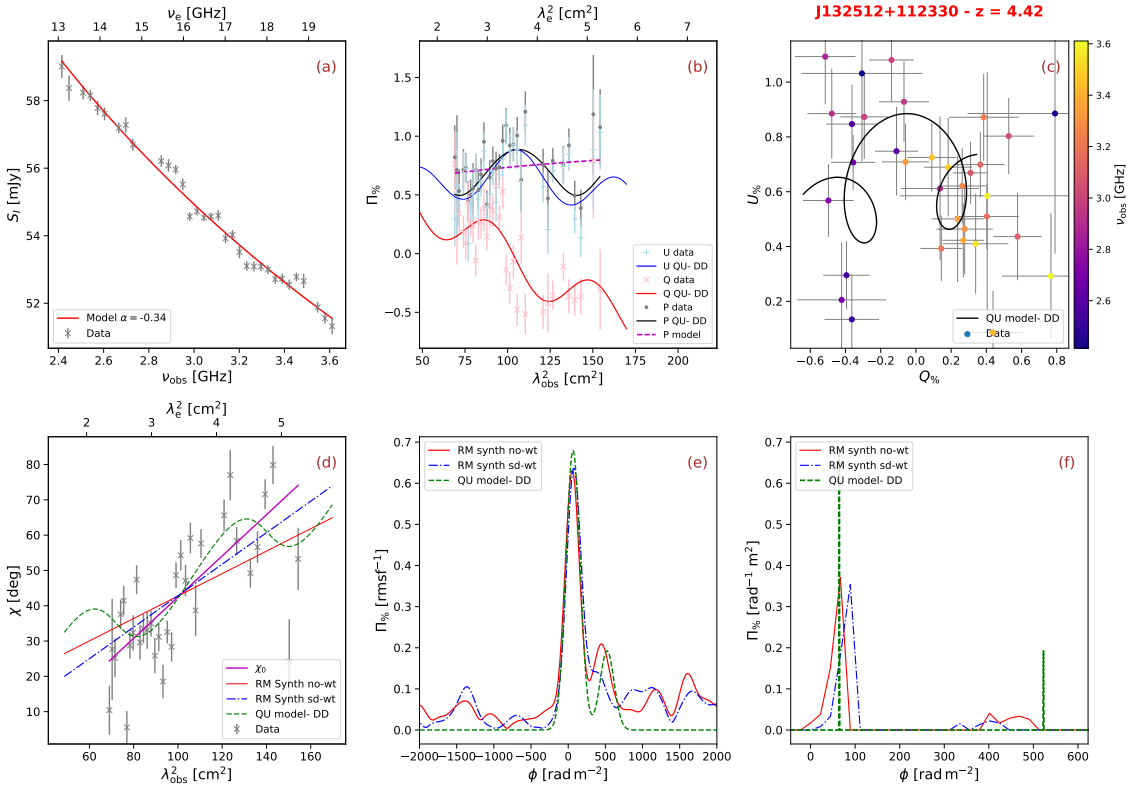


Figure F22. As for Fig. 5. Source: J132512+112330

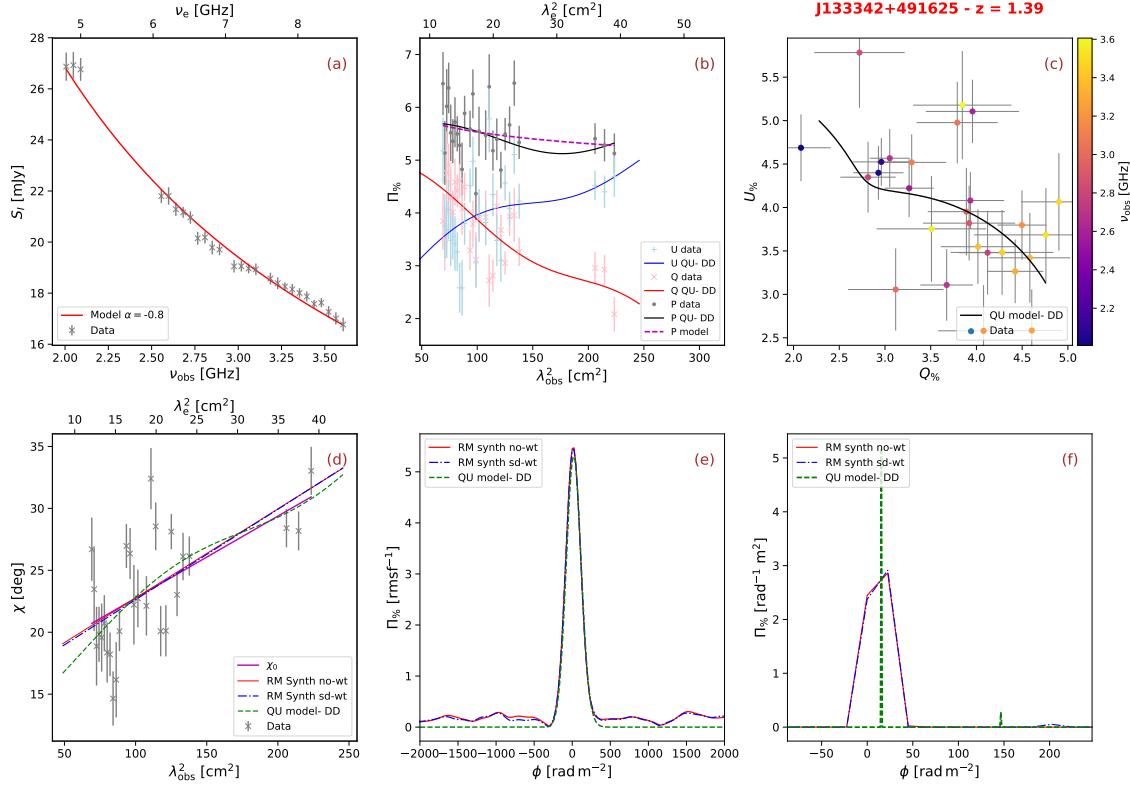


Figure F23. As for Fig. 5. Source: J133342+491625

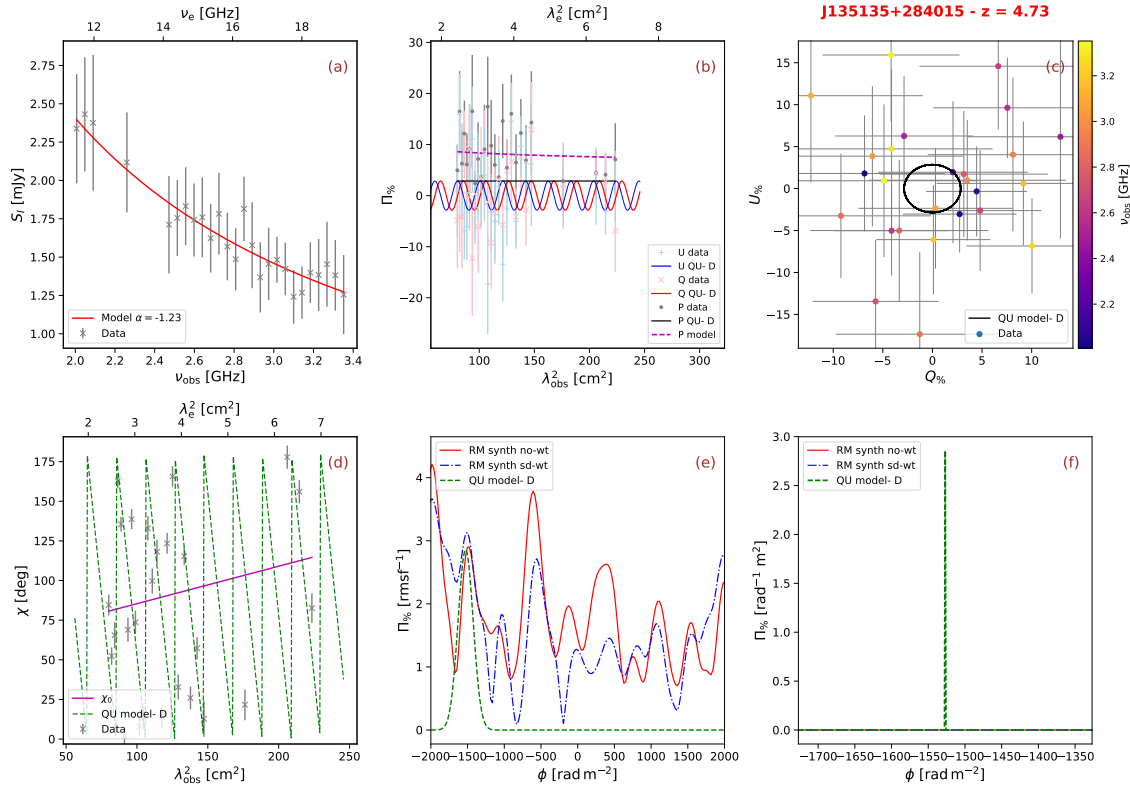


Figure F24. As for Fig. 5. Source: J135135+284015

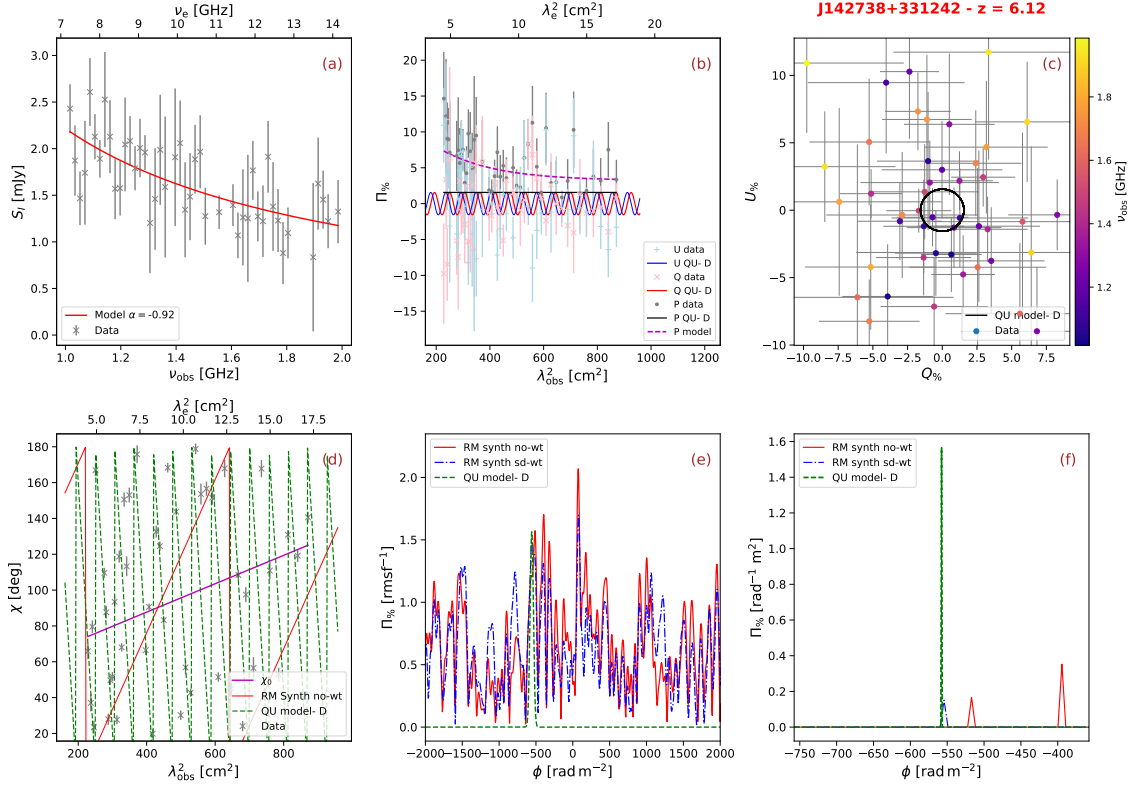


Figure F25. As for Fig. 5. Source: J142738+331242

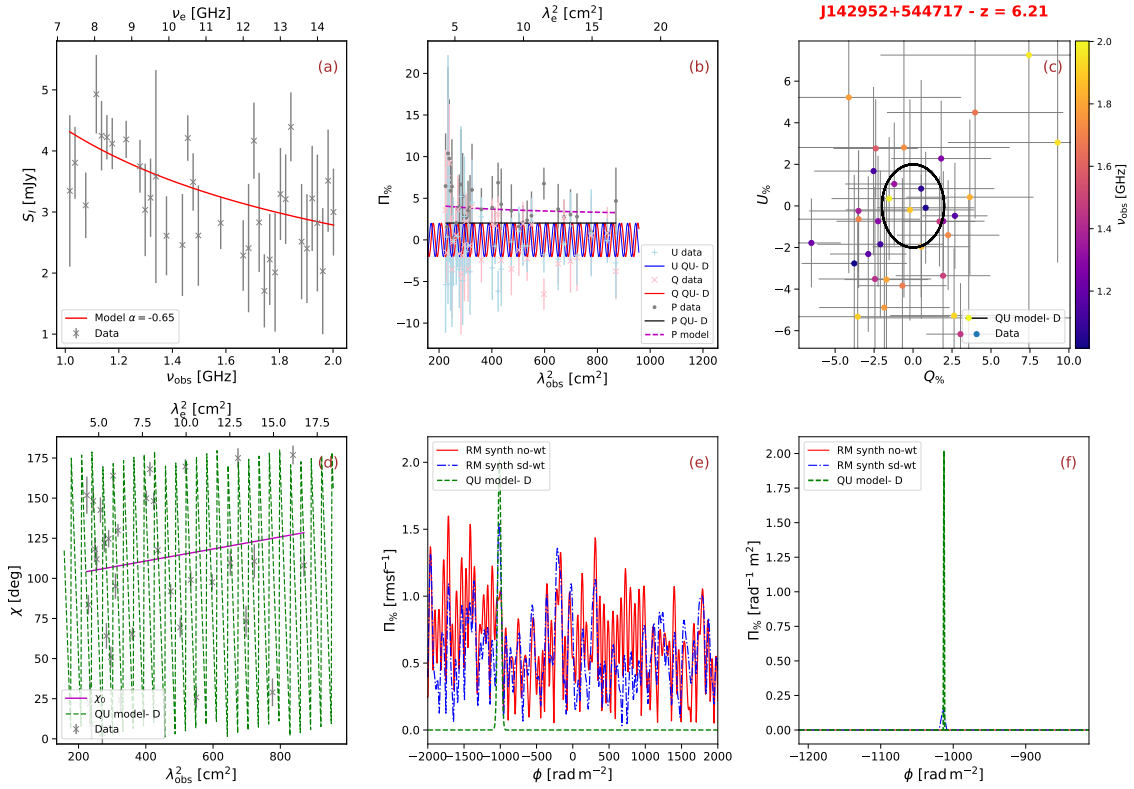


Figure F26. As for Fig. 5. Source: J142952+544717

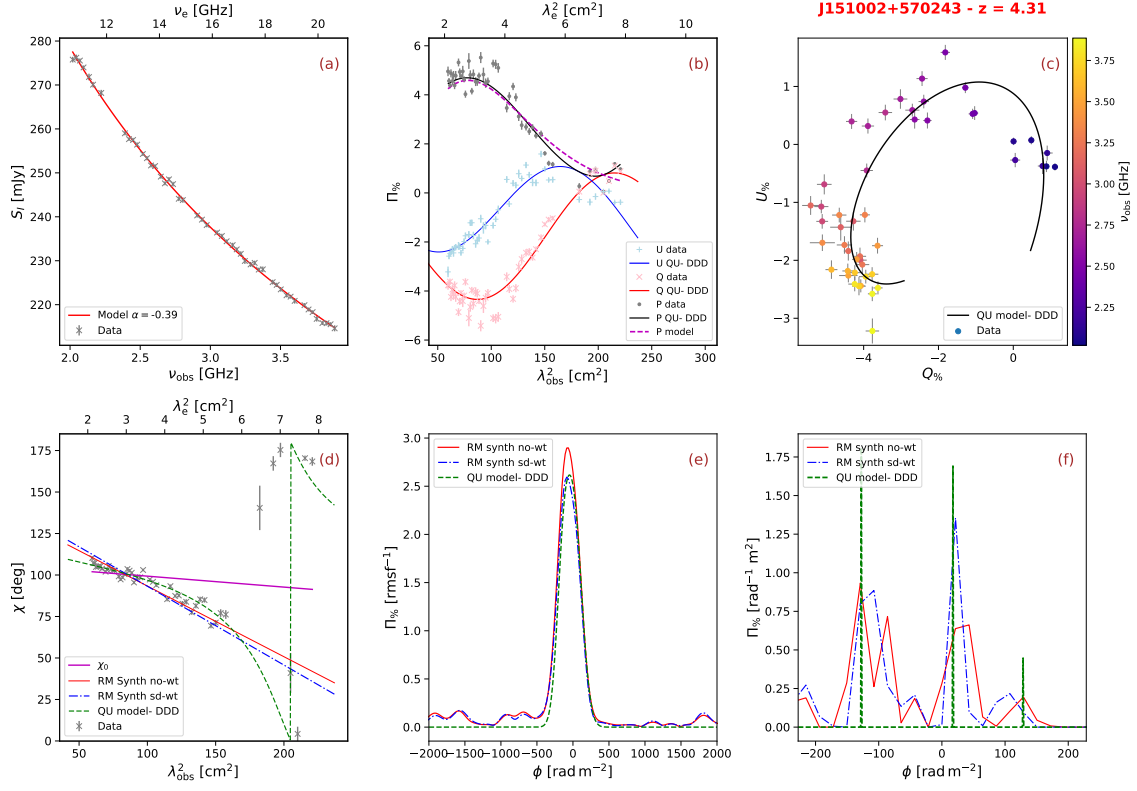


Figure F27. As for Fig. 5. Source: J151002+570243

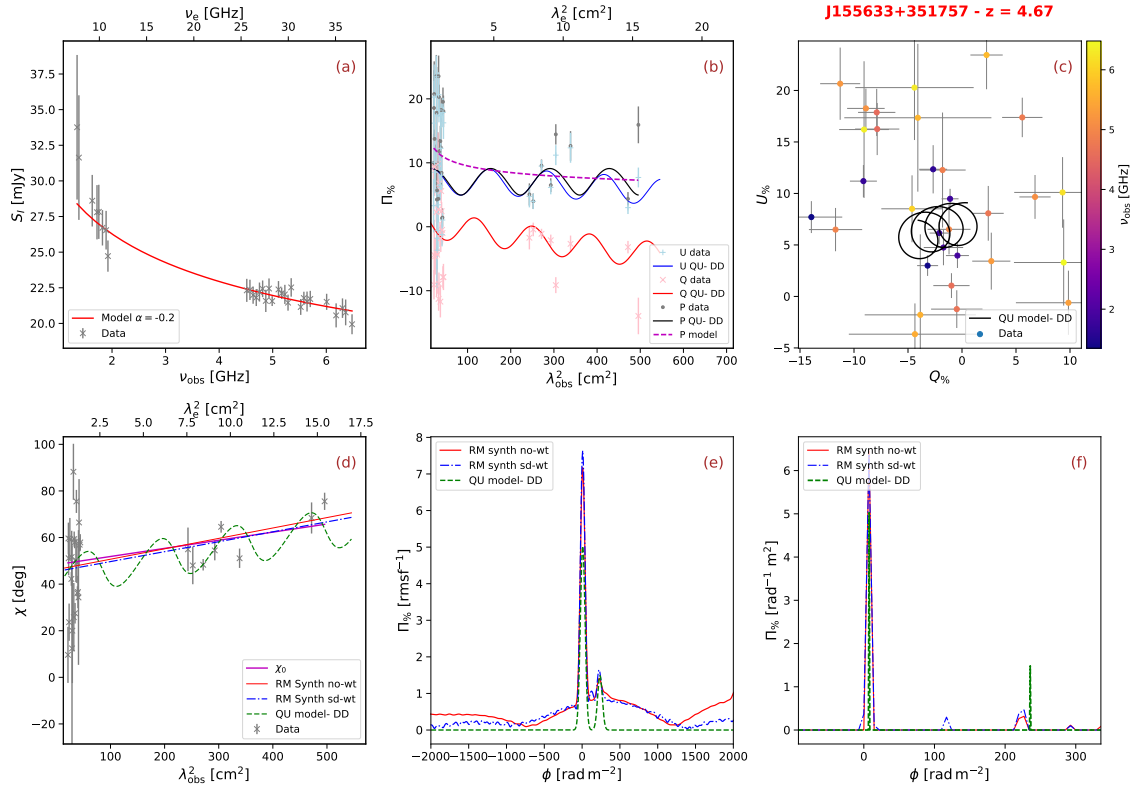


Figure F28. As for Fig. 5. Source: J155633+351757

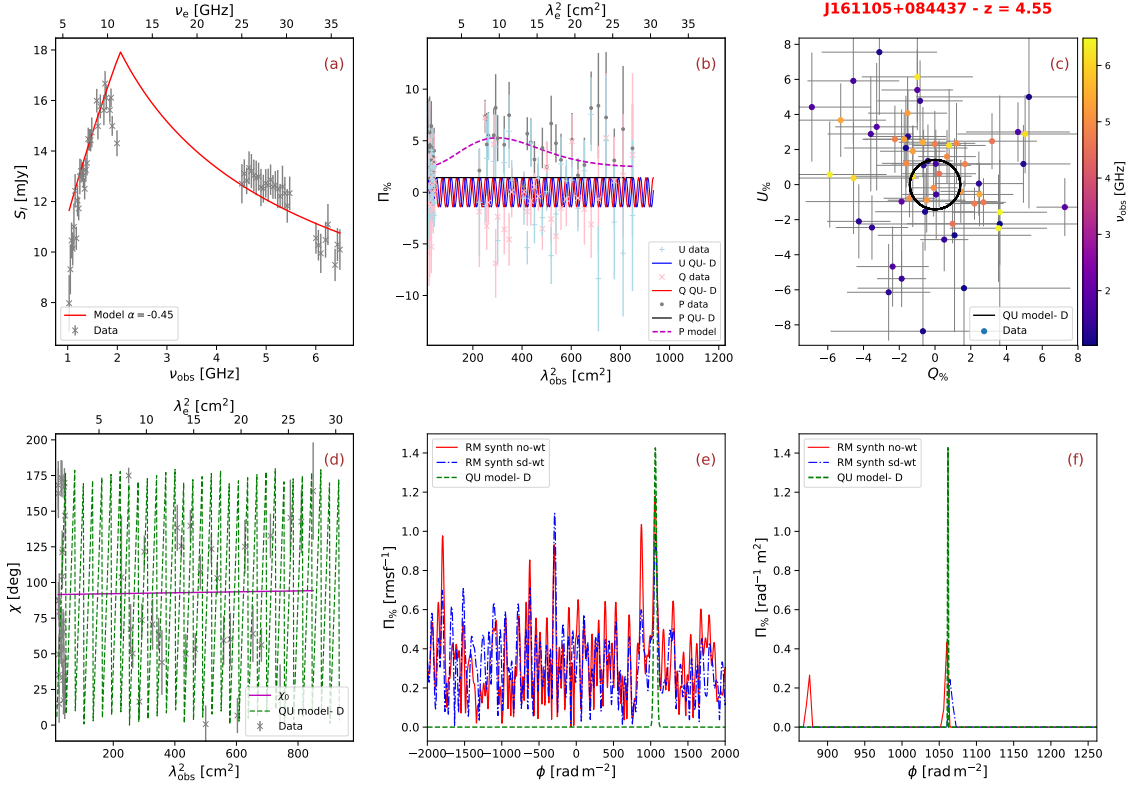


Figure F29. As for Fig. 5. Source: J161105+084437

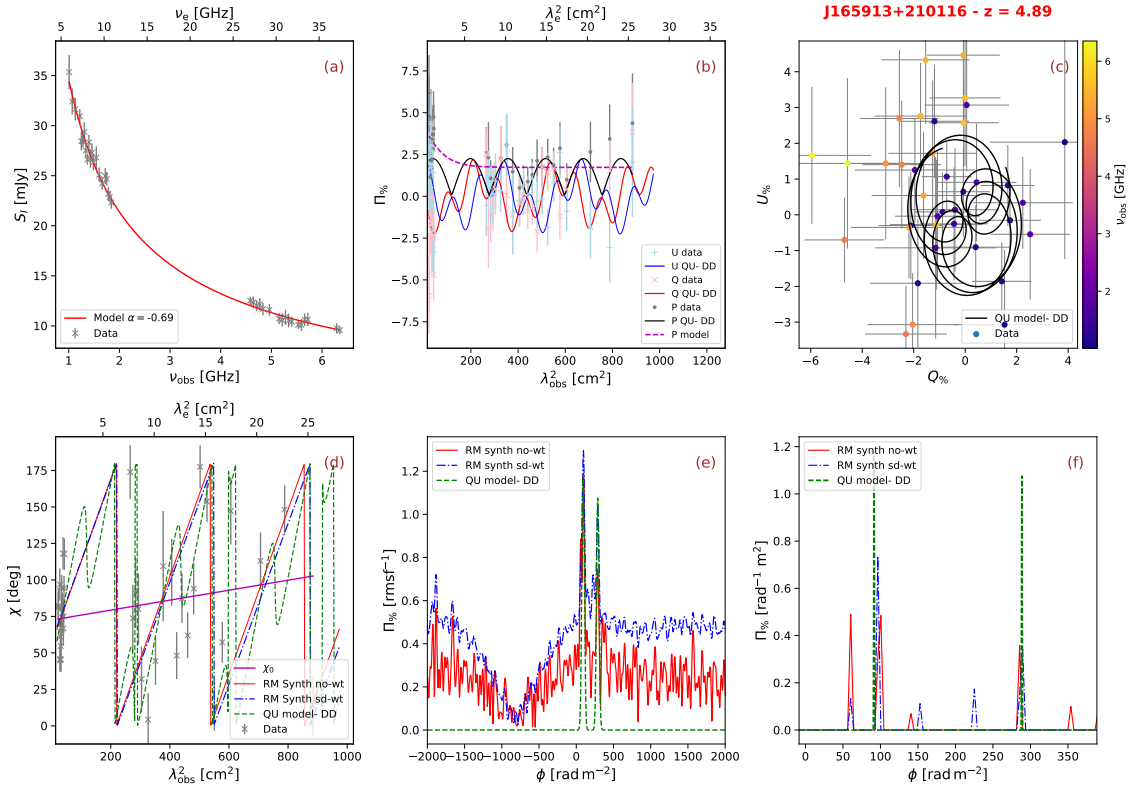


Figure F30. As for Fig. 5. Source: J165913+210116

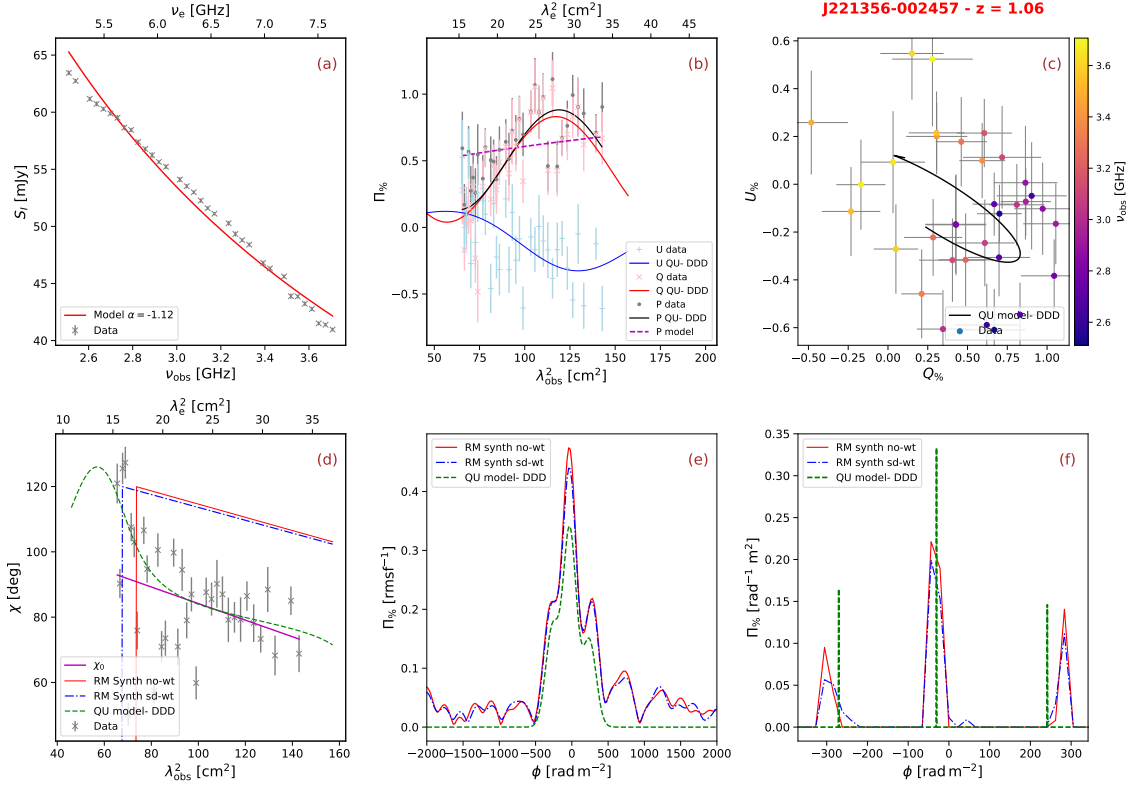


Figure F31. As for Fig. 5. Source: J221356–002457

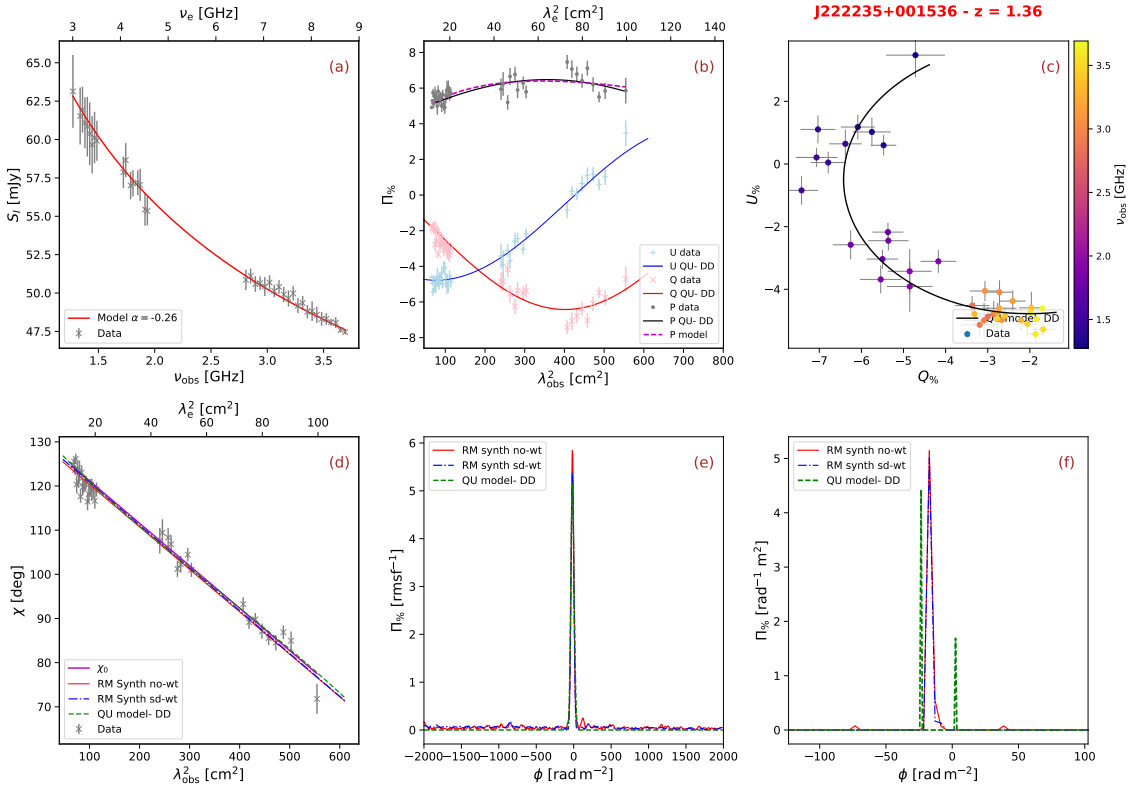


Figure F32. As for Fig. 5. Source: J222235+001536

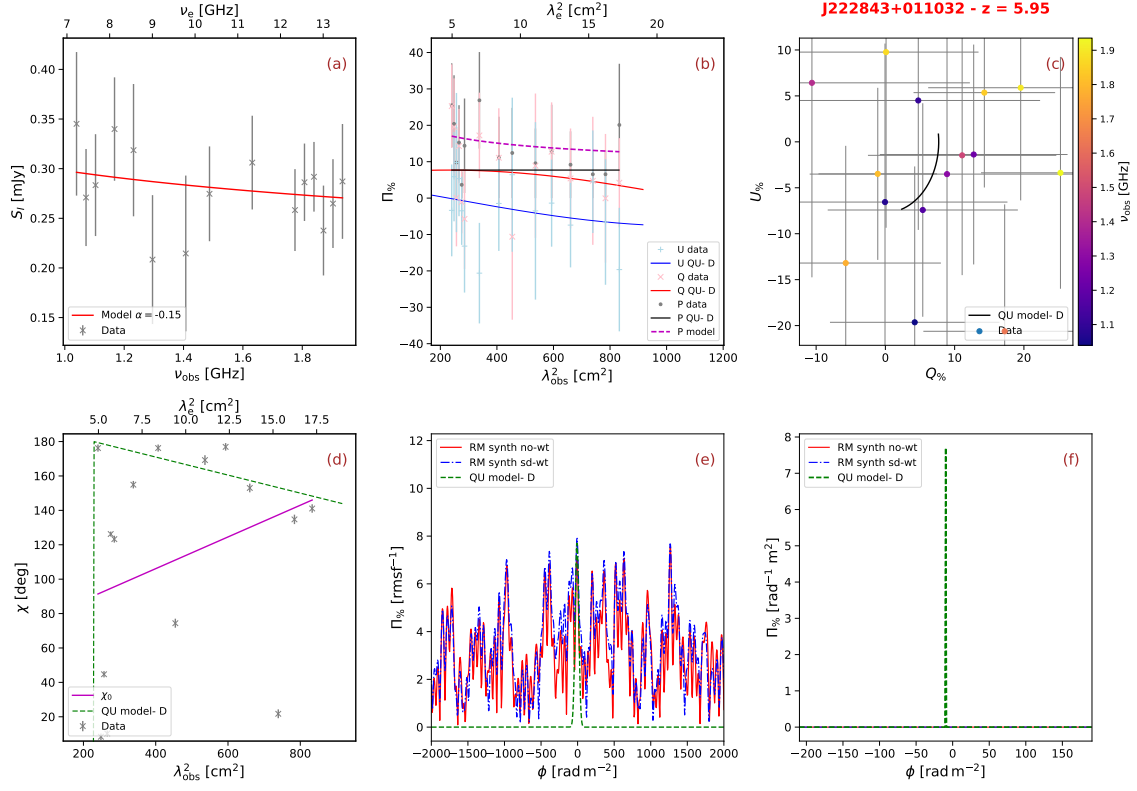


Figure F33. As for Fig. 5. Source: J222843+011032

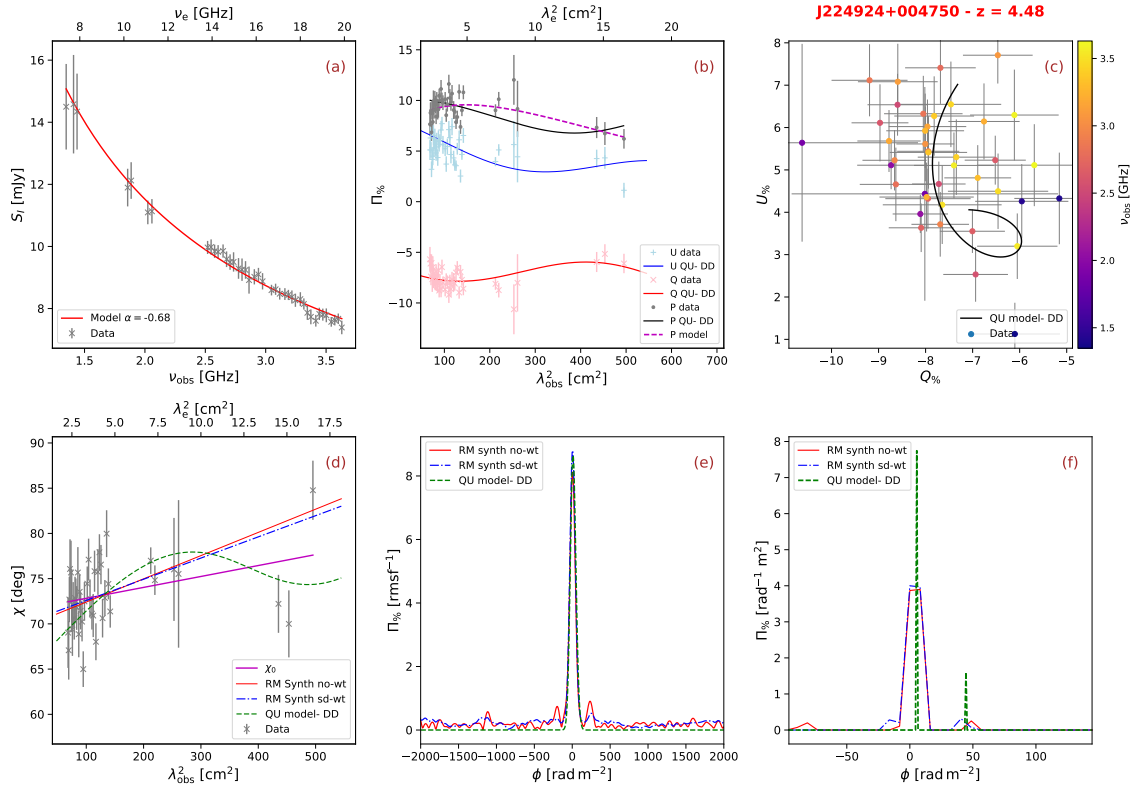


Figure F34. As for Fig. 5. Source: J224924+004750

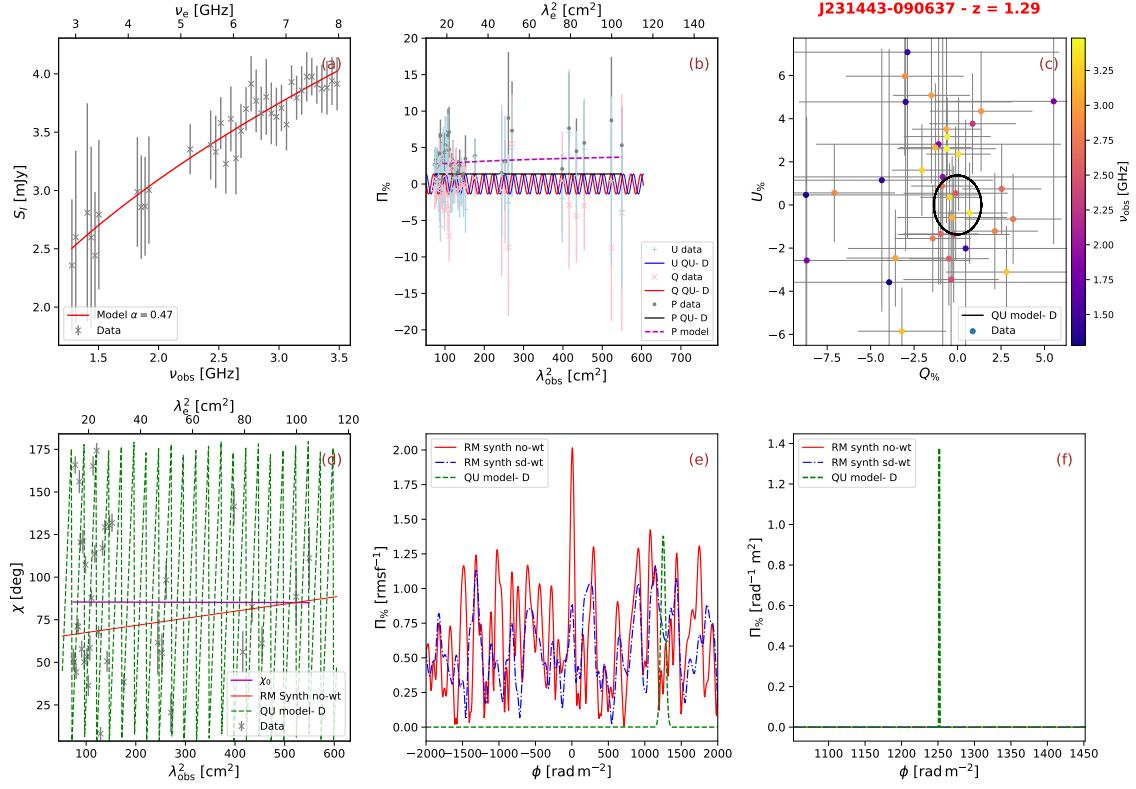


Figure F35. As for Fig. 5. Source: J231443–090637

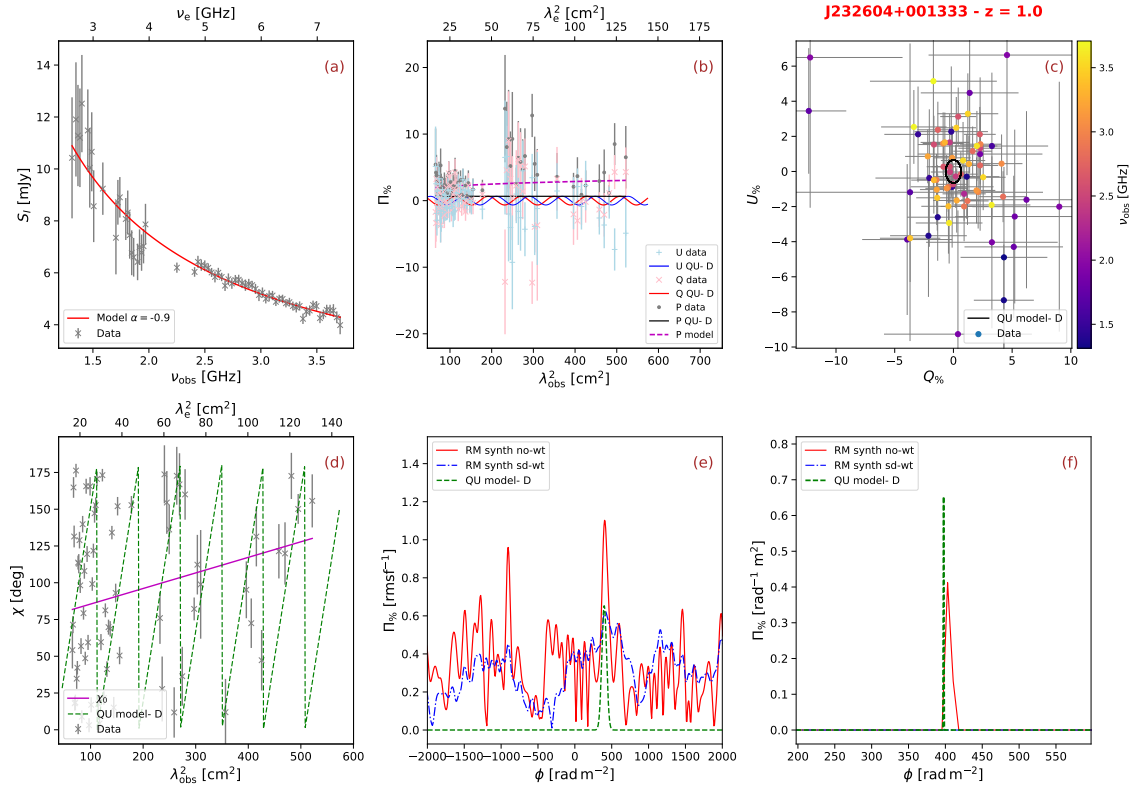


Figure F36. As for Fig. 5. Source: J232604+001333

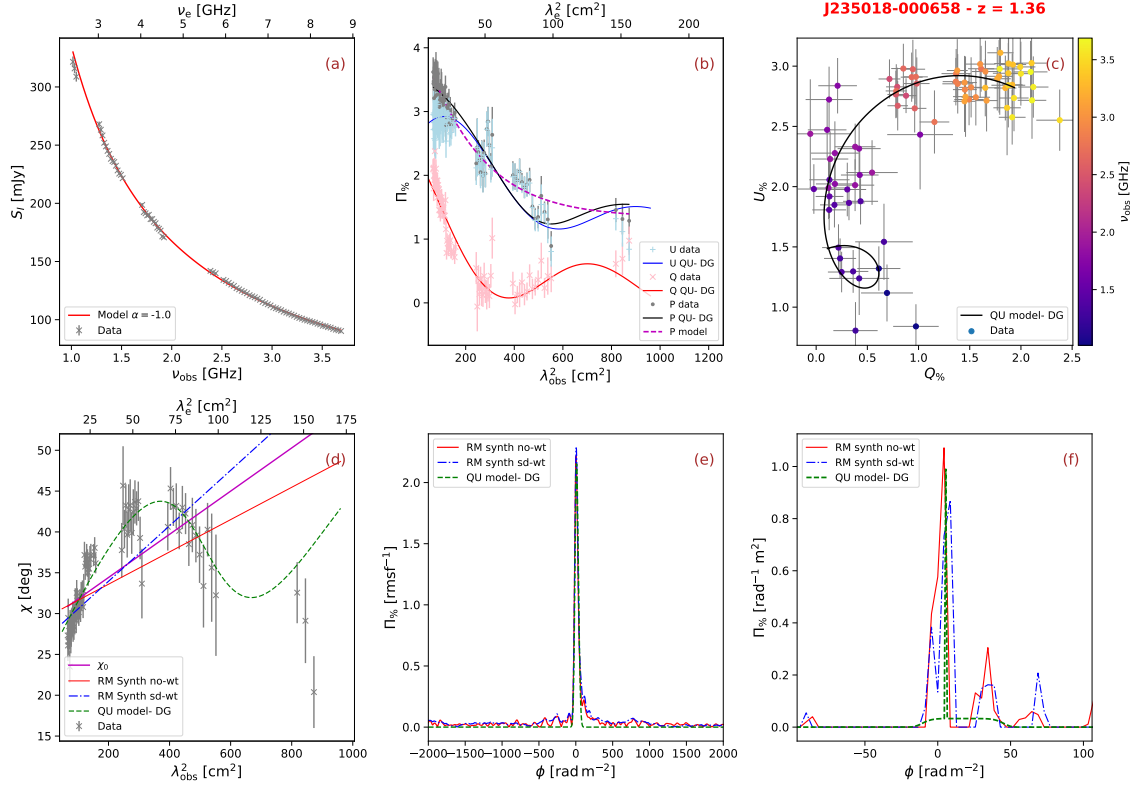


Figure F37. As for Fig. 5. Source: J235018–000658